

1. Solenoid Problem

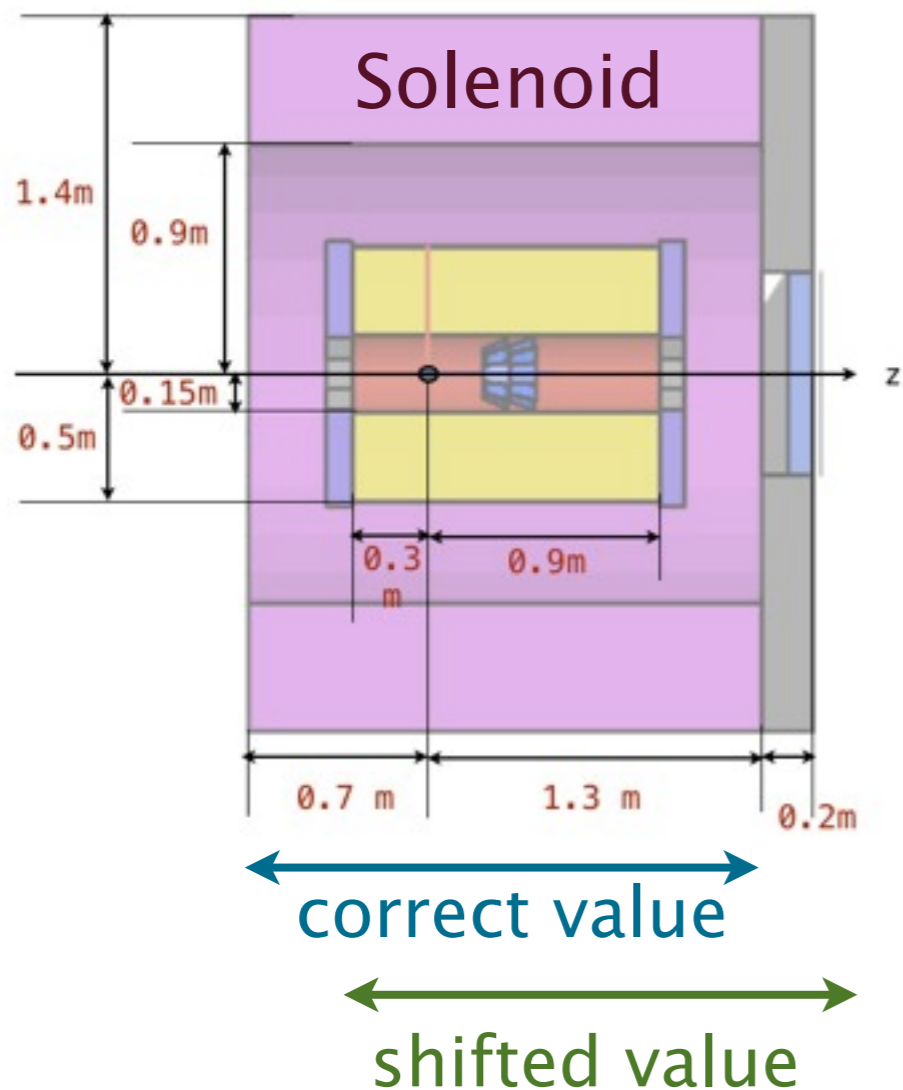
2. fringe function for QD

20130531 lab meeting
Songkyo Lee

Solenoid Problem

NOTICE : Problem!!

Solenoid B-Field from OPERA is not loaded properly



1. A variable is not correct
: Their name is given by GEANT4
Correct : $(x,y,z) = (\text{Point}[0],[1],[2])$
Current code : $(\text{Point}[0],[1],[3])$
2. The field range is wrong
Correct : $-0.7\text{m} \sim 1.3\text{m}$
Current code : $-0.3\text{m} \sim 1.3\text{m}$
(Values are also **shifted**)

