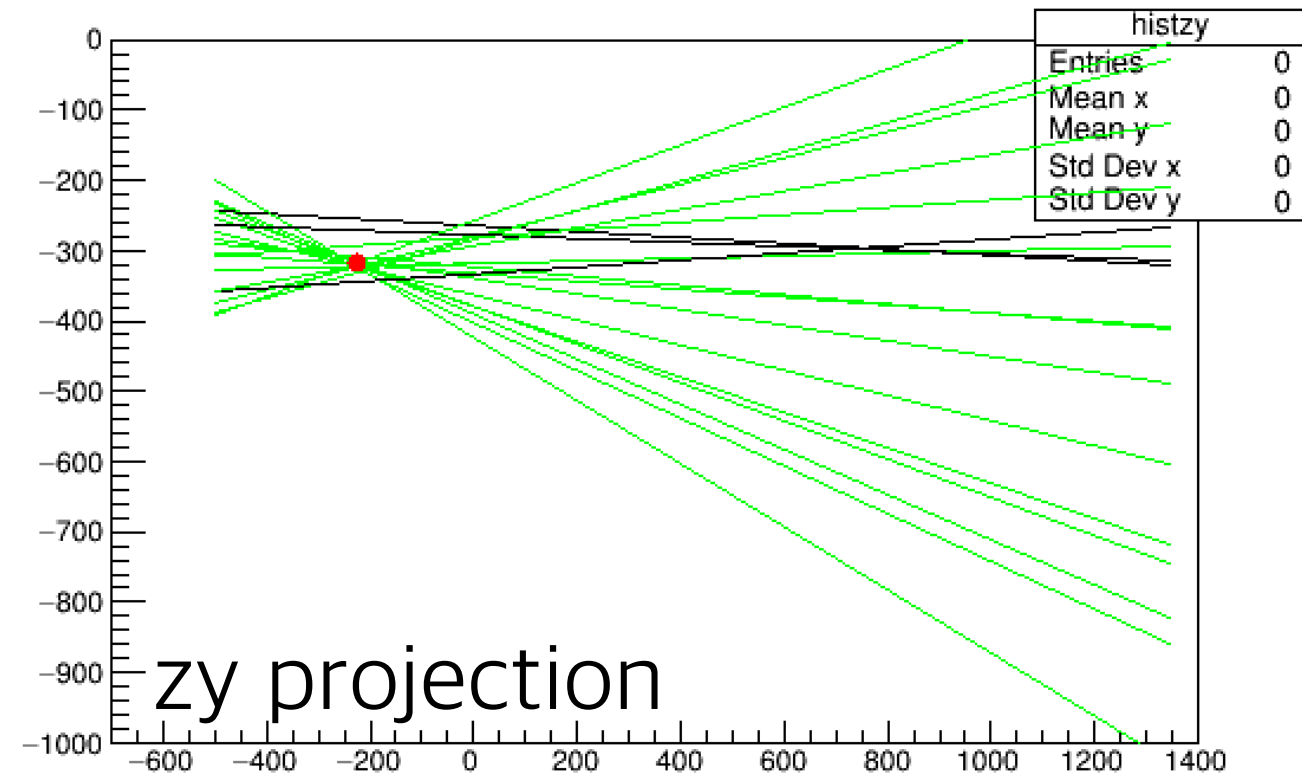
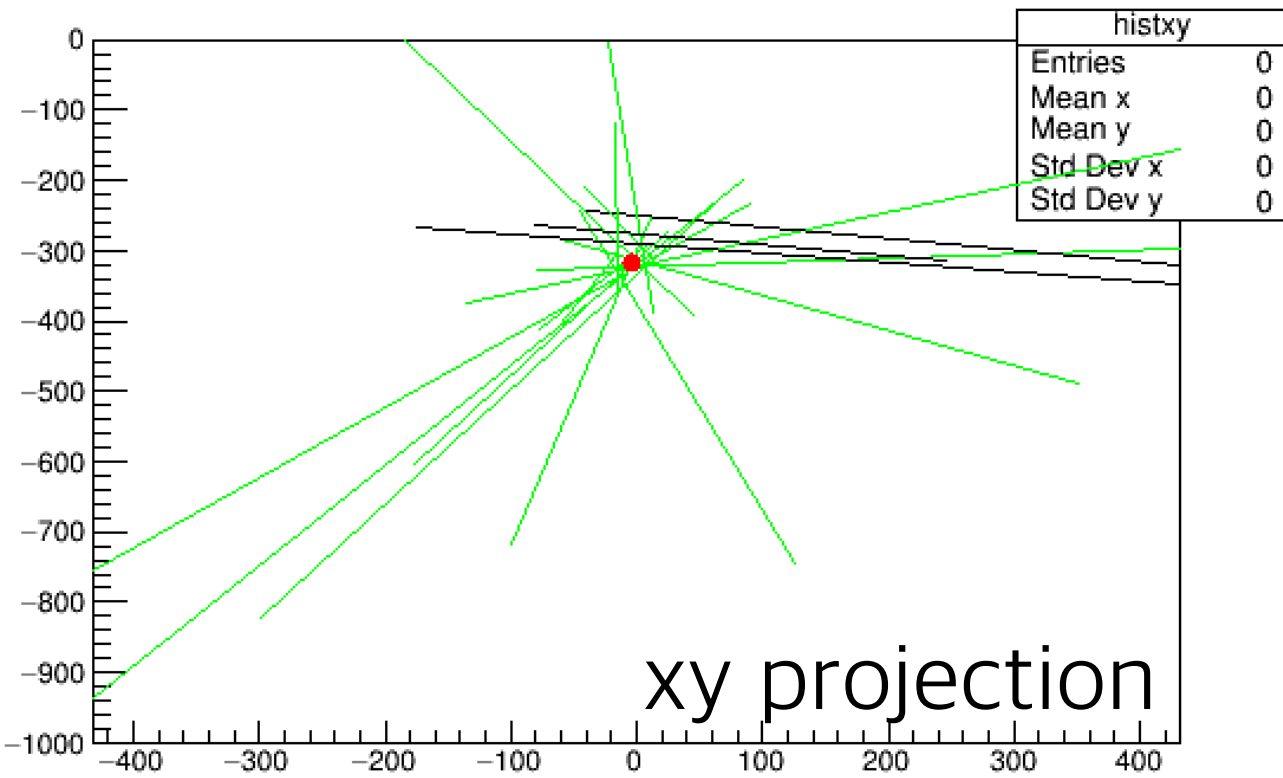
