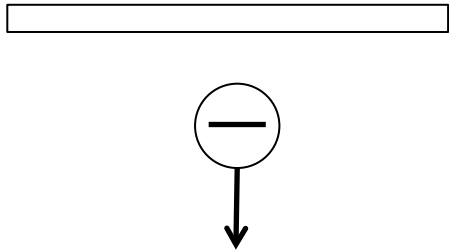


Efficiency Estimation for the FAC Test Experiment at SPring-8

Minho Kim

Npe Estimation from ADC Spectrum

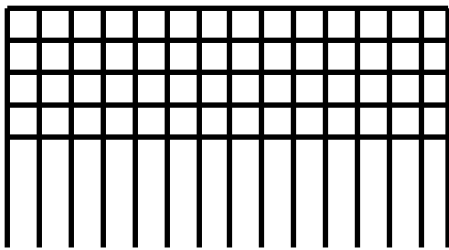


Let's assume one pe makes Q with enough statistics.

Let's denote Q for $\text{ADC}_{\text{mean}} - \text{ped}$ for 1 pe.

Then i photoelectrons make iQ.

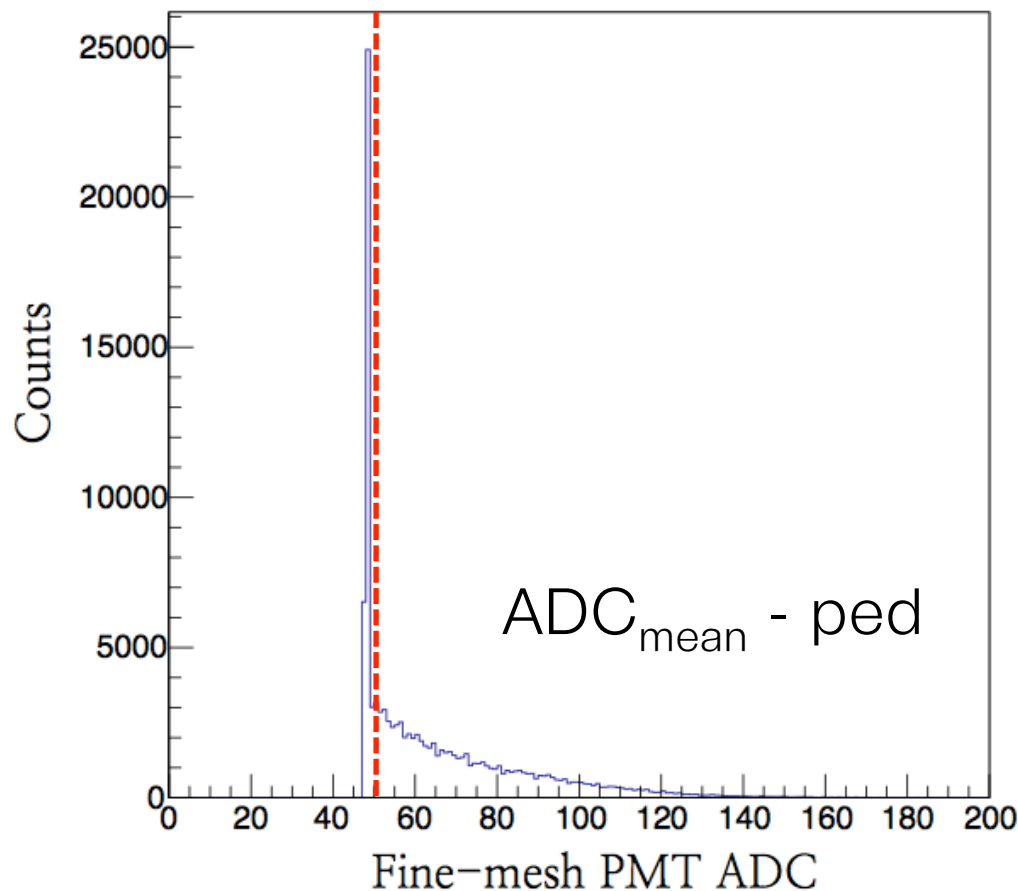
Therefore, if there is mean Npe μ ,



ADC - ped

$$\begin{aligned}\text{ADC}_{\text{mean}} - \text{ped} &= \sum_{i=0}^{\infty} iQ \left(\frac{\mu^i e^{-\mu}}{i!} \right) \left(\frac{1}{1 - e^{-\mu}} \right) \\ &= \frac{\mu Q}{1 - e^{-\mu}}\end{aligned}$$