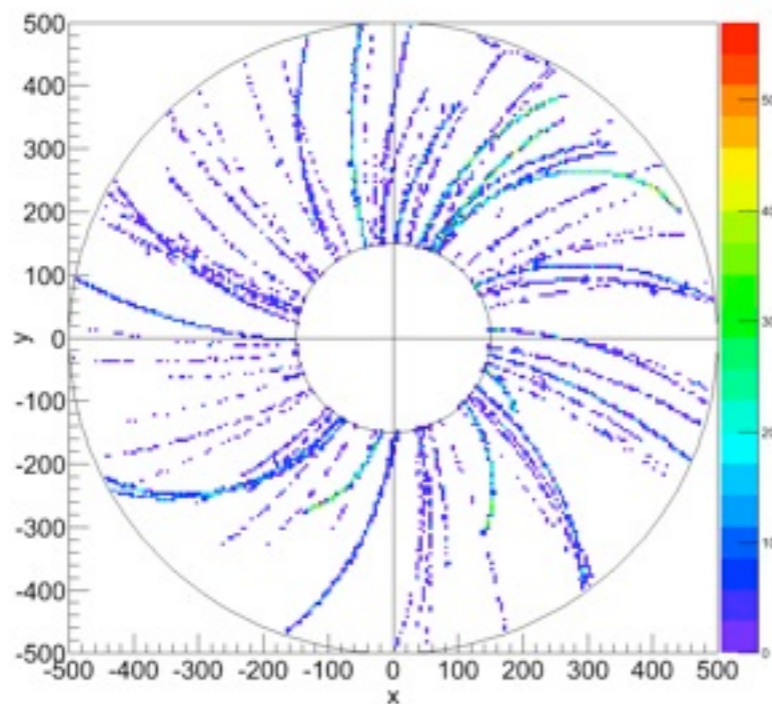
Solenoid Problem

Comments from Young-Jin Kim (IBS)
LAMPS meeting 2013.05.03

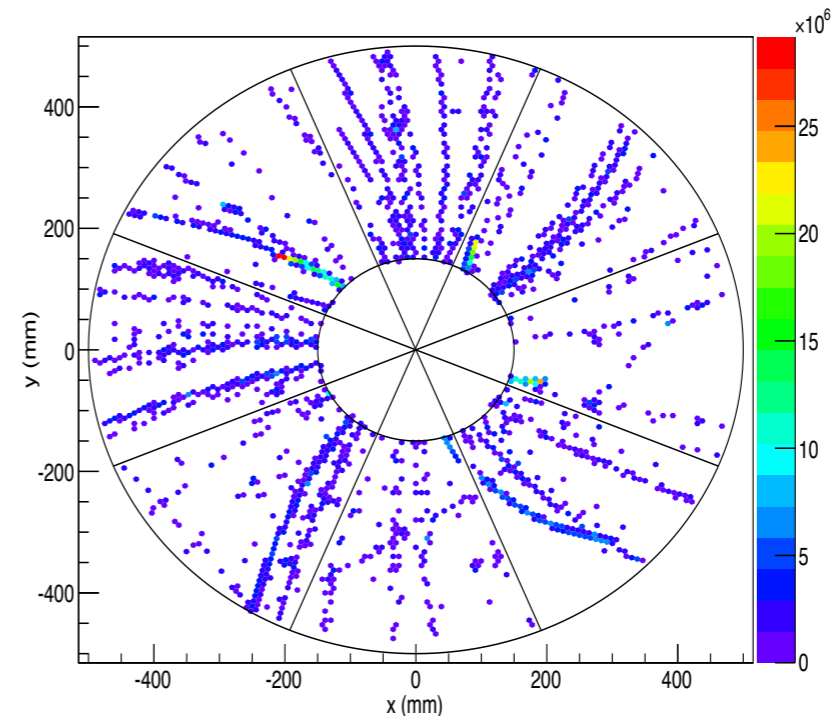
3. Direction of the B-field is the opposite

Before : $B_z = +0.6\text{T}$ (positive)

Current code : $B_z = -\star\text{T}$ (**negative**)



Before
(from Genie)



Current
(from Jung Woo)

Solenoid Problem

Ⓜ Are the up-to-date simulation results reliable? (2012.12.28~)

[Current GEANT4 Users]

1. Myself : FPD simulation – Solenoid field is turned off \Rightarrow OK
2. Eunah : Neutron simulation – not affected by B-field \Rightarrow OK
3. Yeonju : Not only neutron, charged particle included simulation
 - She is using the old code (constant B-field) \Rightarrow OK
 - It would be better to use OPERA
4. Jungwoo : TPC simulation \Rightarrow **NOT OK!!!**

