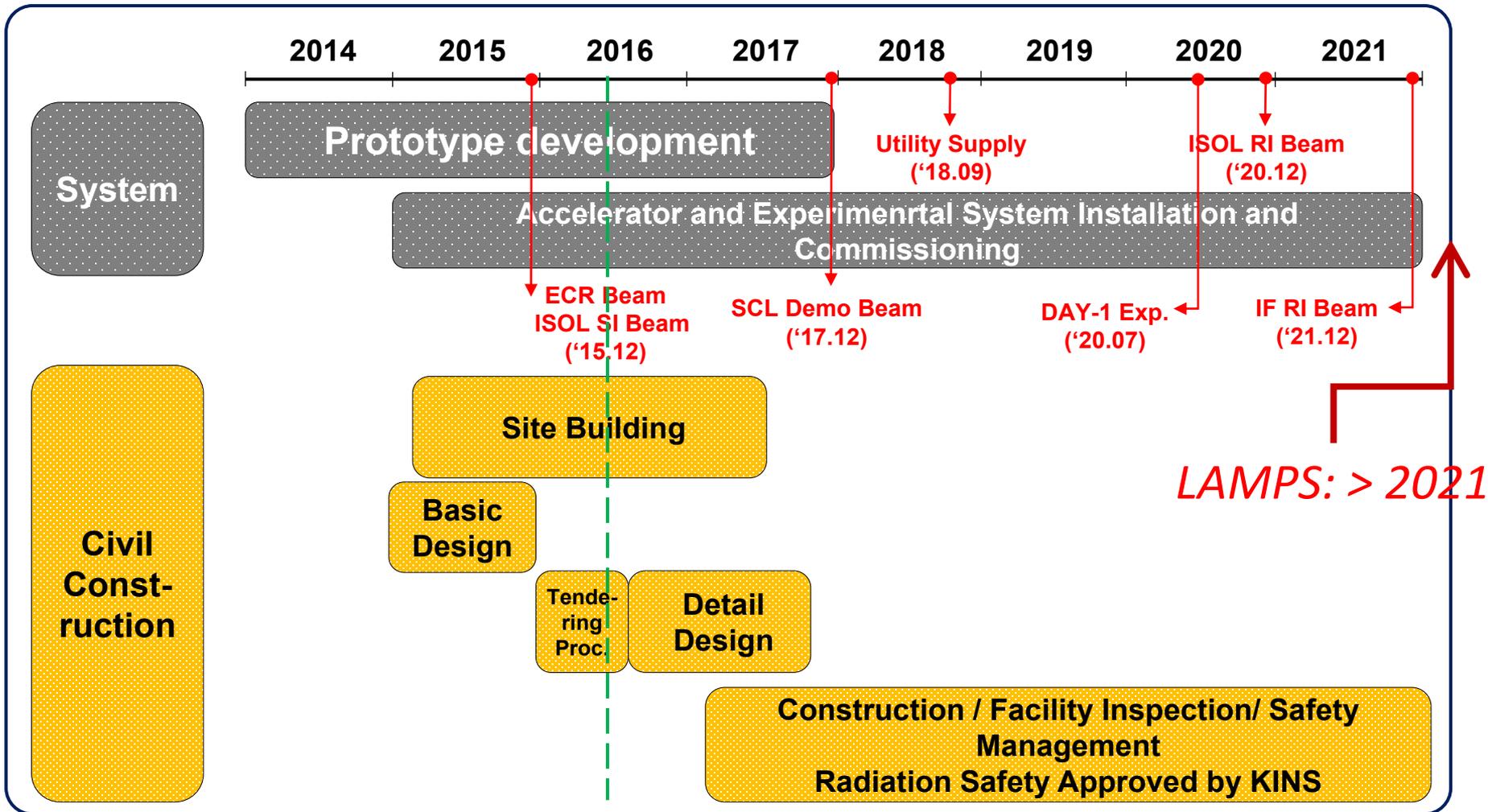


LAMPS kick-off meeting, IBS, July 31, 2018

Overview of Large Acceptance Multi-purpose Spectrometer (LAMPS)