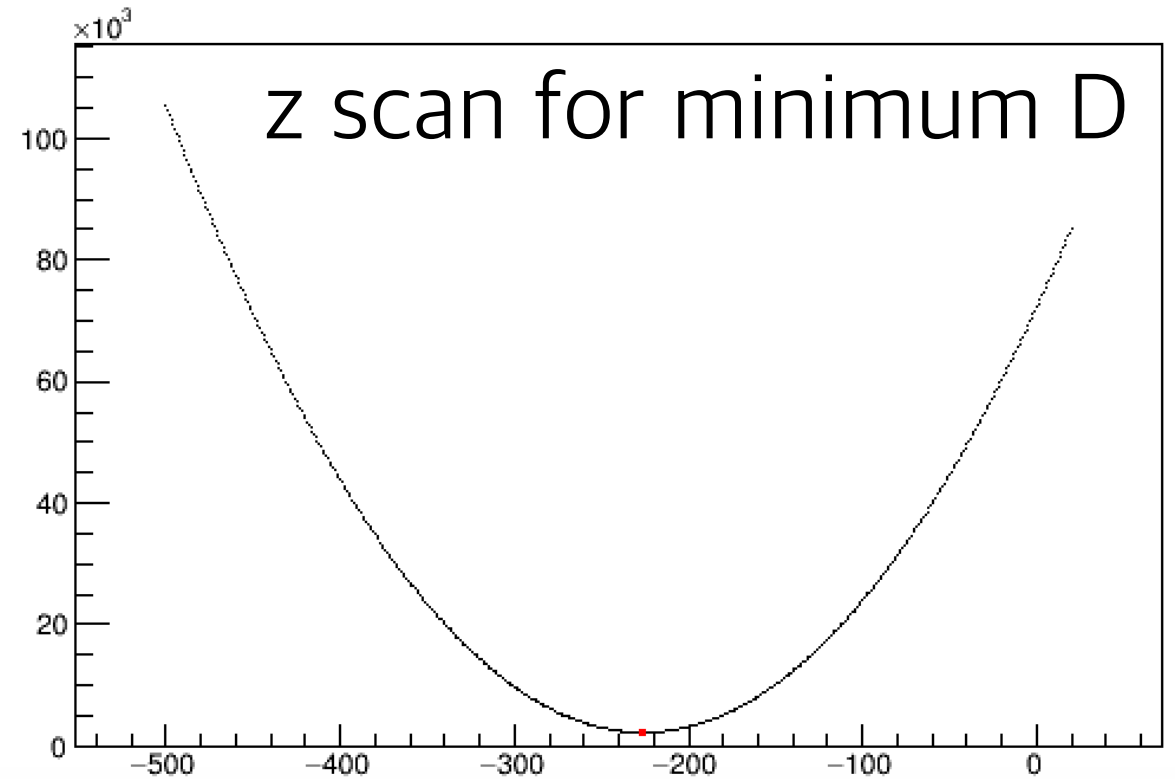
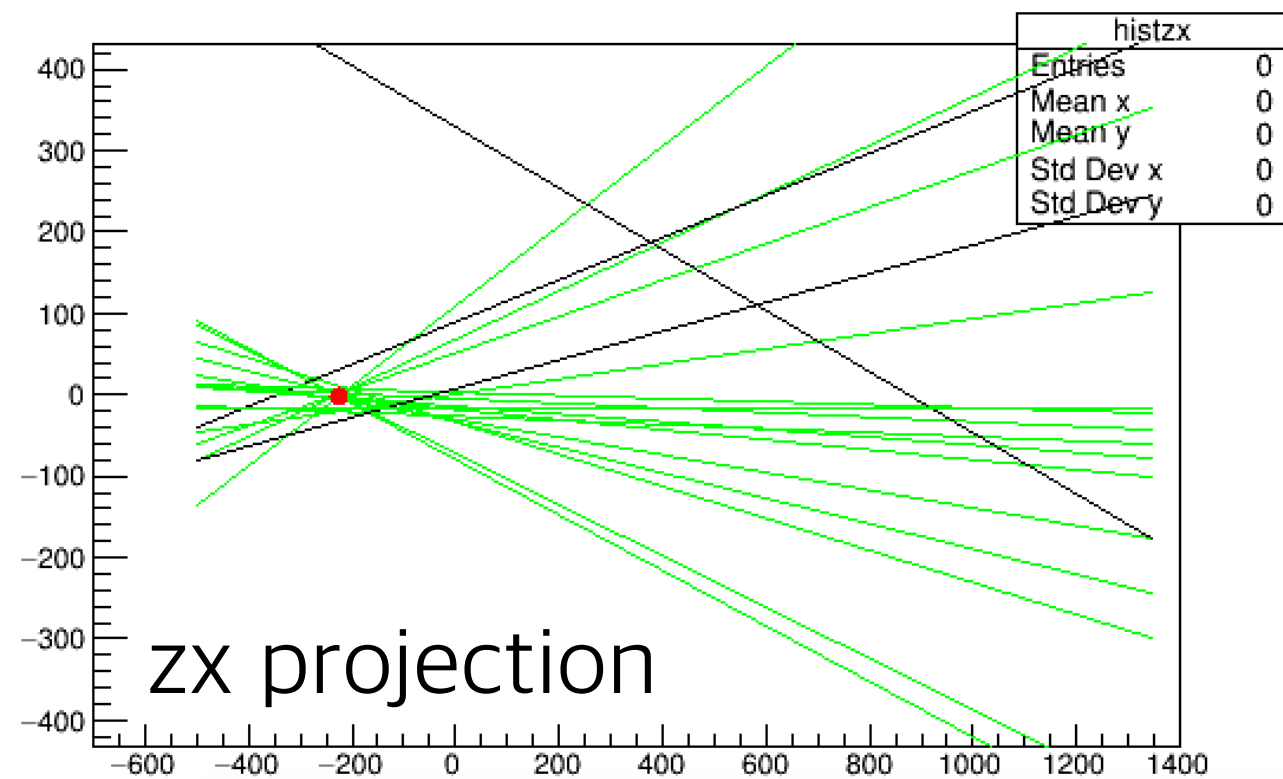