Ⓜ Solution

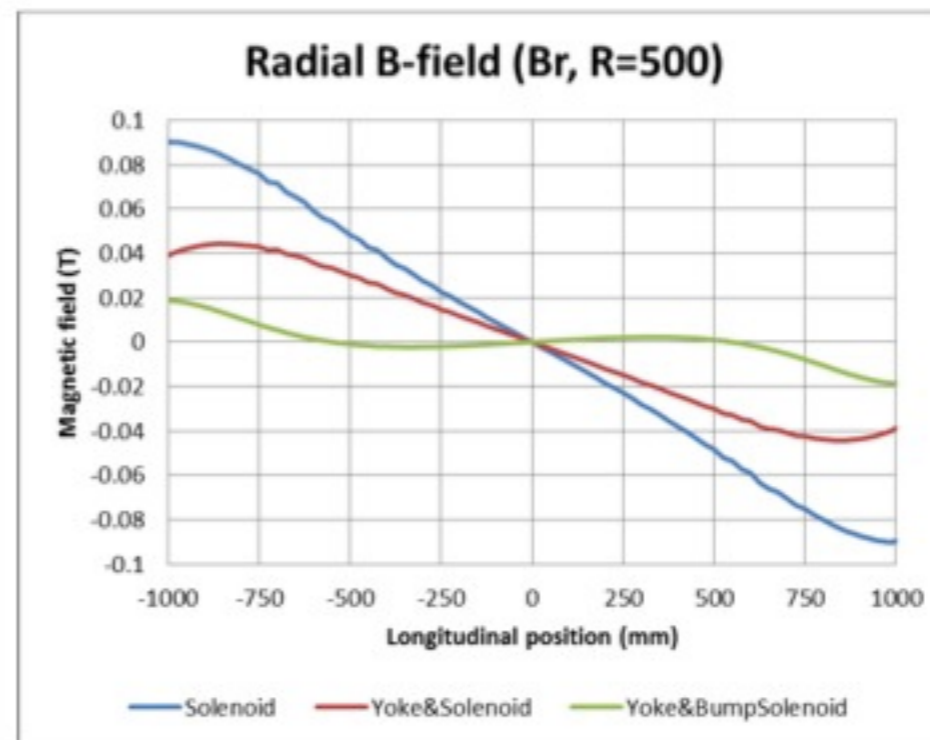
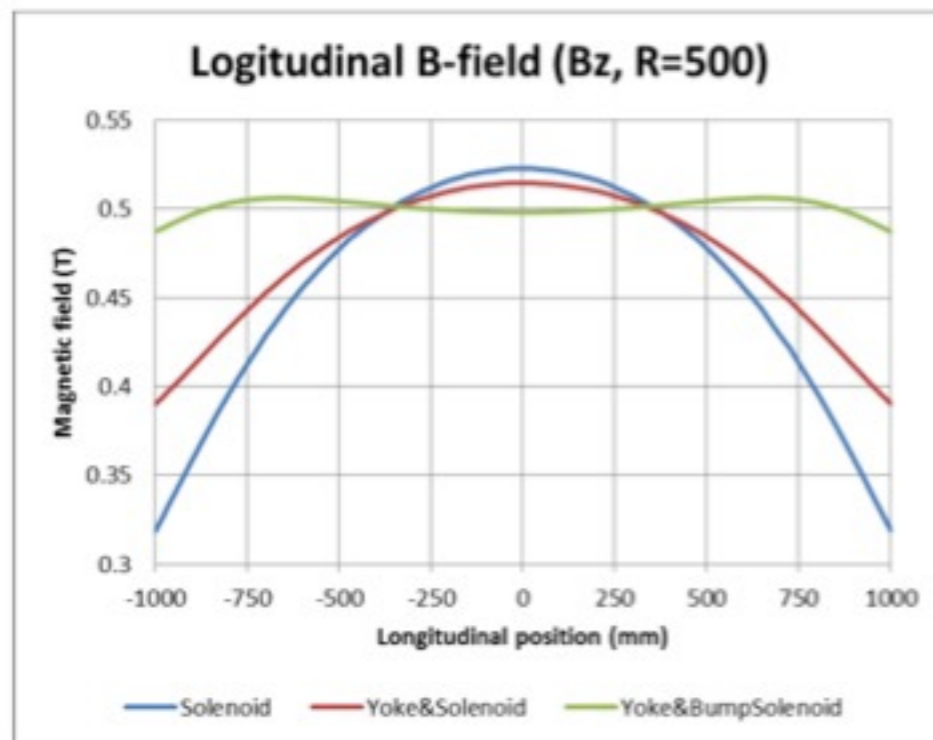
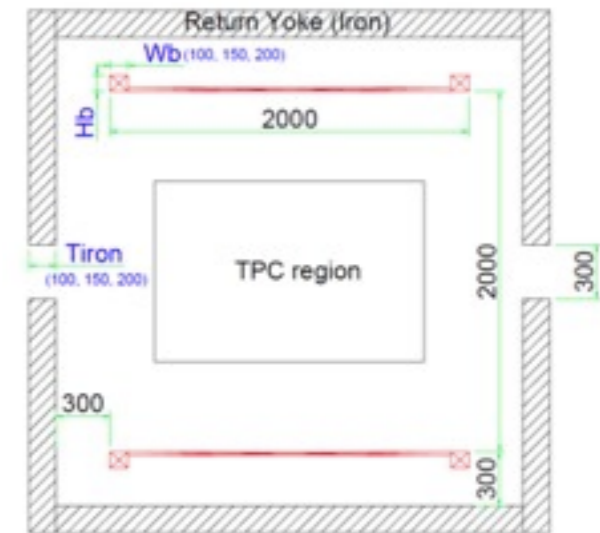
- : I have fixed the problem for my code (discussed w/ Genie)
- : update on the svn soon (<http://nuclear.korea.ac.kr/websvn>)
(planning to work with Jungwoo)