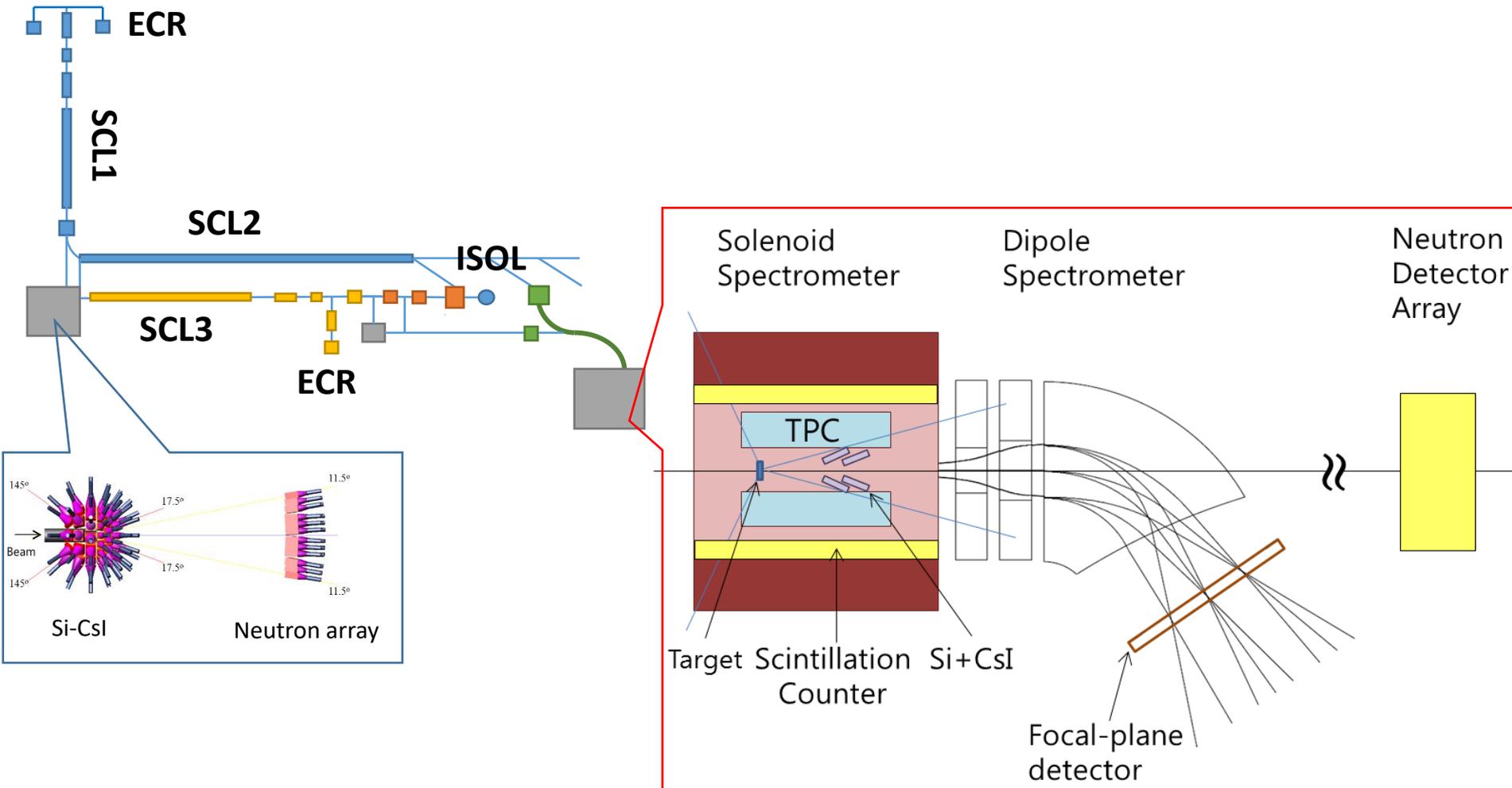
**Byungsik Hong
(Korea University)**

Schedule



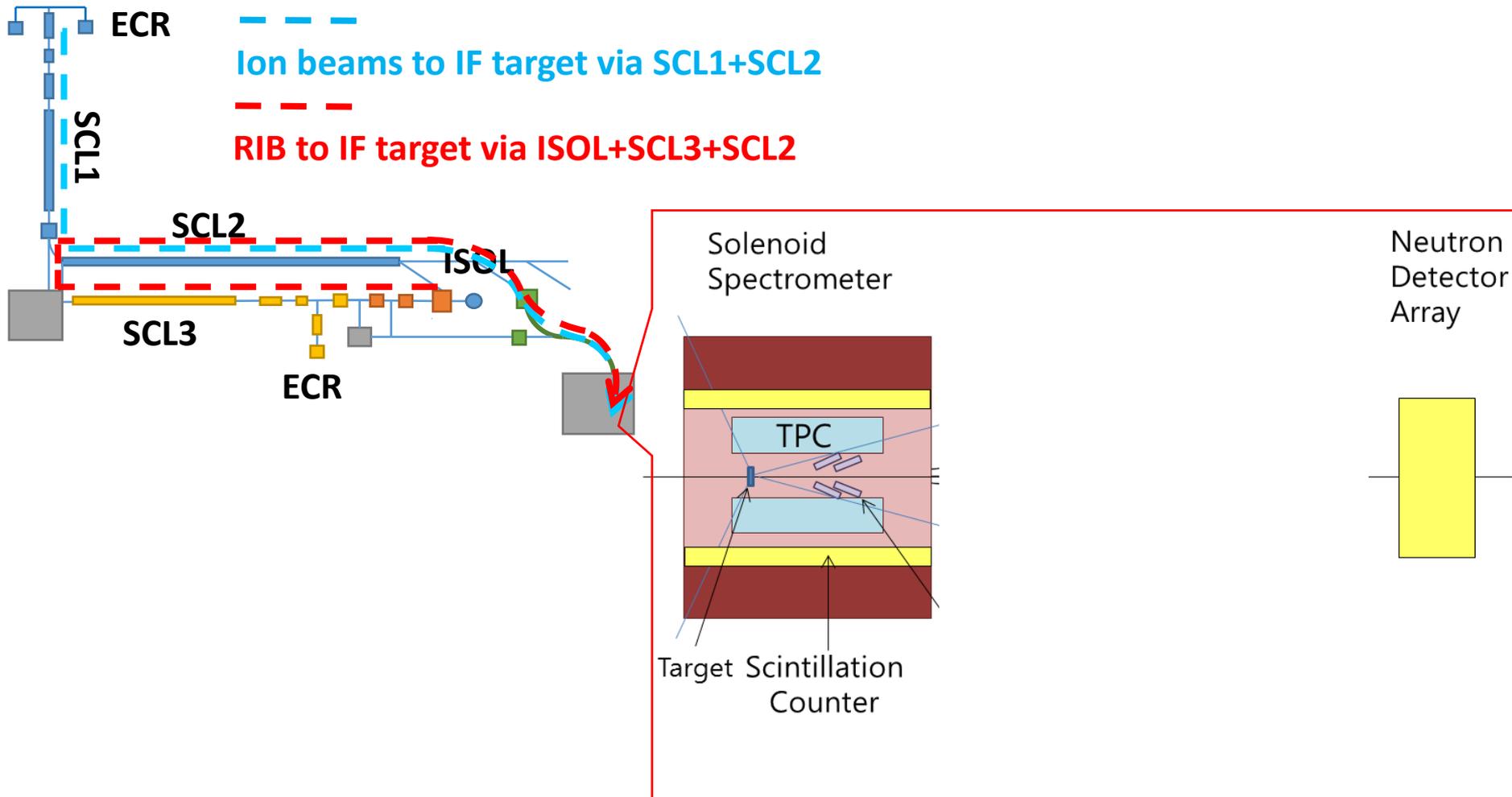
Status of LAMPS

(RAON)



Status of LAMPS

(RAON)

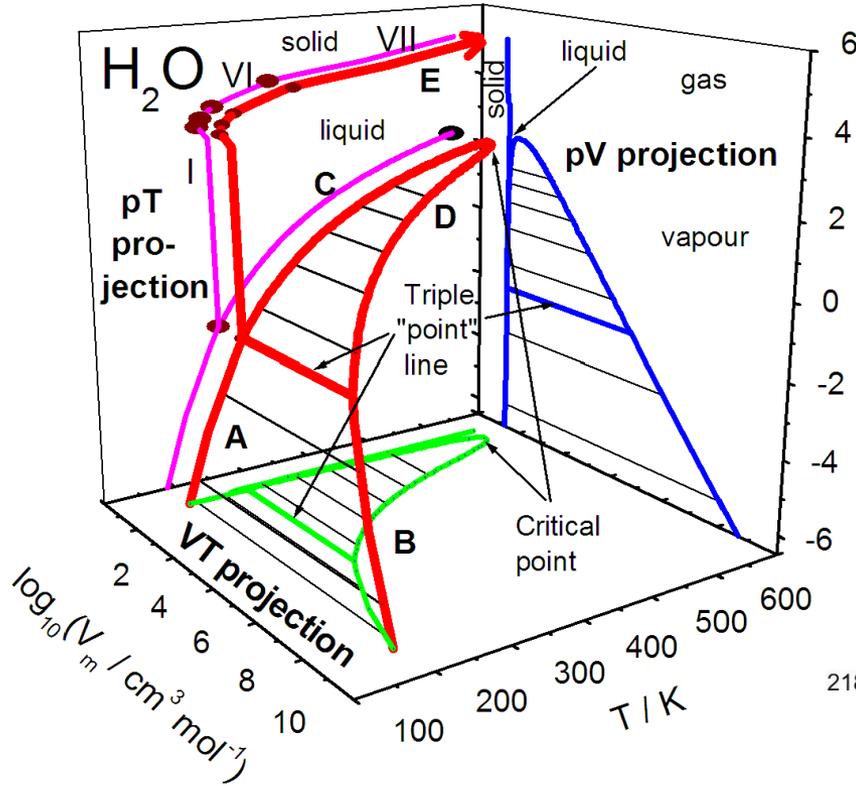


Status of LAMPS (Site as of April)



Phase Diagram of Matter

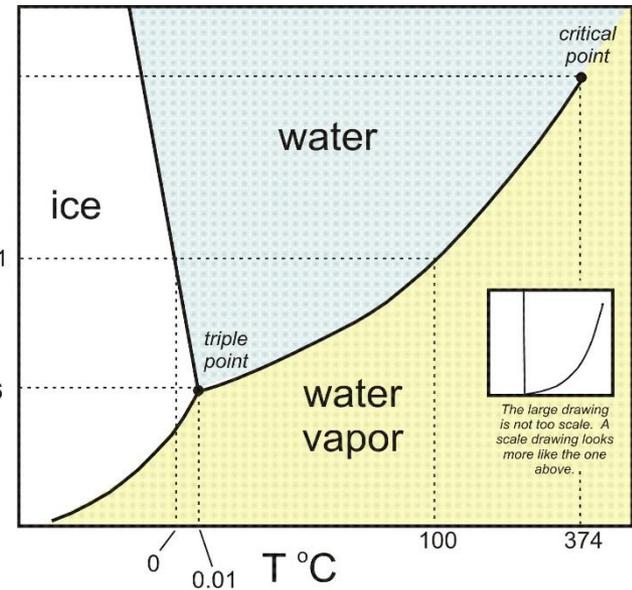
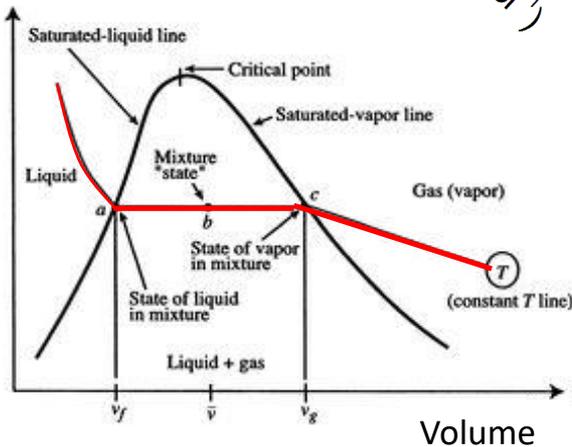
Phase diagram of H_2O