# One example of the vertex finding

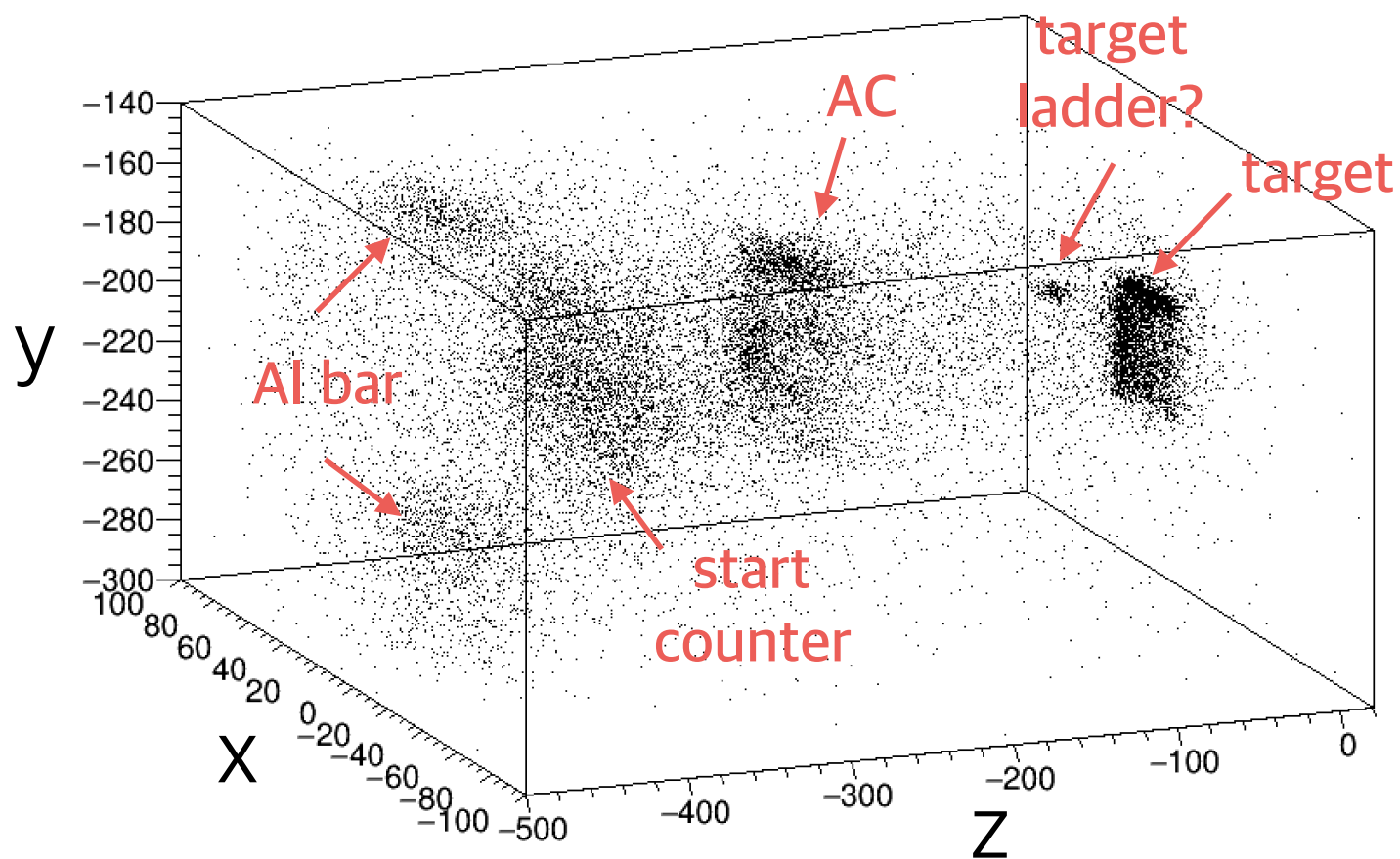
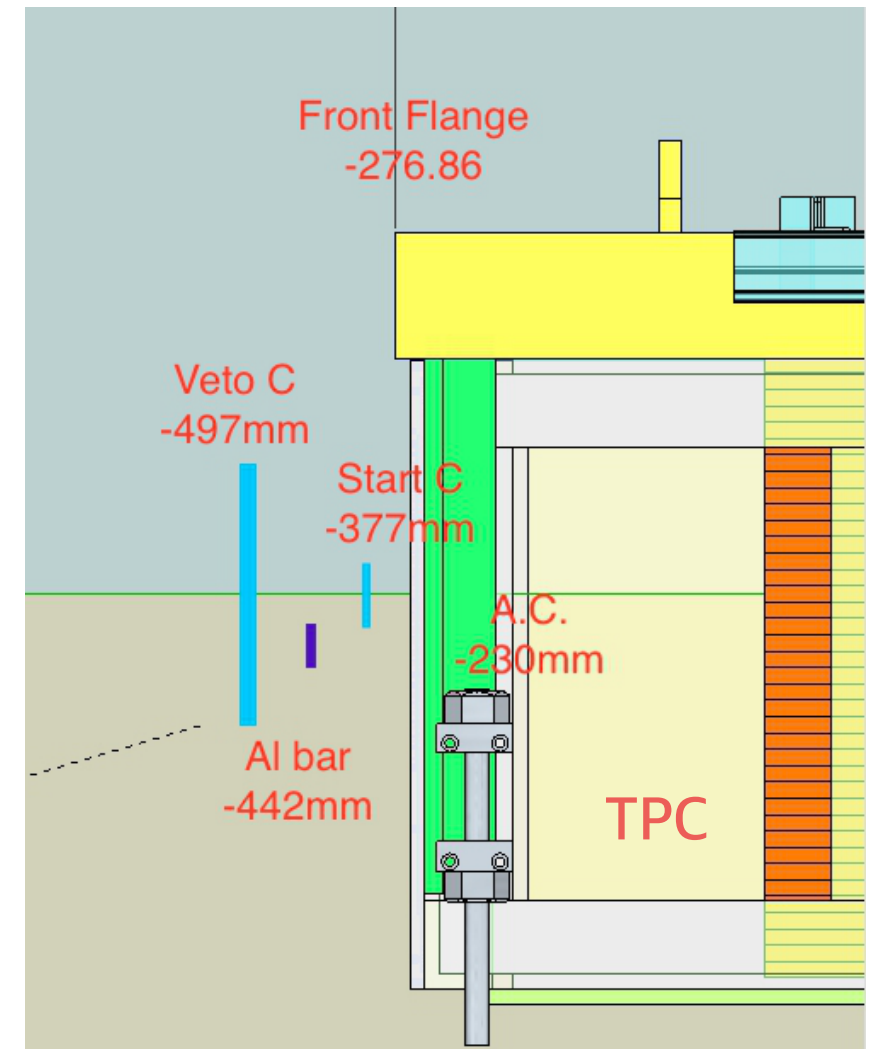
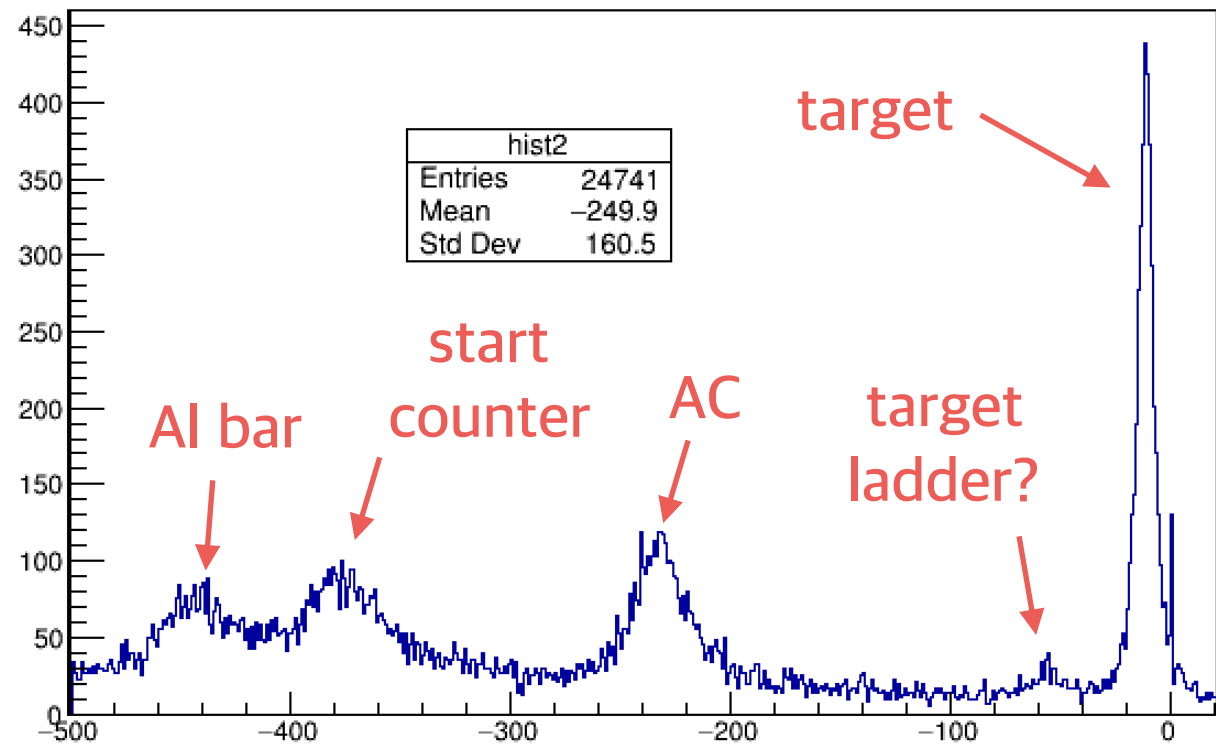