Npe Estimation from ADC Spectrum

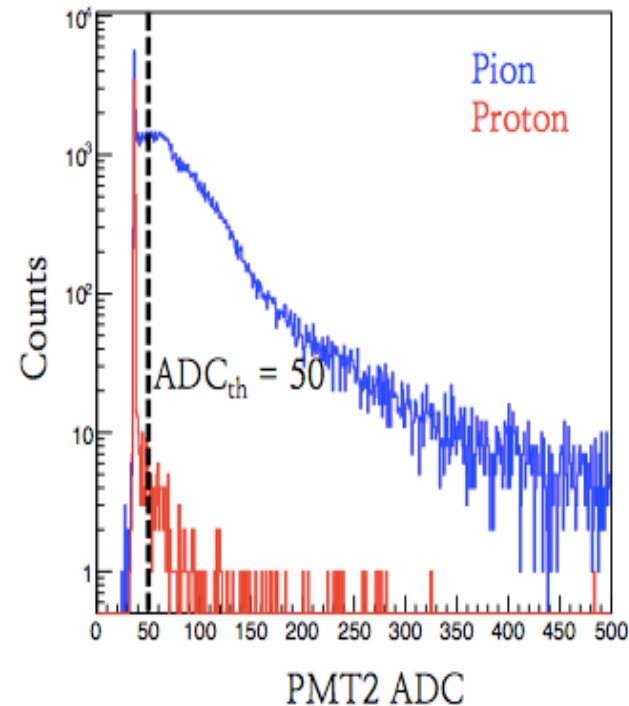
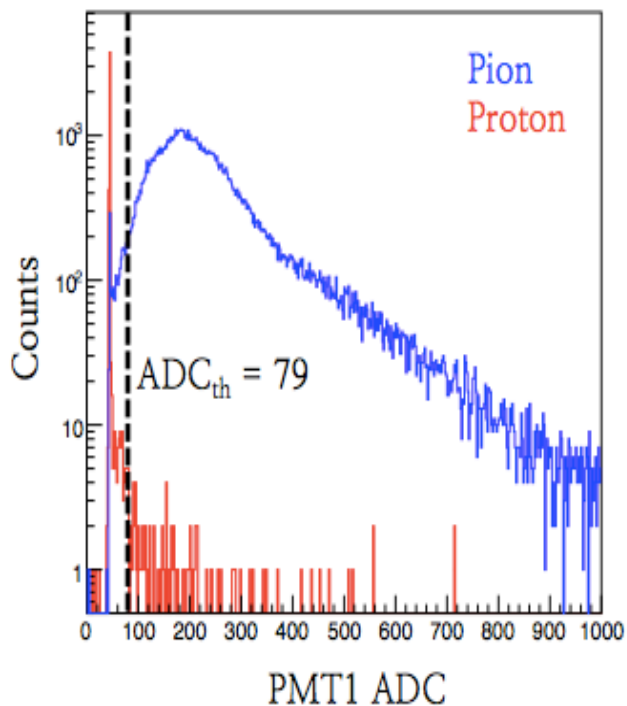
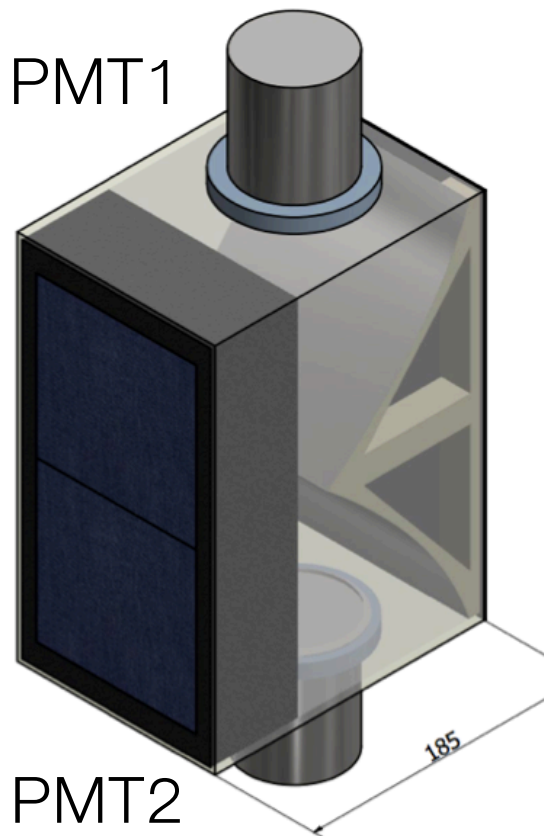