Solenoid Problem

Dogyun Kim(IBS)
LAMPS workshop 2012.12.16

Question

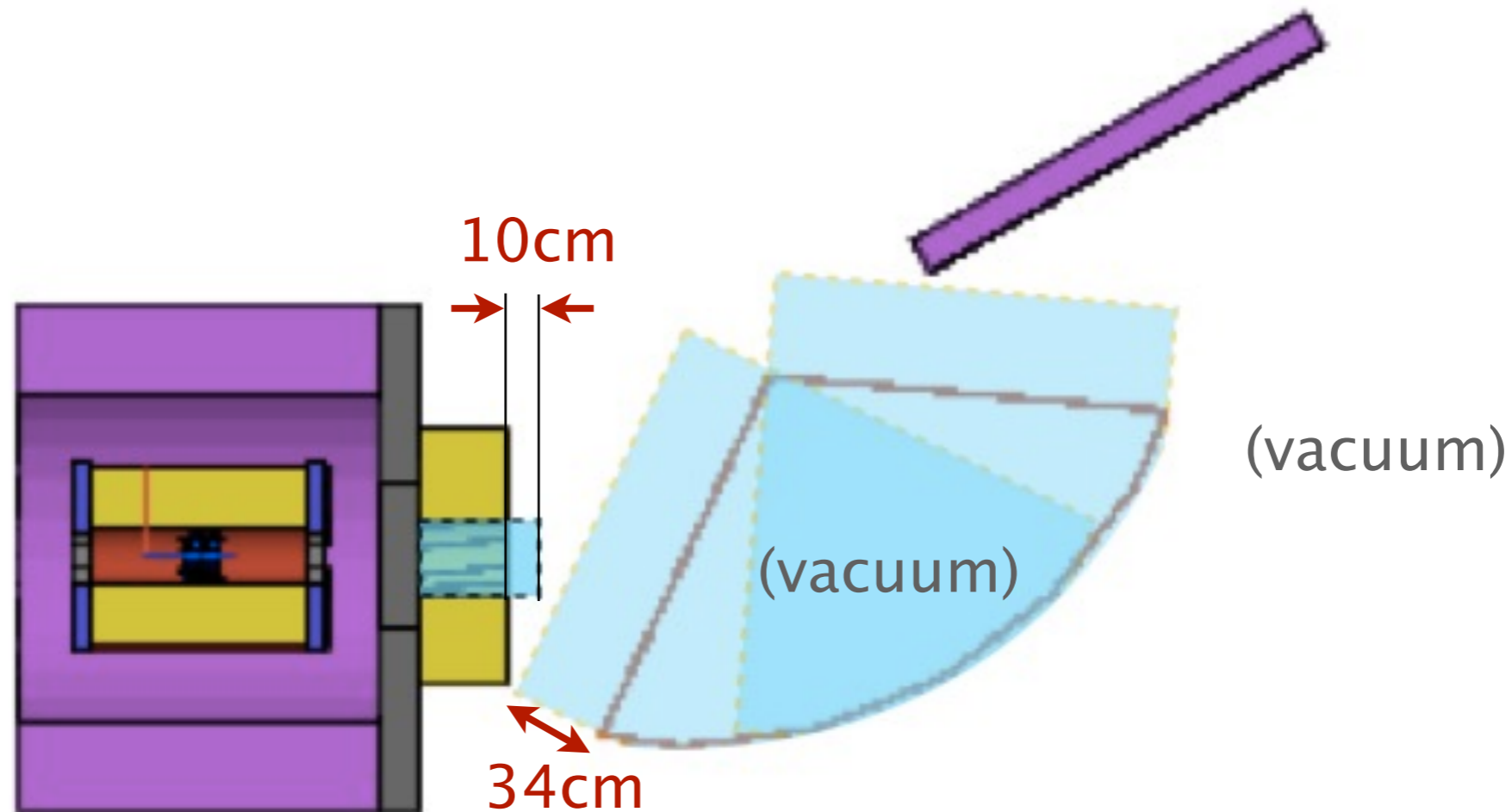
- : Is the field map symmetric?
- : Which configuration?
(Solenoid / Yoke&Solenoid / Yoke&BumpSolenoid)
- : Is the solenoid inner diameter 1.8m or 2.0m?
- : Is the fringe field outside not concerned (\therefore Yoke?)



① **How to cut the field region (z')?**

: Q & DP field region should not overlap (distance $\sim 1\text{cm}$)