Green: selected tracks

●: found vertex



# Result



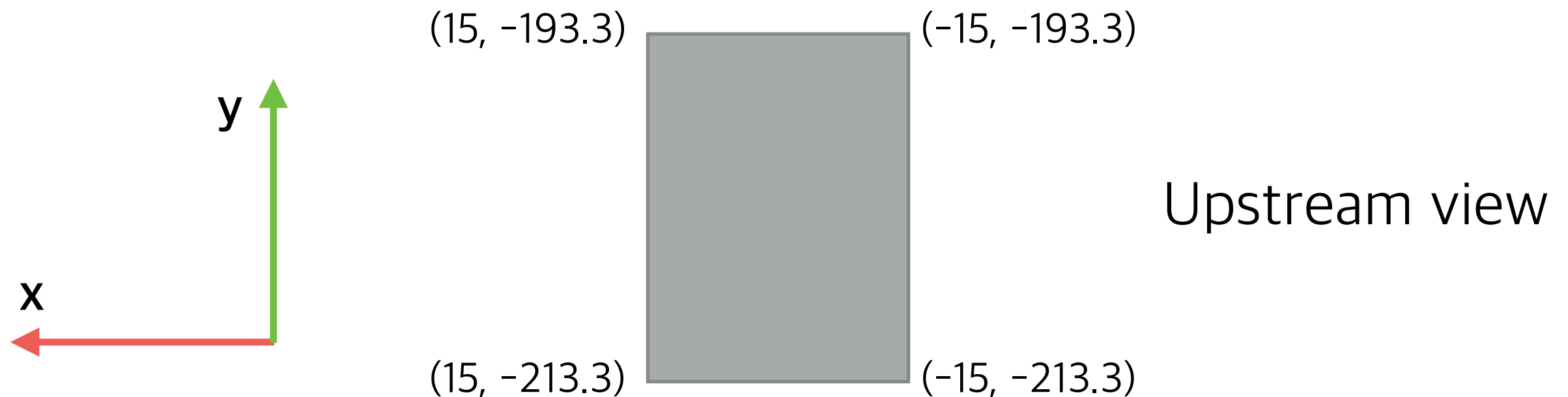
# Vertex finding

Genie Jhang

2015. 12. 2

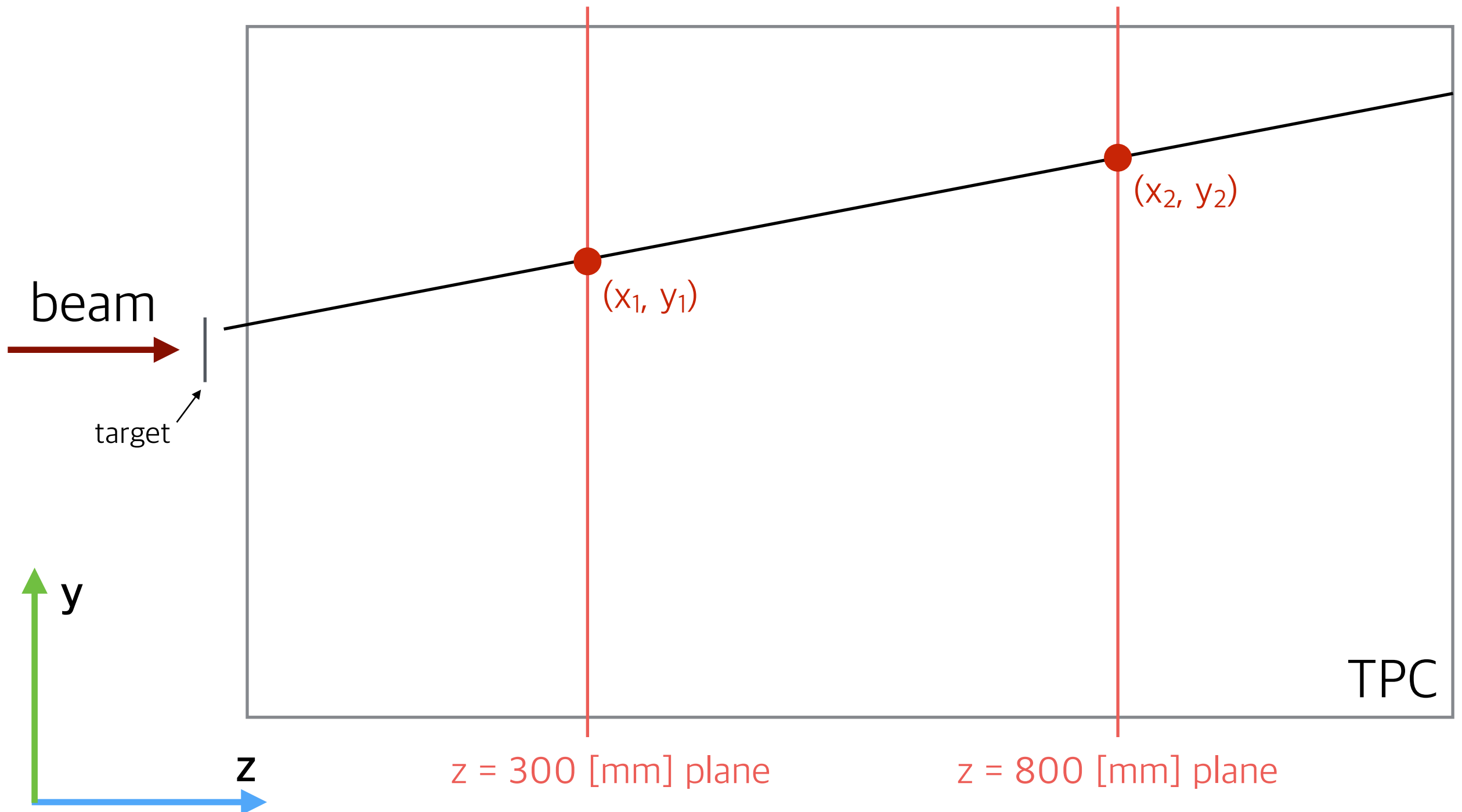
# Parameters

- Target size:  $(x, y) = (30, 40)$  [mm]
- Target center ( $S_n$ ):  $(x, y, z) = (0, -213.3, -8.9)$  [mm]
- Target sides ( $S_n$ ):