$$\begin{aligned} & \text{ADC}_{\text{mean}} - \text{ped} \\ &= \frac{\mu Q}{1 - e^{-\mu}} \end{aligned}$$

We study $\text{ADC}_{\text{mean}} - \text{ped}$ and μ from LED test \rightarrow Find Q .

We study $\text{ADC}_{\text{mean}} - \text{ped}$ and Q in offline analysis \rightarrow Find μ .

Pion Efficiency of Test Module

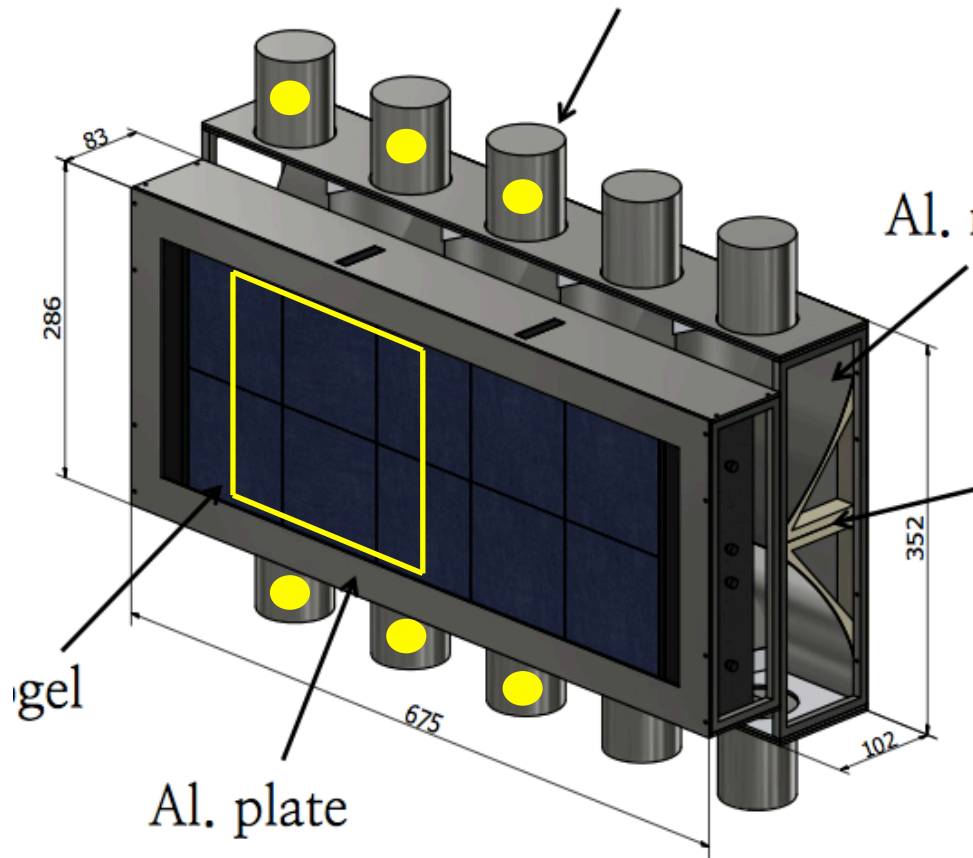


$$\text{Pion efficiency} = \frac{\text{PMT1 signal or PMT2 signal}}{\text{total pion events}}$$

with $\text{ped} + 2Q$ ADC threshold for both PMTs.