: At the same time, both Enge function value rather be similar

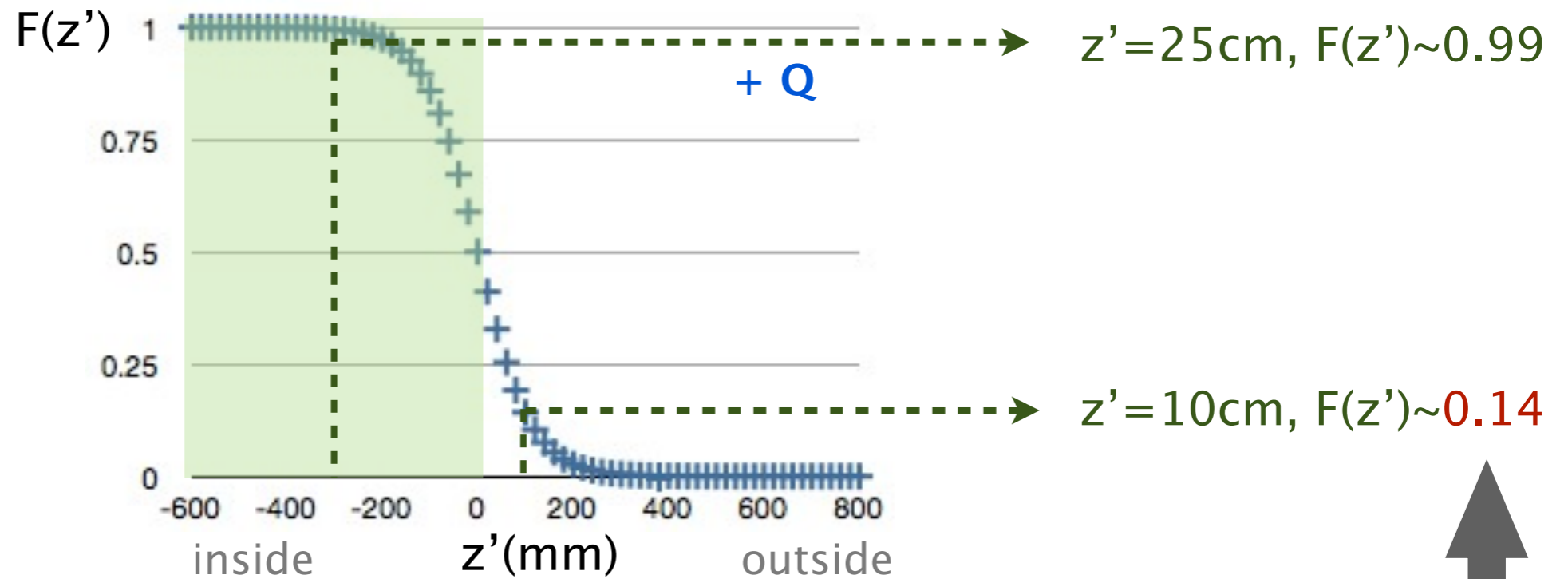


① No cut for inside the magnet

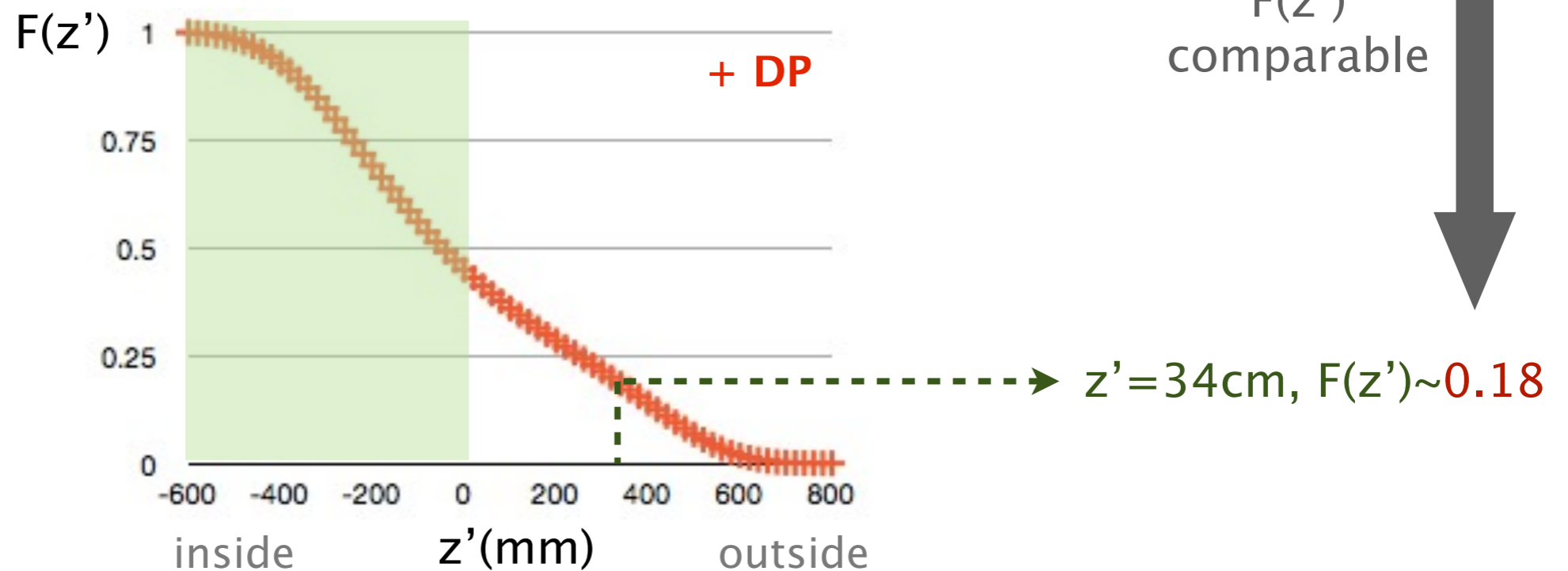
① No fringe function for the entrance region of Q-magnet

Enge Function

⊕ for Q :