  - $(x_{\text{Min}}, y_{\text{Min}}, x_{\text{Max}}, y_{\text{Max}}) = (-15, -233.3, 15, -193.3)$  [mm]



# Track selection method

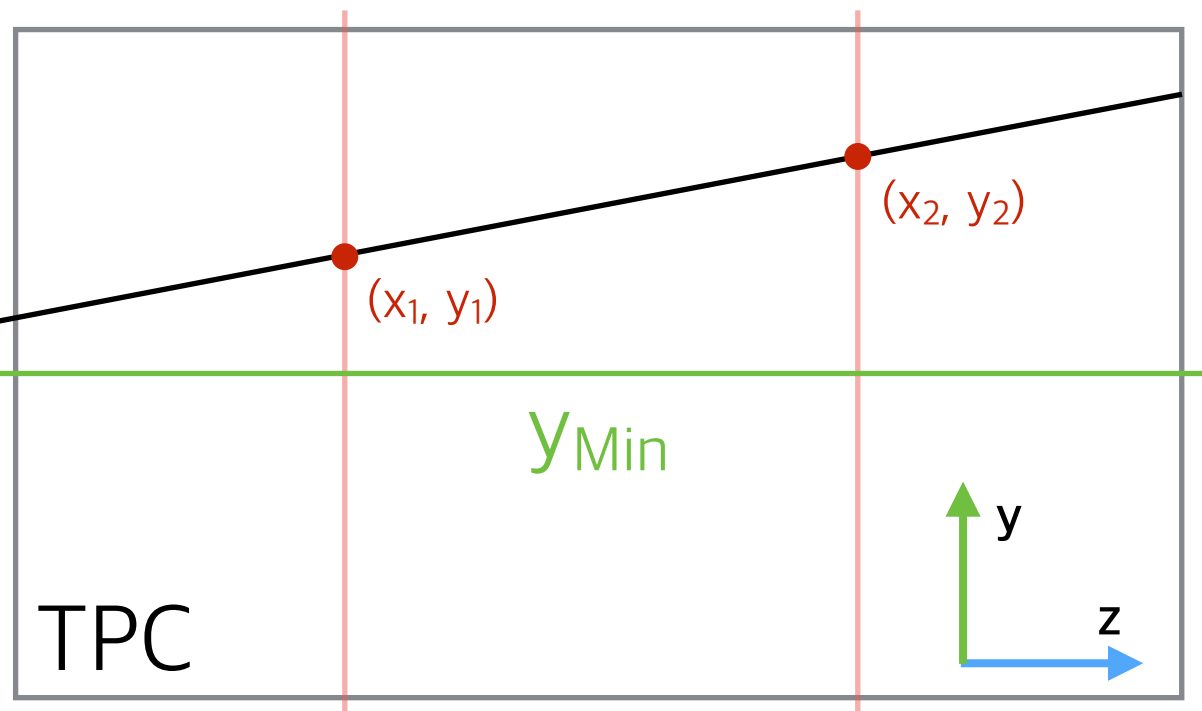
- Find crossing points  $(x, y)$  at  $z=300$  and  $800$  planes.



# Track selection method

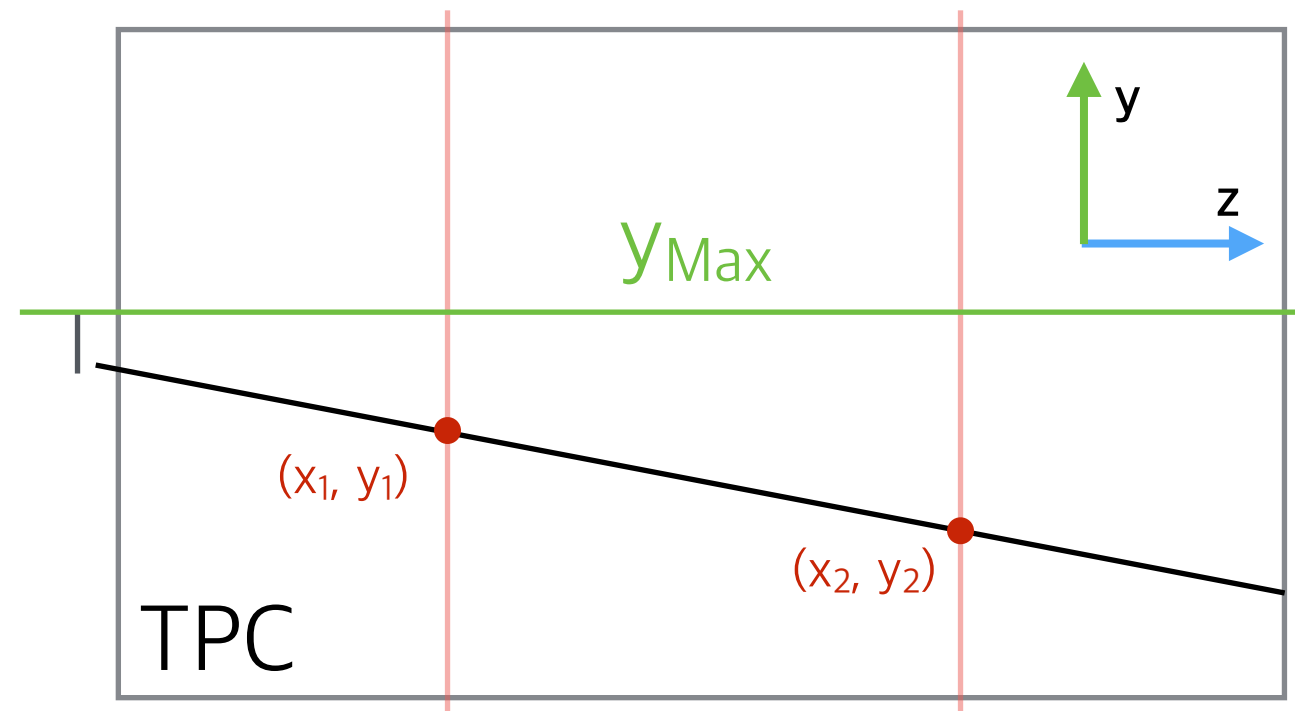
- The two points  $(x_1, y_1)$  and  $(x_2, y_2)$  must satisfy the following criteria.