States/Phases:

- Solid (ice)
- Liquid (water)
- Gas (vapor)

Pressure



Equation of State

- Practical approach:

To calculate the average energy per nucleon

$$\varepsilon(\rho, \tau, \delta) \equiv U(\rho, \tau, \delta)/A$$

as functions of baryon density ρ and isospin asymmetry δ

- Theoretical approach:

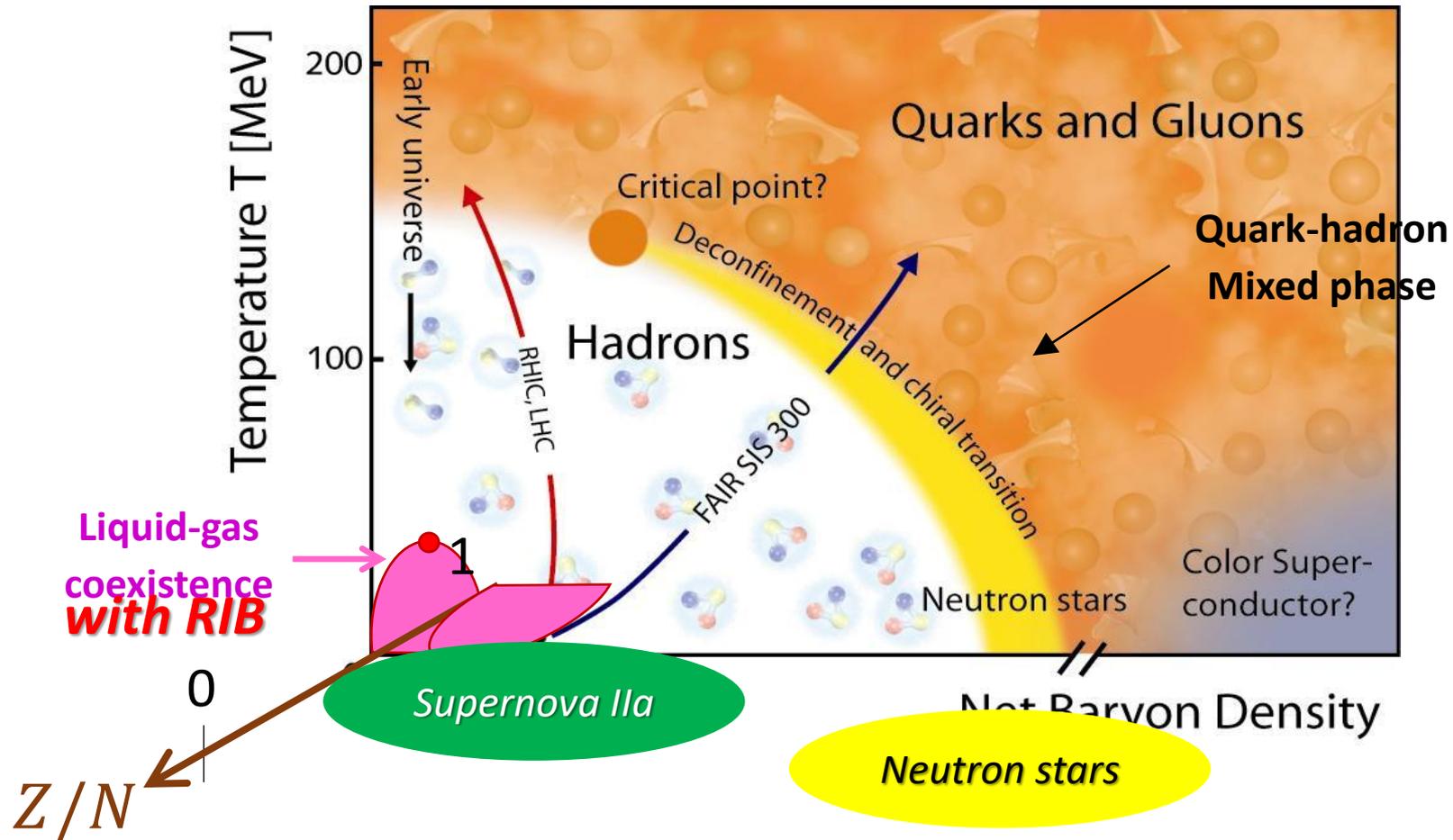
Estimate $\varepsilon(\rho, \tau, \delta)$ by some density functional forms (e.g., Hartree-Fock) and variational calculations

- Experimental approach:

Constrain EOS by using controlled laboratory experiments at specific densities

(Some examples will be given later in this talk.)

Nuclear Phase Diagram



EOS of Nuclei & Nuclear Matter

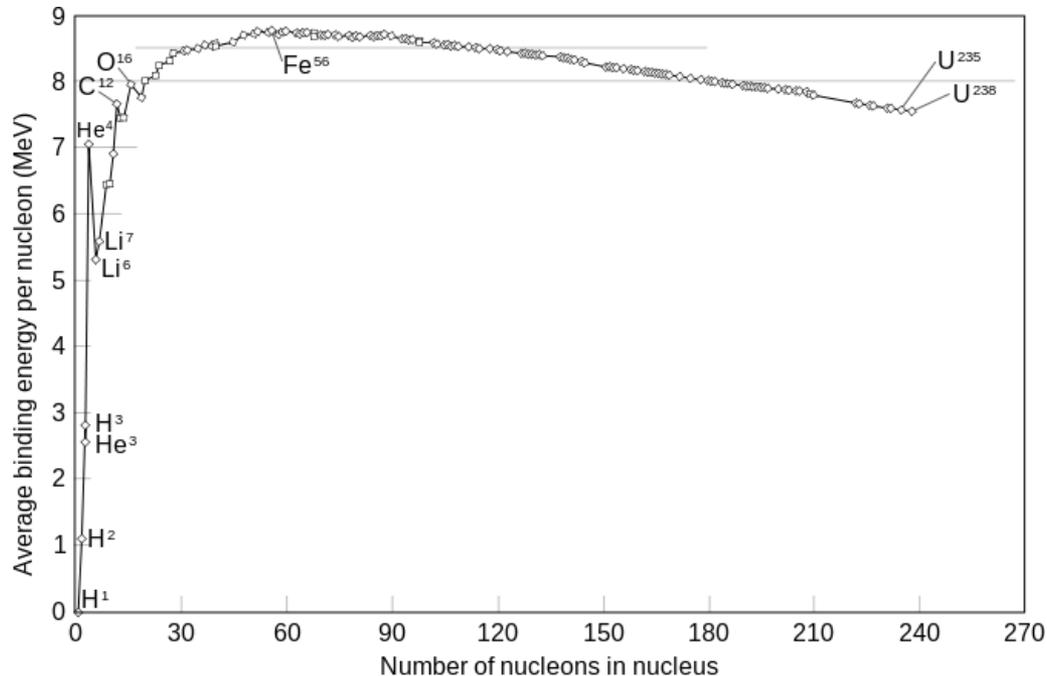
- Bethe-Weizsäcker formula from the liquid drop model

$$B(A, Z) = a_{vol}A - a_{sur}A^{2/3} - a_{Coul} \frac{Z(Z-1)}{A^{1/3}} - a_{sym} \frac{(N-Z)^2}{A} \pm \delta_{pair}$$

[Ref.] C. F. von Weizsäcker, Z. Physik 96, 431 (1935)

N. Bohr, Nature 137, 344 (1936)

Already ~80 years
long problem!



