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1

ψ(2S) Measurement in p+Pb collisions

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Flash Back: Pb+p Run in CMS

1. Run 210498-211256 (18/nb)



2. Run 211313-211631 (12/nb)



Physics Aim

> To obtain Psi(2S) to J/Psi ratio as a function of rapidity and pT to study the effect of Cold Nuclear Matter Effects on the two Charmonia states.

> We can also obtain $Psi(2S) R_{pPb}$

Data Used (Based on CMS AN-13-346 (J/psi in p+Pb))

- Mis-aligned 1st 7 runs (210498-): store/caf/user/lamia/merged_pPbData_1st_ntuple_ReprocessedReco
 - v1_GR_P_V43F_pileupRej_muID_tot.root
- 1st run Pbp (run 210-) : store/caf/user/lamia/merged_pPbData_1st_ntuple_PromptReco-v1_GR_P_V43D_pileupRej_muID_tot.root
- 2nd run pPb (run21131-) : /store/caf/user/lamia/merged_pPbData_2nd_ntuple_PromptReco
 - v1_GR_P_V43D_pileupRej_muID_tot.root

Bins

$$\eta_{CM} = -(\eta_{lab}^{1st} + 0.465)$$
$$\eta_{CM} = \eta_{lab}^{2nd} - 0.465$$

$$Y_{CM} = [-1.93, -0.9, 0, 0.9, 1.93]$$

$$Y_{Lab}^{I} = [1.47, 0.43, -0.47, -1.37, -2.4]$$

$$Y_{Lab}^{II} = [-1.47, -0.43, 0.47, 1.37, 2.4]$$

 $p_{T} = [5.0, 6.5, 10, 30]$

Fitting Method (Based on CMS AN-12-118 (\u03c7(2S) in Pb+Pb))

- > Unbinned maximum likely hood fitting using rooFit
- > Signal Shape :CB + Gaussian for both $\psi(1S)$ and $\psi(2S)$
- Background : Chebeychev Polynomial

Single Muon acceptance Cut

$$\begin{split} |\eta^{\mu}| < 1.3 &\to p_{\rm T}^{\mu} > 3.3 \text{ GeV/}c\\ 1.3 < |\eta^{\mu}| < 2.2 &\to p^{\mu} > 2.9 \text{ GeV/}c\\ 2.2 < |\eta^{\mu}| < 2.4 &\to p_{\rm T}^{\mu} > 0.8 \text{ GeV/}c \end{split}$$

Invariant Mass Plots (Pb+p) Total



6

Invariant Mass Plots (p+Pb) Total



7





 χ^2 /dof = 65/68

N.,.: :38.7 ± 23

N.I...: 2365.9 ± 206

R: 0.016 ± 0.010

Events / (0.025) 0.025) 0.025)

10

0.43 < y < 1.47

5.0 < p_ < 6.5 GeV/c



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Single Ratios

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Results



R_{BF}(Uncorrected) $Y_{CM} = [-1.93, -0.9, 0, 0.9, 1.93] p_T : [5.0, 6.5, 10, 30]$



Compare with ALICE



ALICE: 0.55 and 0.64 $\rm R_{\rm BF}$: 0.66

Summary and Outlook

- Ratio of Psi(2S) to J/Psi is obtained for Pbp and pPb datasets.
- Single ratios [Psi(2S) / J/Psi] increase with pT for every rapidity bin.
- $> R_{BF}$ as a function of rapidity and pT