Corresponding proton misidentification is less than 4 %.

Pion Efficiency of Mockup



Not all Q information of 6 PMTs were studied.

We can estimate 0 Npe threshold efficiency.

$$e_0 = 1 - e^{-\mu_{\text{estimated}}}$$

If there is 0.1 % wrong event selection,

estimated μ is always smaller than 7.

Pion Efficiency of Mockup

There are N selected events, actual average $N_{pe} \mu$ and wrong event selection ratio e_{mis} .

Pedestal events (0 N_{pe} th): $N e_{\text{mis}} + N(1 - e_{\text{mis}})e^{-\mu}$

Signal events (0 N_{pe} th): $N(1 - e_{\text{mis}})(1 - e^{-\mu})$

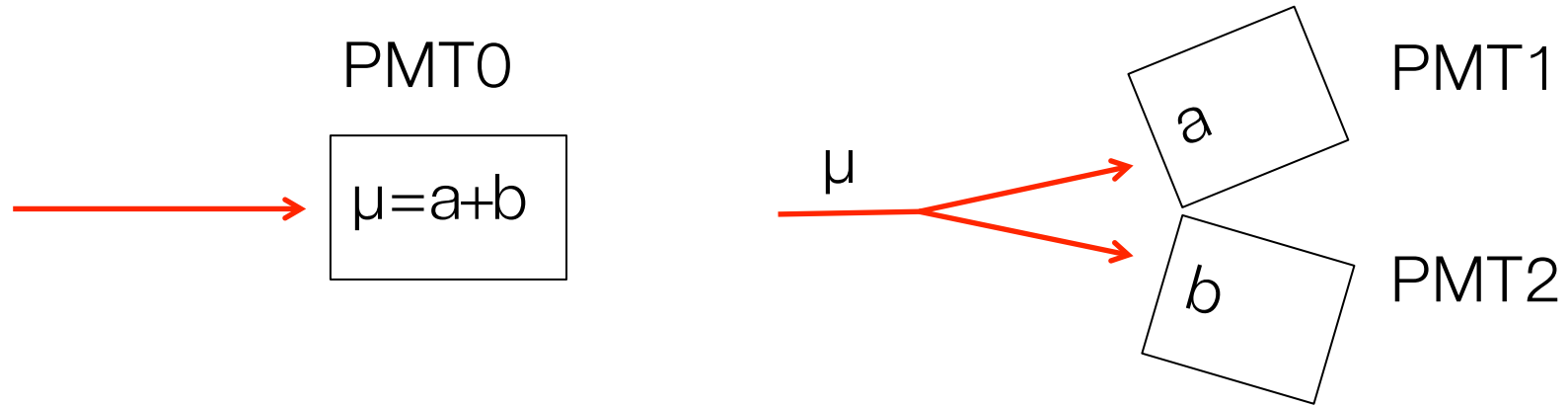
Then modified efficiency: $(1 - e_{\text{mis}})(1 - e^{-\mu})$

$1 - e_{\text{mis}} \geq$ all estimated efficiencies

Maximum value is set with consideration for the maximum pion efficiency (1.2~1.3 GeV/c) and minimum as 0.

Back up

Efficiency Estimation with Several PMTs



$$N_{pe} \geq 1 = (a N_{pe} \geq 1) \text{ or } (b N_{pe} \geq 1) = 1 - e^{-\mu}$$

$$N_{pe} \geq 2 \neq (a N_{pe} \geq 2) \text{ or } (b N_{pe} \geq 2)$$

$$N_{pe} \geq 3 \neq (a N_{pe} \geq 3) \text{ or } (b N_{pe} \geq 3)$$

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