EOS & Symmetry Energy

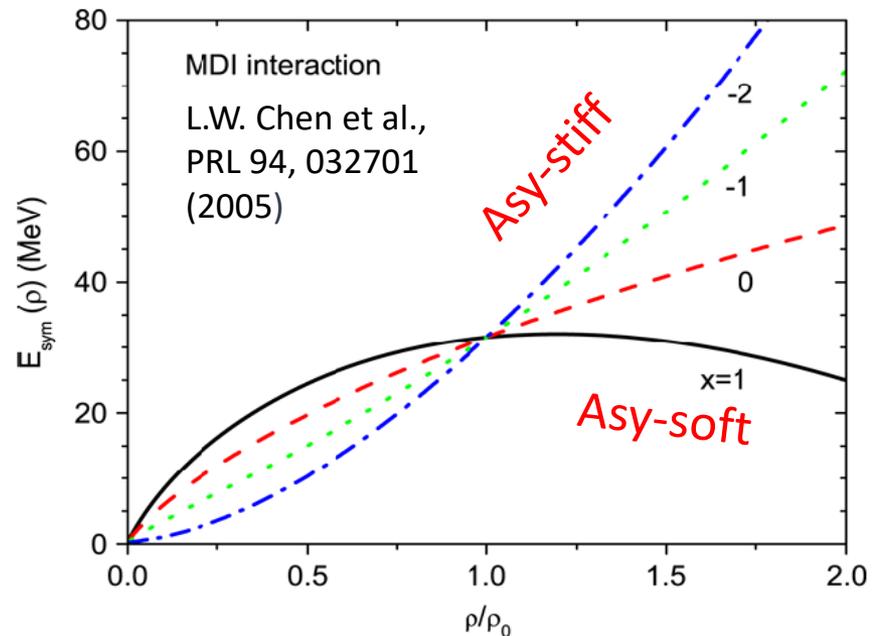
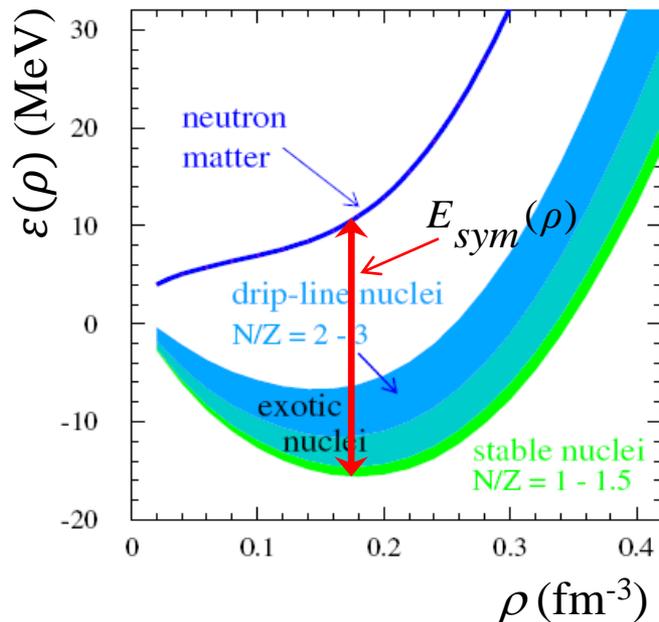
- Energy of nuclei and nuclear matter

$$\varepsilon(\rho, \delta)A = Zm_p + Nm_n - B(A, Z)$$

$$\varepsilon(\rho, \delta) = \varepsilon(\rho, \delta = 0) + E_{sym}(\rho)\delta^2 + \mathcal{O}(\delta^4) + \dots$$

where $a_{sym} \approx E_{sym}(0.6\rho_0)$

- **Symmetry energy:** Energy difference between the neutron matter and isospin symmetric matter



Nuclear Symmetry Energy

- Two components of the symmetry energy:

$$E_{sym}(\rho) = S(\rho) = \frac{1}{3} E_F (\rho / \rho_0)^{2/3} + E_{sym}^{pot}(\rho)$$

where $E_{sym}^{pot}(\rho)$ is often parameterized as $C(\rho / \rho_0)^\gamma$.

- A useful empirical expansion of $E_{sym}(\rho)$ around ρ_0 :

$$E_{sym}(\rho) = S_0 + \frac{L}{3} \left(\frac{\rho - \rho_0}{\rho_0} \right) + \frac{K_{sym}}{18} \left(\frac{\rho - \rho_0}{\rho_0} \right)^2$$

where

$$L = \frac{3}{\rho_0} P_{sym} = 3\rho_0 \left. \frac{\partial E_{sym}(\rho)}{\partial \rho} \right|_{\rho=\rho_0} \quad (\text{slope})$$

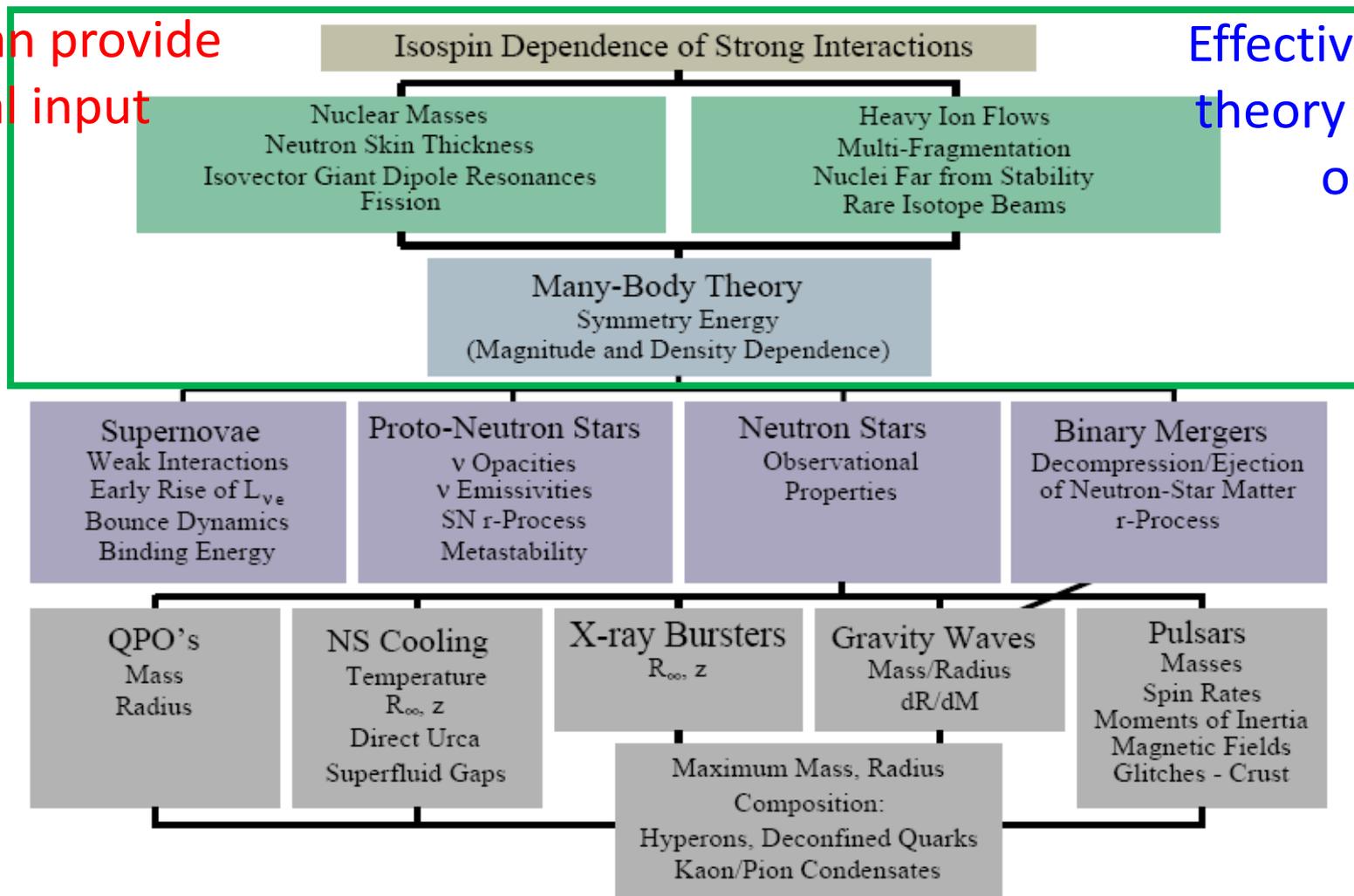
$$K_{sym} = 9\rho_0^2 \left. \frac{\partial^2 E_{sym}(\rho)}{\partial \rho^2} \right|_{\rho=\rho_0} \quad (\text{curvature})$$