For rising tracks



- Both  $y_1$  and  $y_2$  must be above  $y_{\text{Min}}$ .
- The slope should be positive.

For descending tracks

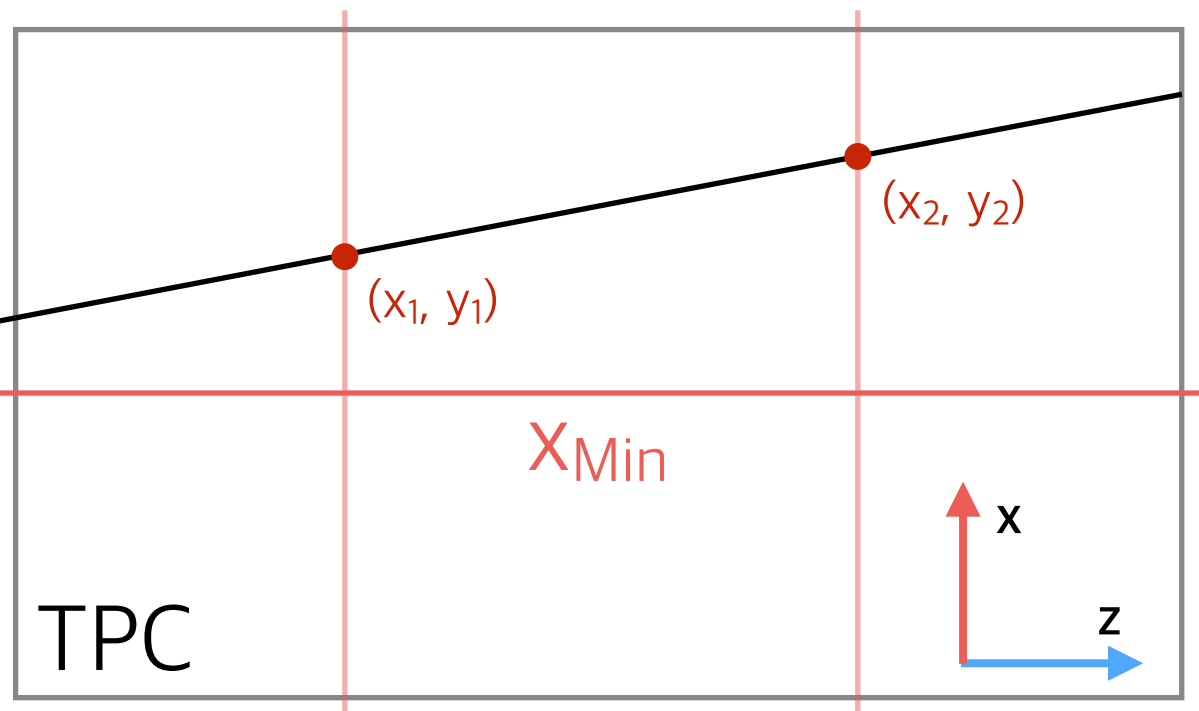


- Both  $y_1$  and  $y_2$  must be below  $y_{\text{Max}}$ .
- The slope should be negative.

# Track selection method

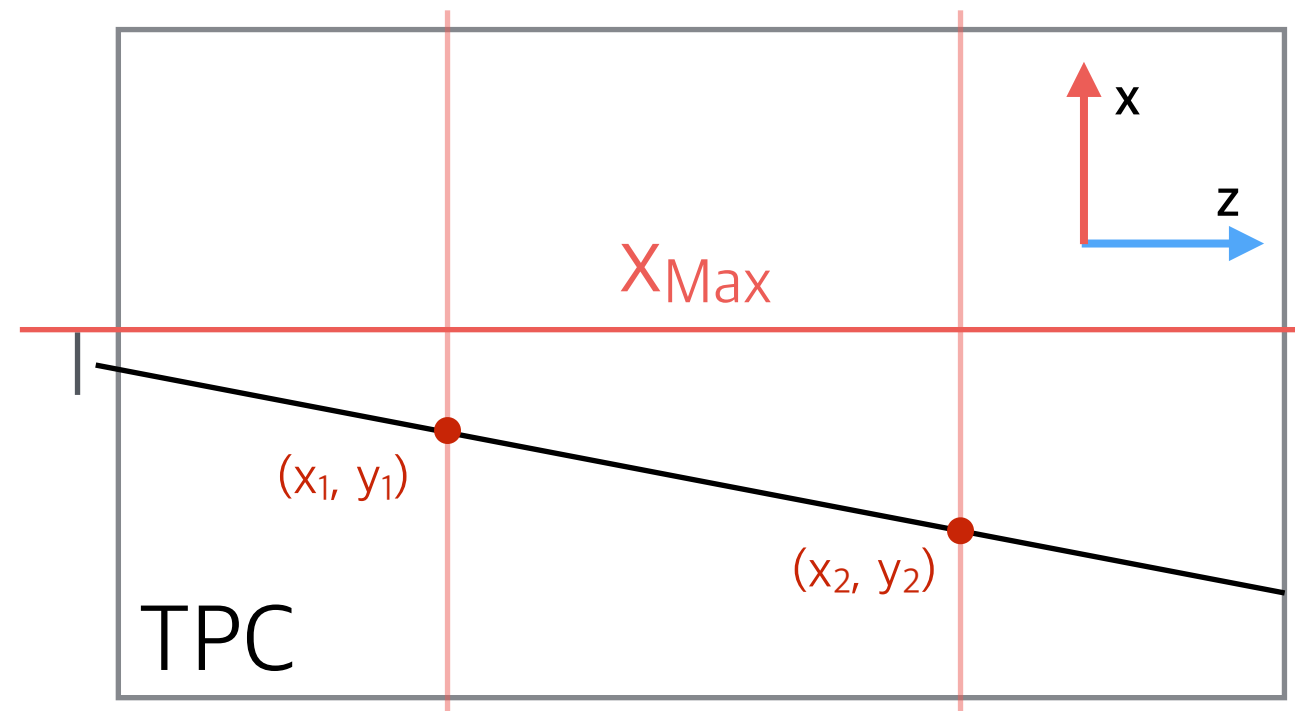
- The two points  $(x_1, y_1)$  and  $(x_2, y_2)$  must satisfy the following criteria.