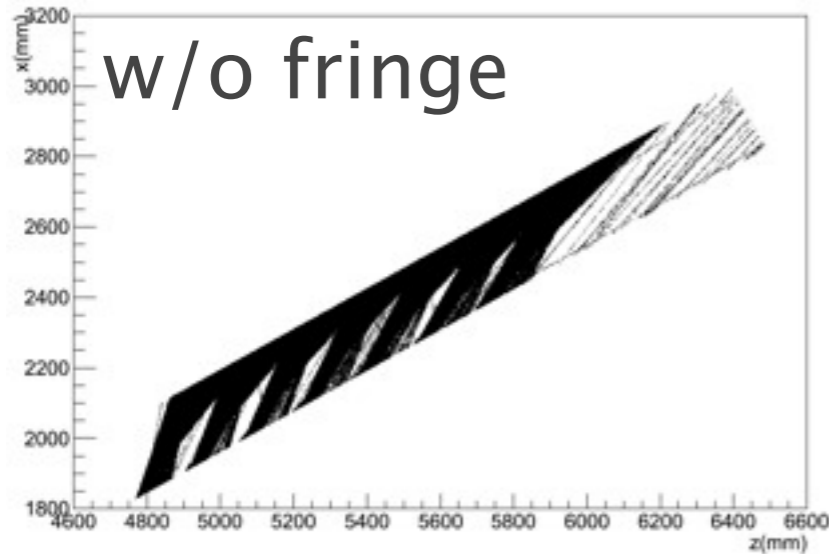


⊕ for DP :



FPD position

x position vs z position on FPD



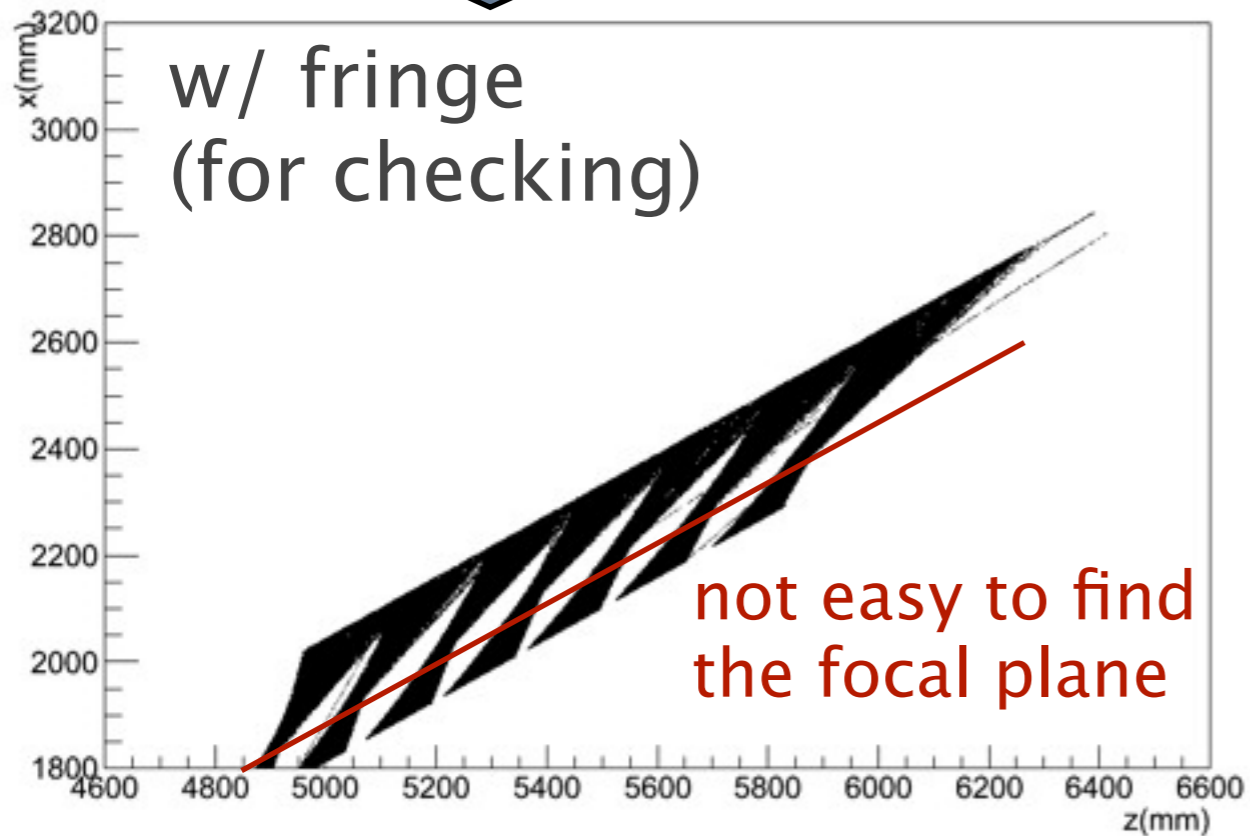
[07_LAMPS_QD_130401_fringe]

[draw_xPos_zPoz.cc]