- Also important constraint on nuclear effective interactions

Nuclear Symmetry Energy

RIB can provide crucial input

Effective field theory based on QCD



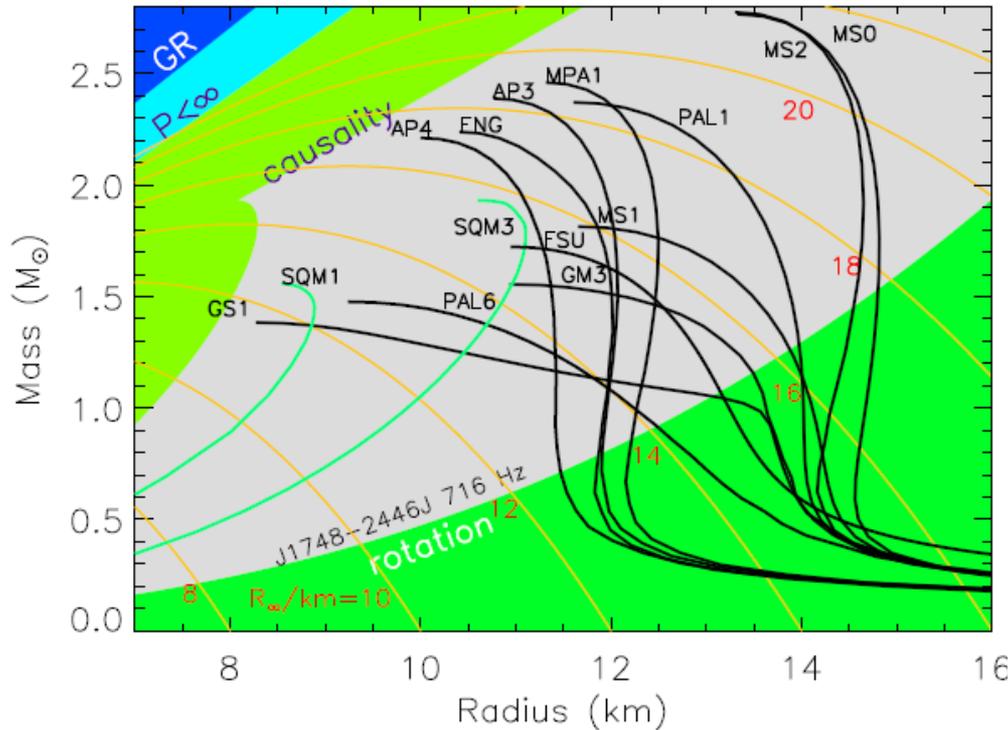
- A.W. Steiner, M. Prakash, J.M. Lattimer and P.J. Ellis, Physics Report 411, 325 (2005)

Symmetry Energy & Neutron Stars

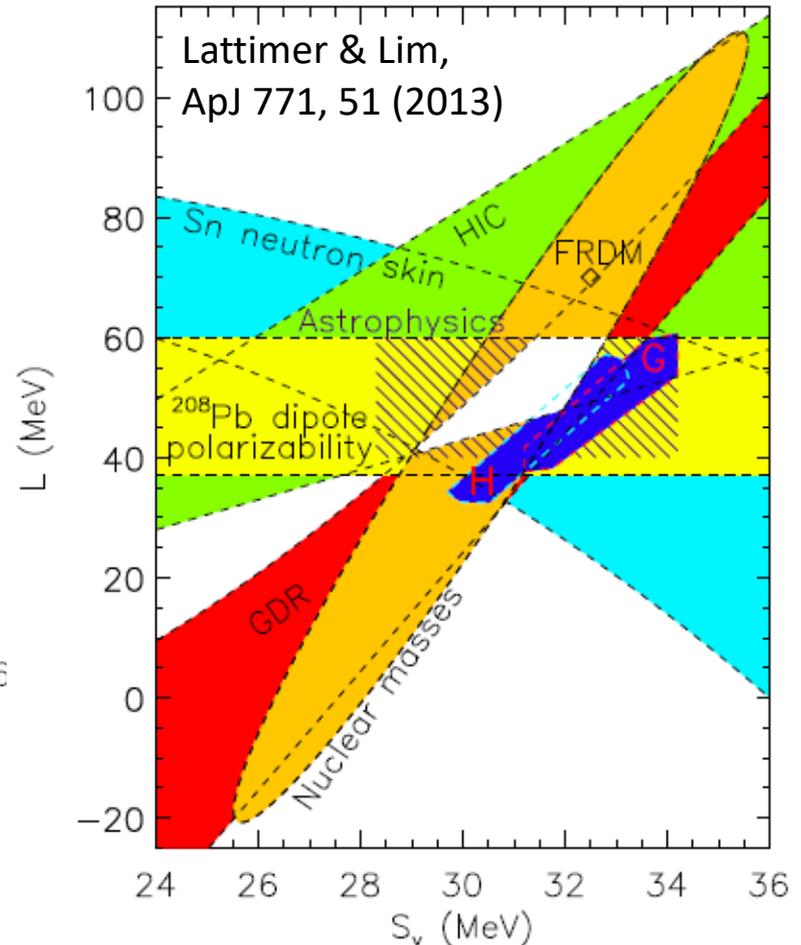
- Neutron stars for their stability against gravitational collapse
- Determines stellar density profile and internal structure
- Observational consequences
 - Cooling rates of proto-neutron stars
 - Stellar masses, radii & moment of inertia from temperatures & luminosities of X-ray bursters
- M vs. R relationship
 - Uncertainty of softness of EOS
 - Critical relation to Asy-EOS
- For deeper understanding, we need to provide systematic constraints from the controlled laboratory experiments at specific densities.

Symmetry Energy & Neutron Stars

J.M. Lattimer, Ann. Rev. Nucl. Part. Sci. 62, 485 (2012)



- Black line: Hadronic EOS
- Green line: SQM EOS
- GR: Excluded by general relativity
- $P < \infty$: Excluded by requiring finite pressure
- Causality: Excluded by causality
- Rotation: Bounded by realistic mass-shedding limit for the highest known pulsar frequency



Observables

- Charge equilibration: isospin mixing
- Particle ratios: n/p , ${}^3\text{H}/{}^3\text{He}$, etc.
- Pion ratio
- Collective flow
- Electric dipole emission

Backups

Equation of State

- Equation of state (EOS):

Equation for the relation among pressure (p), temperature ($\tau = k_B T$), and volume (V) to describe the states of matter

- Examples:

- Vapor pressure equation (or Clausius-Clapeyron equation)

$dp/d\tau = L/\tau\Delta v$ (L : latent heat, Δv : the volume change when one molecule is transferred from liquid to gas)

→ $p(T) = p_0 \exp(-L/N_0\tau)$ for $v_g \gg v_l$ and $pV_g = N_g\tau$

- Van der Waals equation of state

Simplest model of a liquid-gas phase transition

$$(p + N^2 a/V^2)(V - Nb) = N\tau$$

where

a : long-range attraction between two molecules

b : short-range repulsion between two molecules

[Ref.] E.g., Chap. 10 of Thermal Physics by C. Kittel & H. Kroemer

Equation of State

- EOS of nuclear matter can be reconstructed by using the differential thermodynamic identity like

$$p(\rho, \tau, \delta) = - \left[\frac{\partial F}{\partial V} \right]_{\tau, \delta}; F(\rho, T, \delta) = U(\rho, T, \delta) - \tau \cdot \sigma(\rho, T, \delta)$$

where

F is the Helmholtz free energy,

U is the average energy of the state,

σ is the entropy,

$\rho = \rho_n + \rho_p$ is the total baryon density,

$\delta = (\rho_n - \rho_p)/(\rho_n + \rho_p)$ is the isospin asymmetry.