For tracks going to beam-left



1. Both  $x_1$  and  $x_2$  must be above  $x_{Min}$ .
2. The slope should be positive.

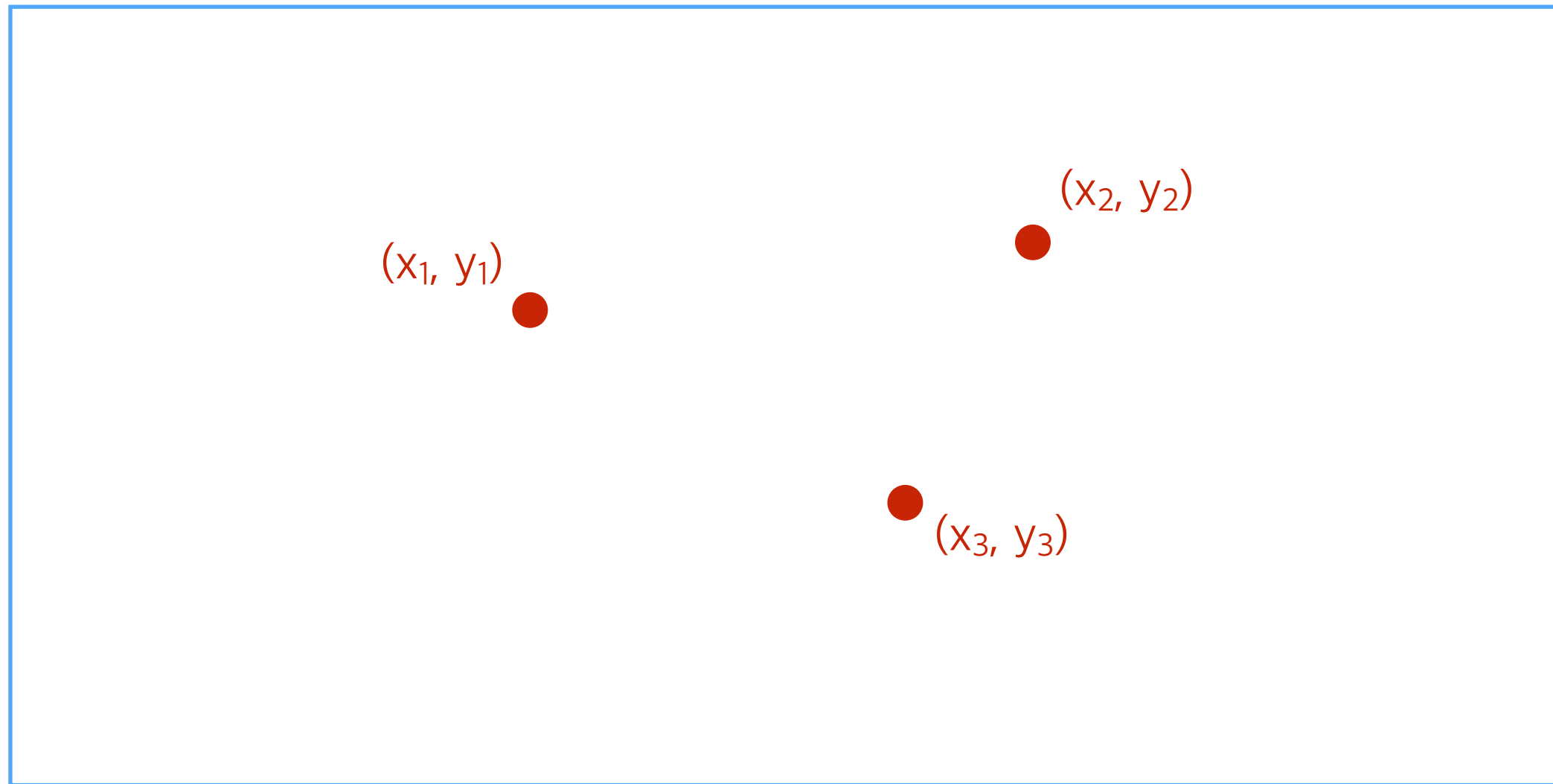
For tracks going to beam-right



1. Both  $x_1$  and  $x_2$  must be below  $x_{Max}$ .
2. The slope should be negative.

# Vertex finding method

- For the tracks satisfying the criteria before, find the crossing points on the plane  $z = 10$  [mm].
- Suppose we have three tracks crossing the plane.