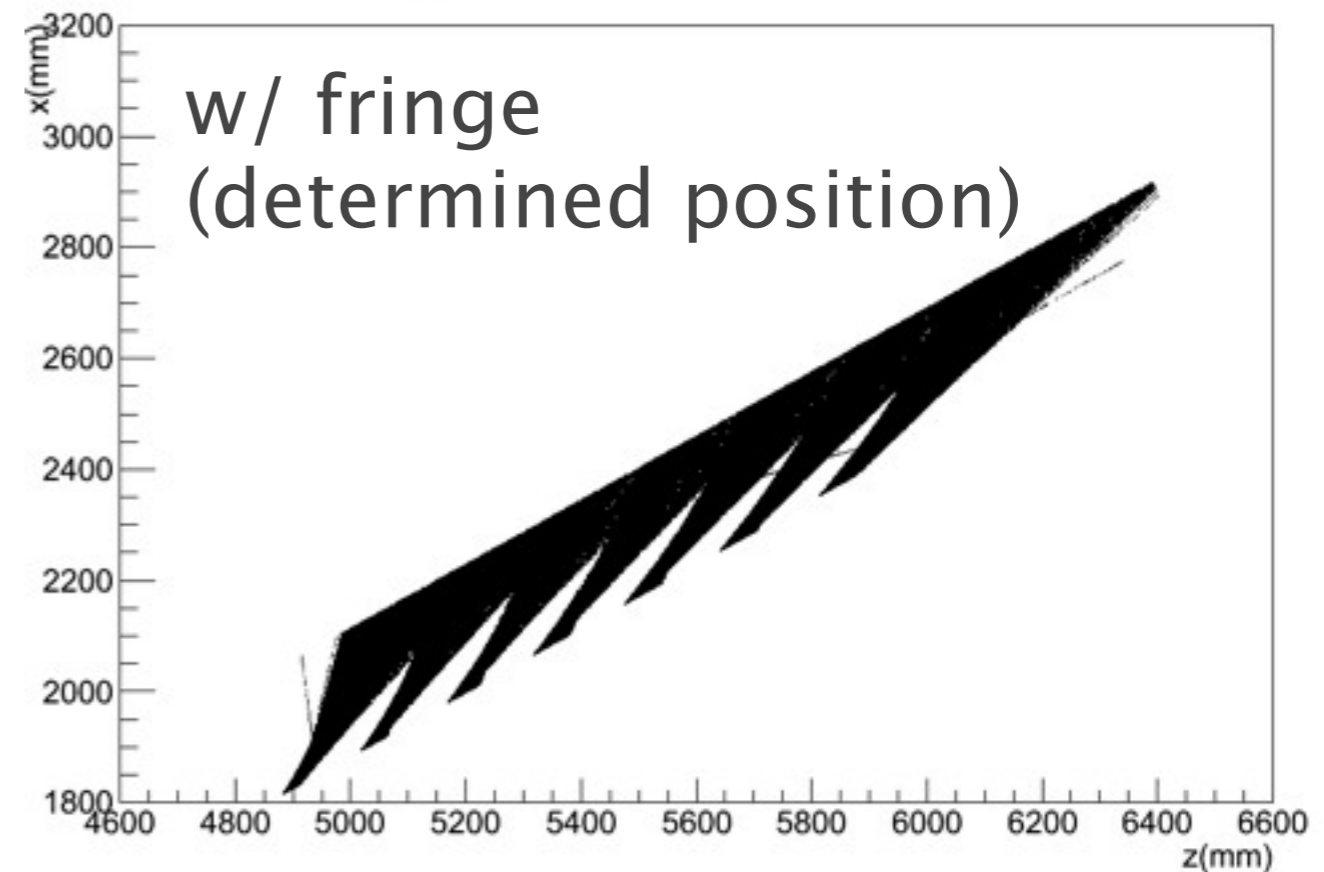
- x-focusing seems improved with the fringe function