- Using the baryon density $\rho = A/V$ and $\partial V = -A\partial\rho/\rho^2$,

$$p(\rho, \tau, \delta) = - \left[\frac{\partial U}{\partial V} \right]_{\tau, \delta} = \left[\rho^2 \frac{\partial(U(\rho, \tau, \delta)/A)}{\partial \rho} \right]_{\tau, \delta} - \left[\tau \rho^2 \frac{\partial(\sigma/A)}{\partial \rho} \right]_{\tau, \delta}$$

- At low temperatures, the second term becomes negligible.

Charge Equilibration

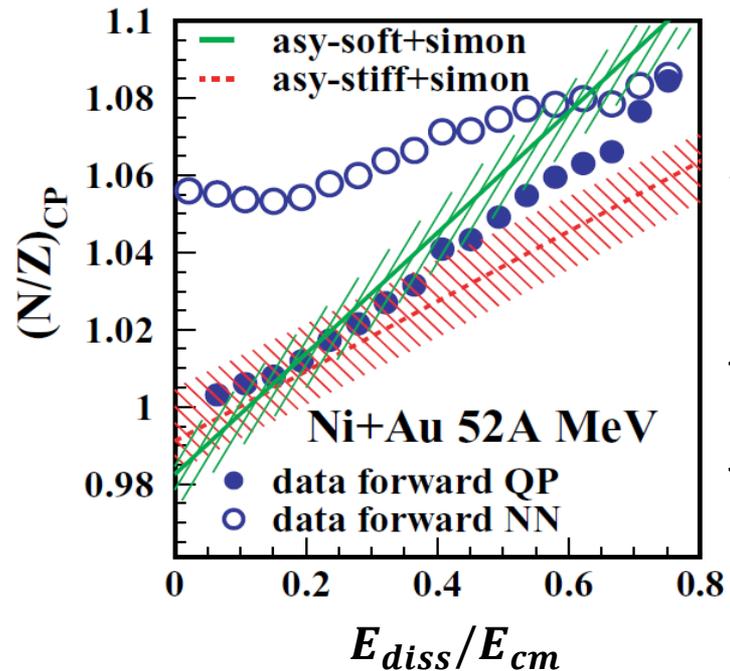
- Charge equilibration
 - In fusion, dipole oscillation is important.
 - In deep inelastic coll., dipole oscillation is overdamped: Diffusion of charges

$$D(t) = D(0) \exp(-t / \tau_d) \quad (\tau_d \rightarrow E_{sym})$$

- Degree of equilibration governed by contact time and symmetry energy
- Observable
 - N/Z of particles emitted by PLF as a function of dissipated energy:

$(N/Z)_{CP}$ vs. E_{diss}

$$E_{diss} \equiv E_{cm} - E_{kin}(PLF + TLF)$$



E. Galichet et al.,
PRC 79, 064615 (2009)

Isospin Mixing/Diffusion

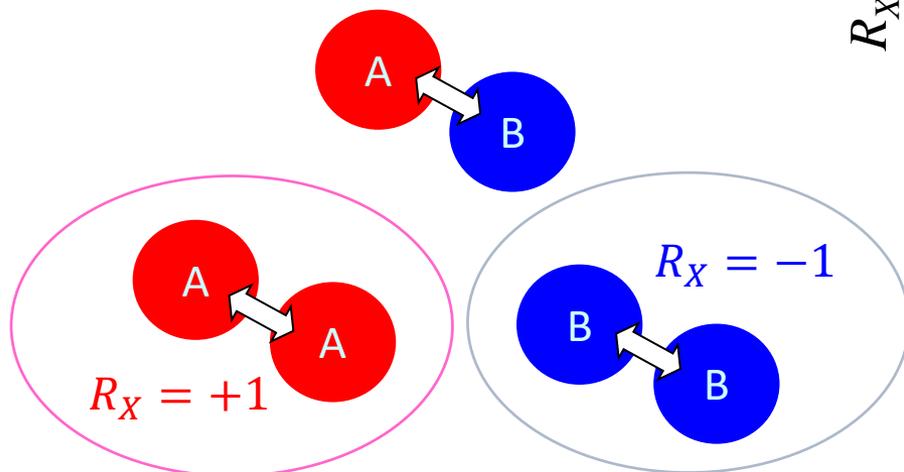
F. Rami et al., PRL 84, 1120 (2000)

B. Hong et al., PRC 66, 034901 (2002)

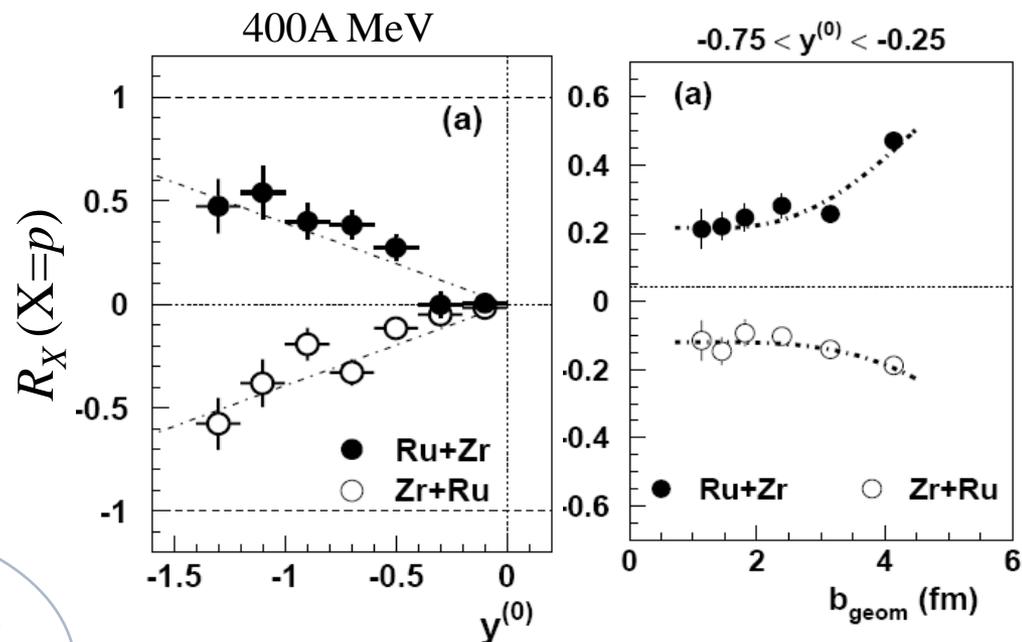
B. Hong et al., NPA 721, 317c (2003)