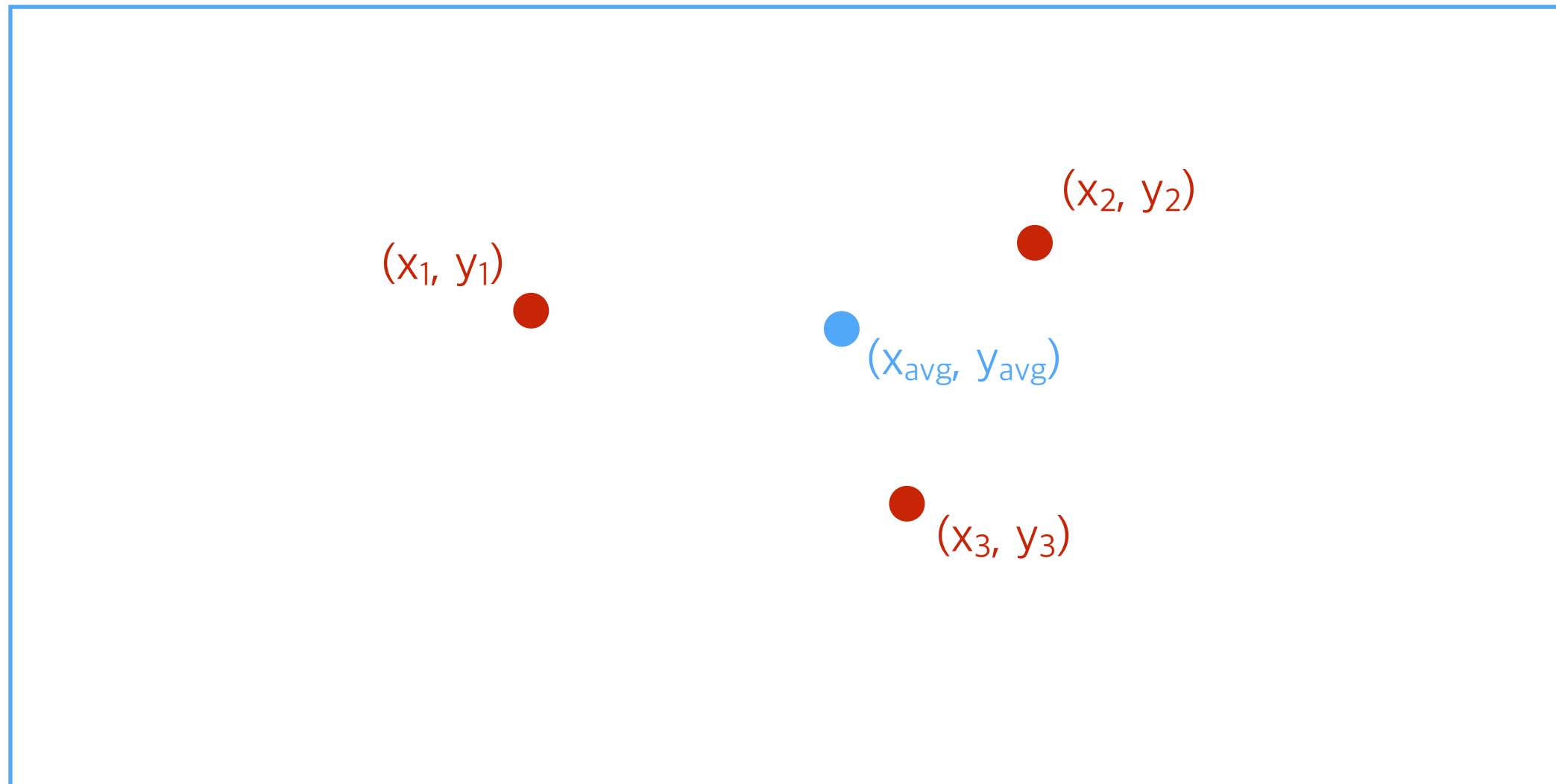
$z = 10$  [mm] plane



# Vertex finding method

1. Find the average point of all the points crossing the plane.

$$x_{\text{avg}} = \sum x_i / N \quad y_{\text{avg}} = \sum y_i / N$$



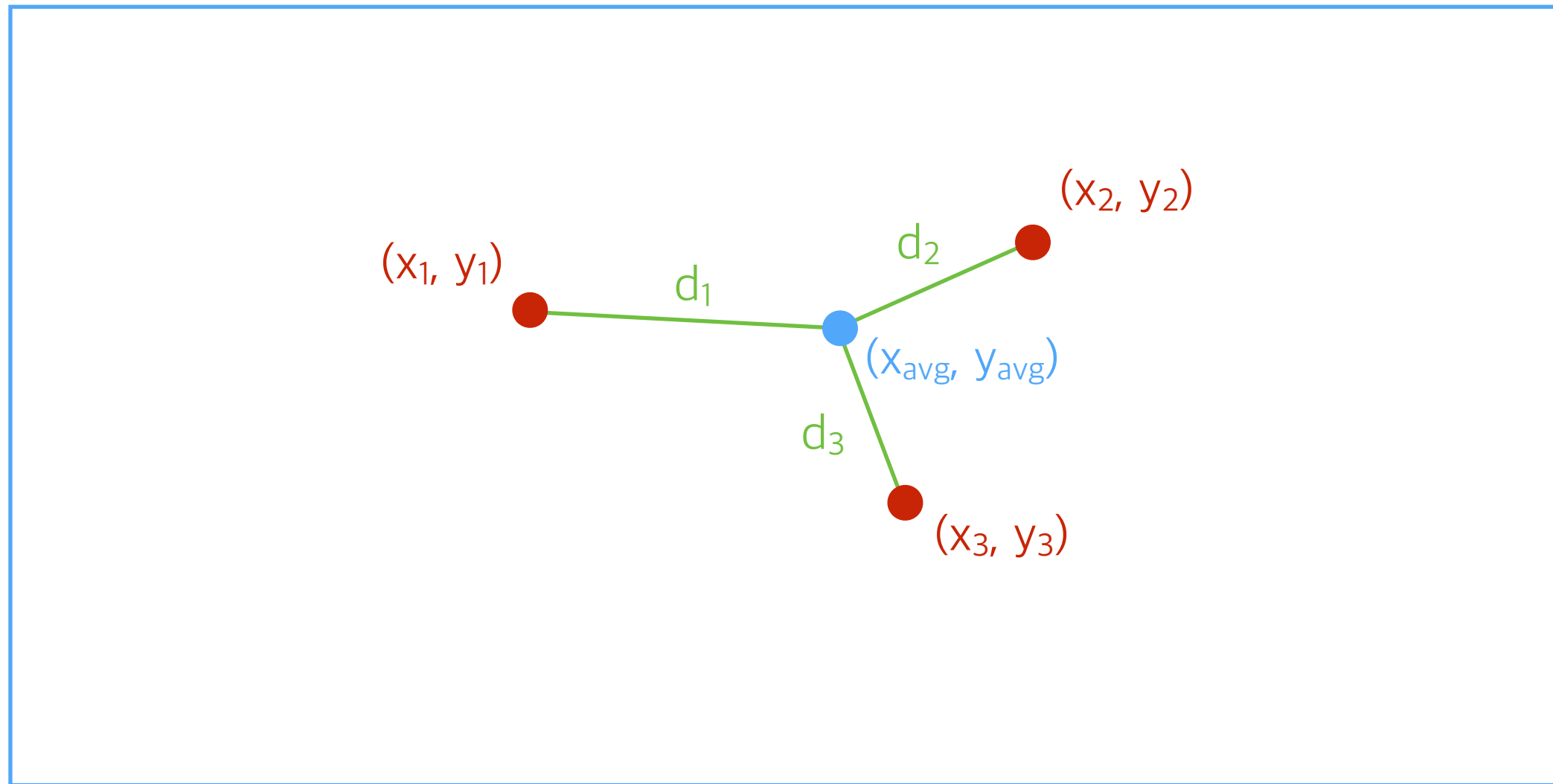
$z = 10$  [mm] plane

# Vertex finding method

2. Calculate the sum of the distances between the average point to each point.

$$D = \sum d_i$$

3. Scan  $z$  from 10 to -500 [mm] to find the minimum  $D$ .



$z = 10$  [mm] plane