$$R_X = 2 \frac{X^{AB} - (X^{AA} + X^{BB})/2}{X^{AA} - X^{BB}}$$

$R_X = 0$ for complete isospin mixing



$^{96}\text{Ru}(\text{Zr}) + ^{96}\text{Zr}(\text{Ru})$

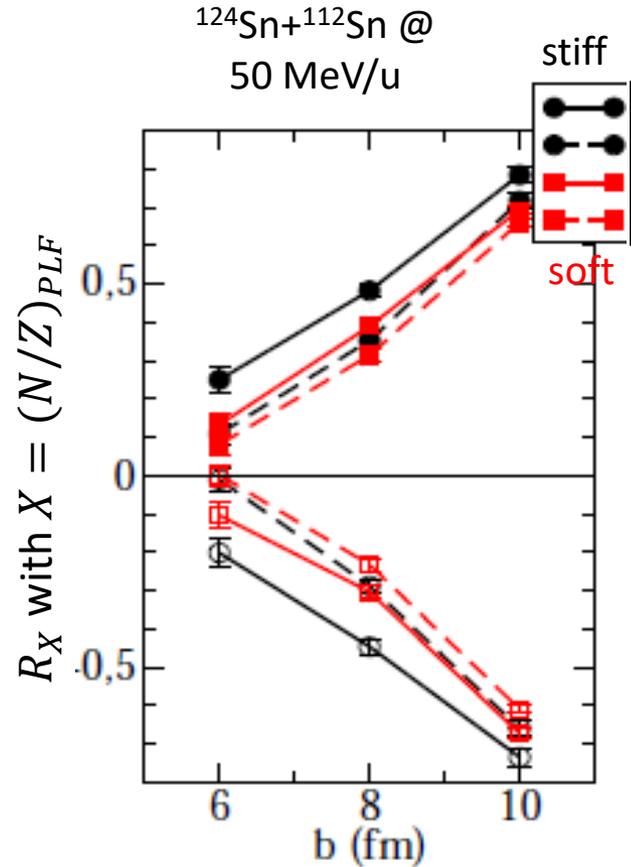
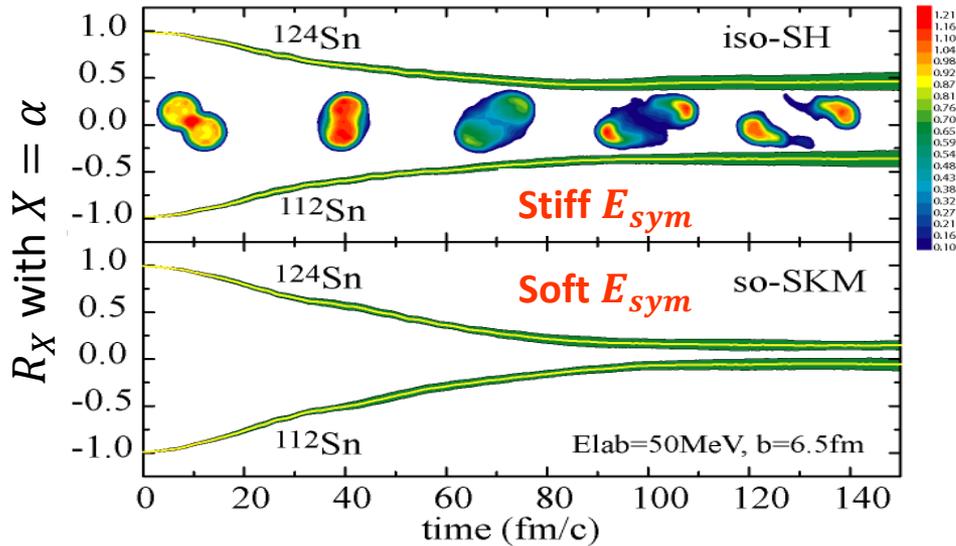


Isospin Mixing/Diffusion

M.B. Tsang et al., PRL 92, 062701 (2004)

α =Neutron-isoscaling parameter

$$\frac{Y_{124+124}(Z = 3 \sim 8)}{Y_{112+112}(Z = 3 \sim 8)} \propto \exp(\alpha N)$$



Stochastic Mean Field (SMF) Model
J. Rizzo et al., NPA 806, 79 (2008)

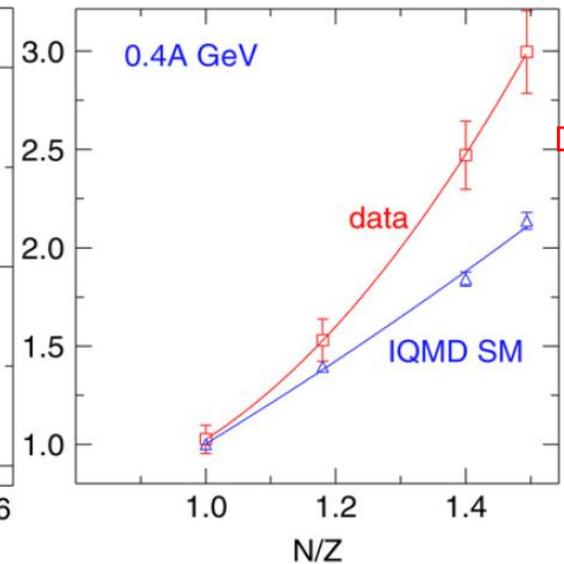
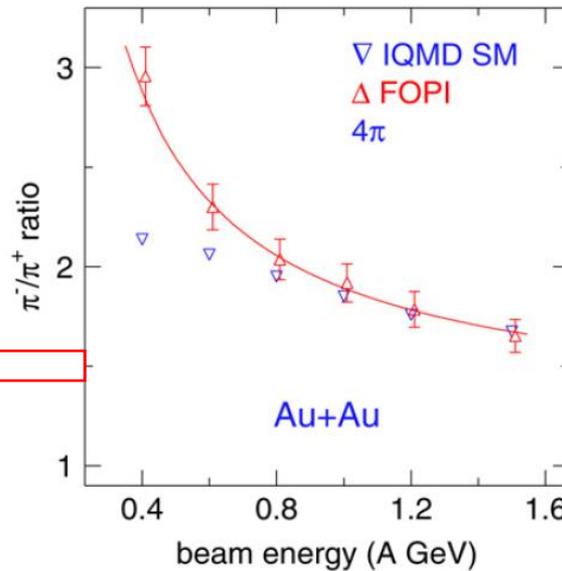
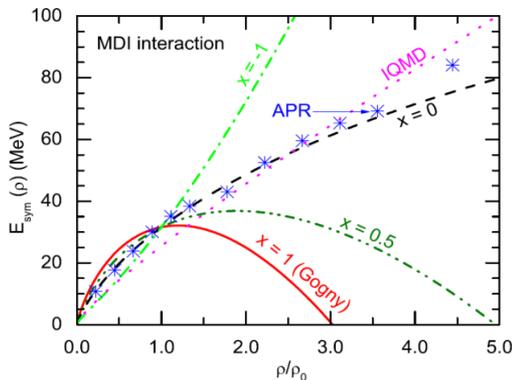
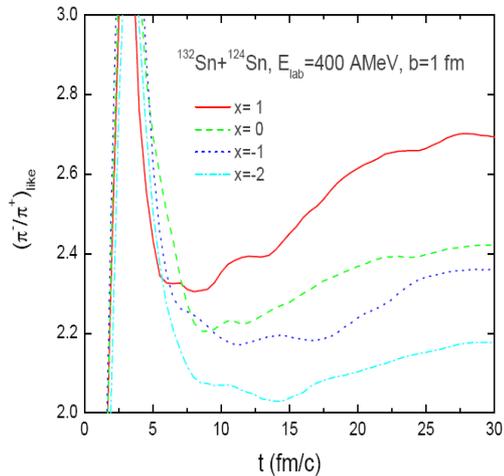
- Softer symmetry energy towards equilibrium ($R_X \rightarrow 0$)
- Good sensitivity to Asy-EOS

π^-/π^+ Ratio

Data: FOPI, NPA 781, 459 (2007)

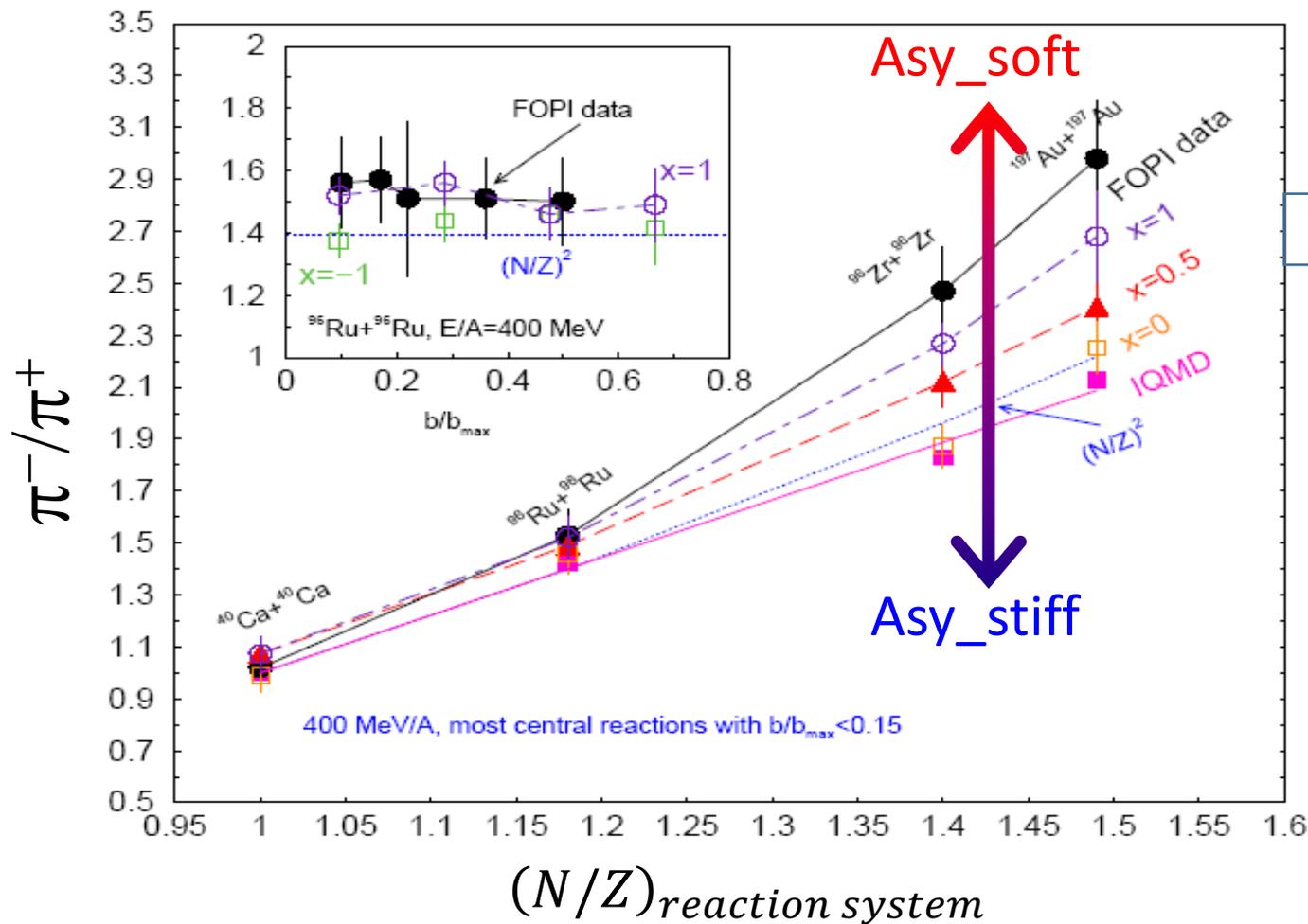
IQMD: EPJA 1, 151 (1998)

$$E_{sym}(\rho) = \frac{100}{8} \frac{\rho}{\rho_0} + \left(2^{2/3} - 1\right) \frac{3}{5} E_F^0 \left(\frac{\rho}{\rho_0}\right)^{2/3}$$



Symmetry energy softer than the present IQMD makes the pion production region more neutron-rich!

π^-/π^+ Ratio



Directed Flow for K_{sym}

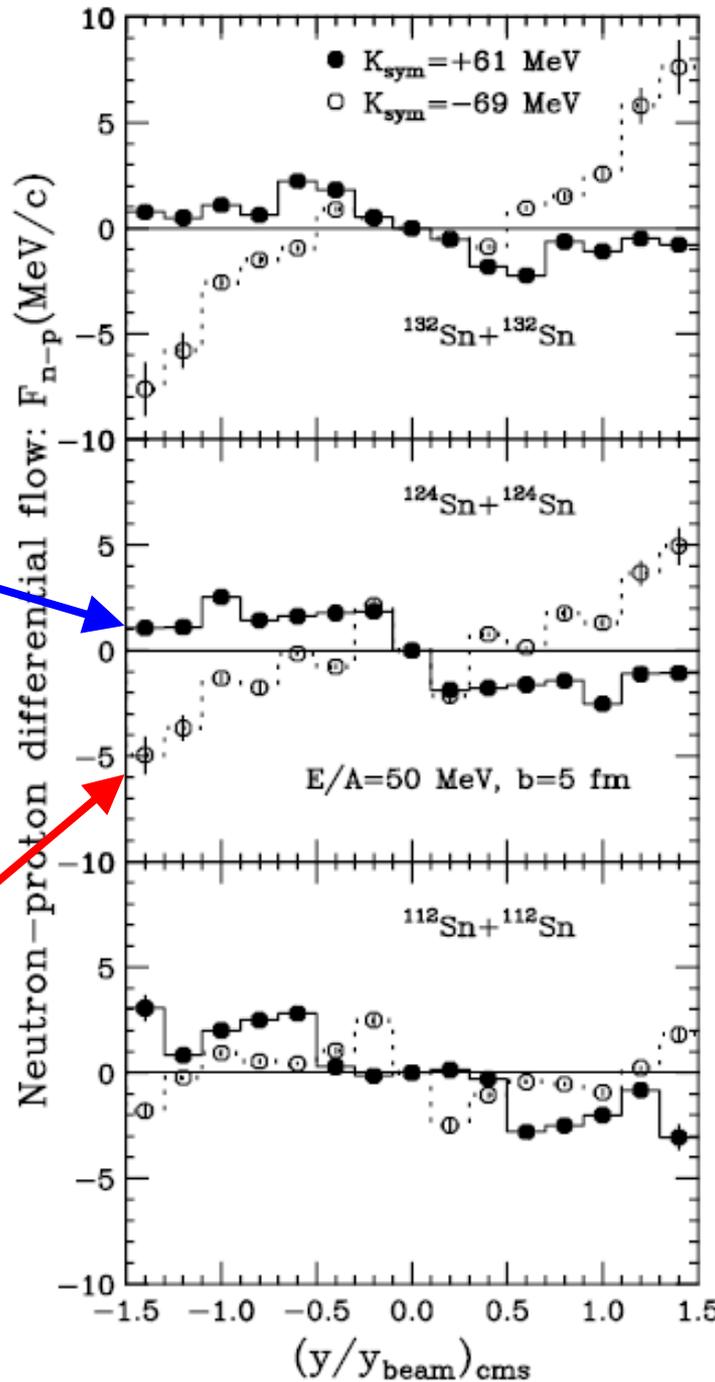
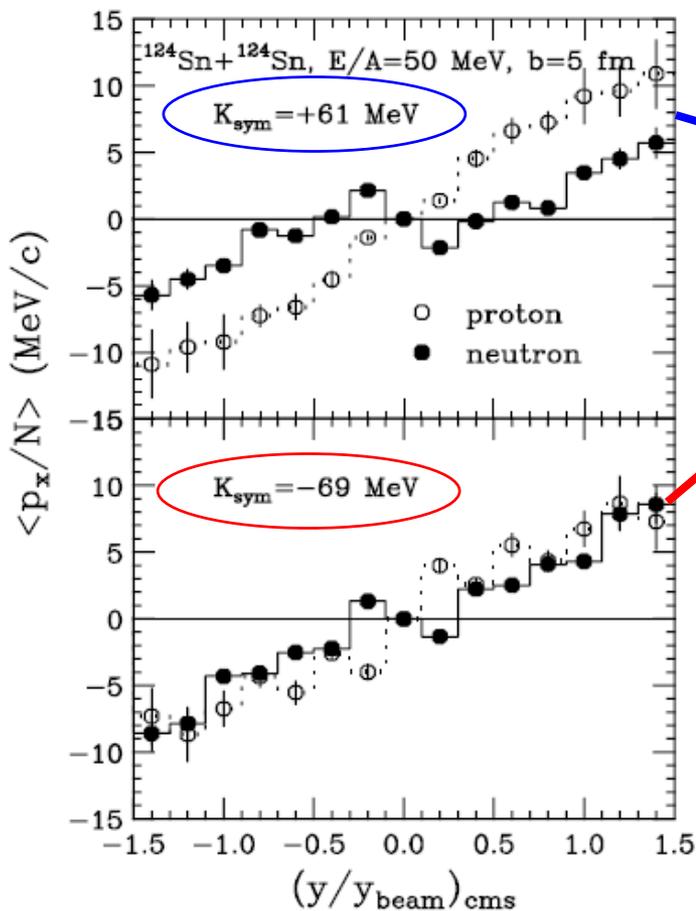
B.-A. Li, PRL 85, 4221 (2000)

Asy-stiff



Also known as ν_1

Asy-soft



Large N/Z



Small N/Z