x position vs z position on FPD



x position vs z position on FPD

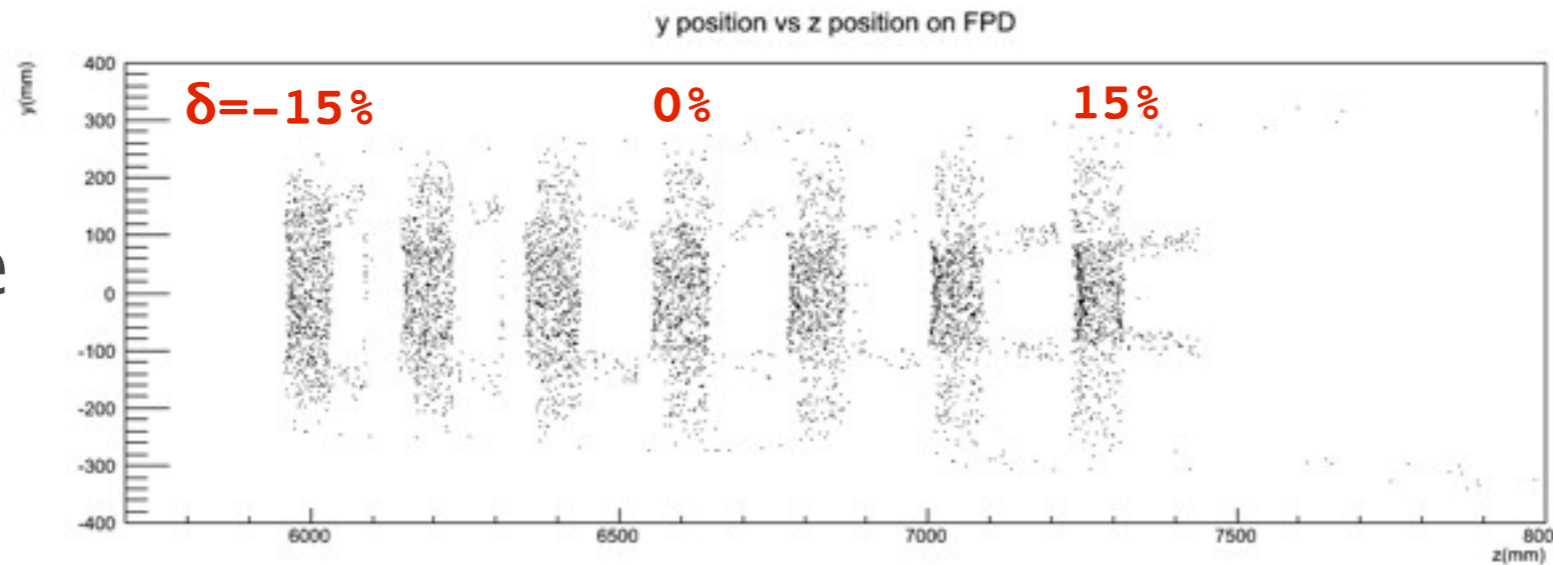


FPD position

- central trajectory : proton with $KE = 20\text{MeV}$ ($p=194.7\text{MeV}/c$)
- 7000 protons : 1000 protons for each δ ($\Delta\delta=5\%$)
- fastest hit on FPD only
- momentum direction random ($x' \leq 50\text{mrad}$, $y' \leq 50\text{mrad}$)

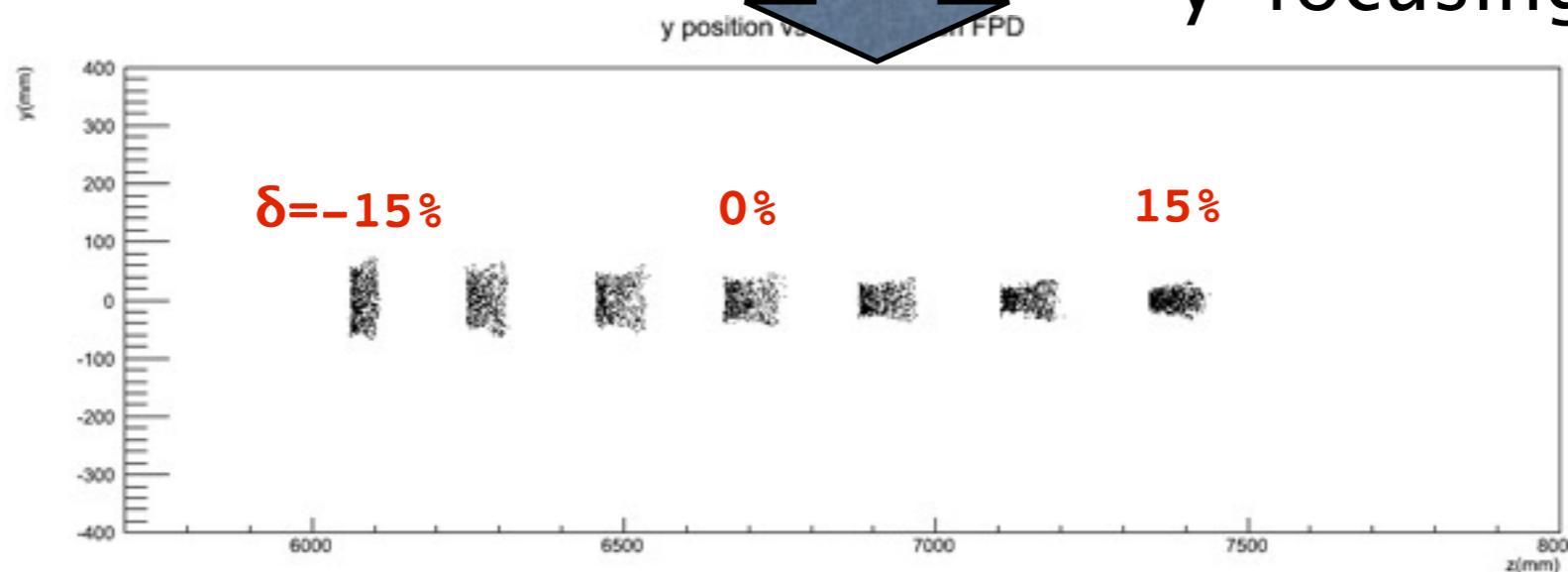
[07_LAMPS_QD_130401_fringe]
[draw_yPos_zPoz_minTime.cc]

w/o fringe



⊗ y-focusing also improved?

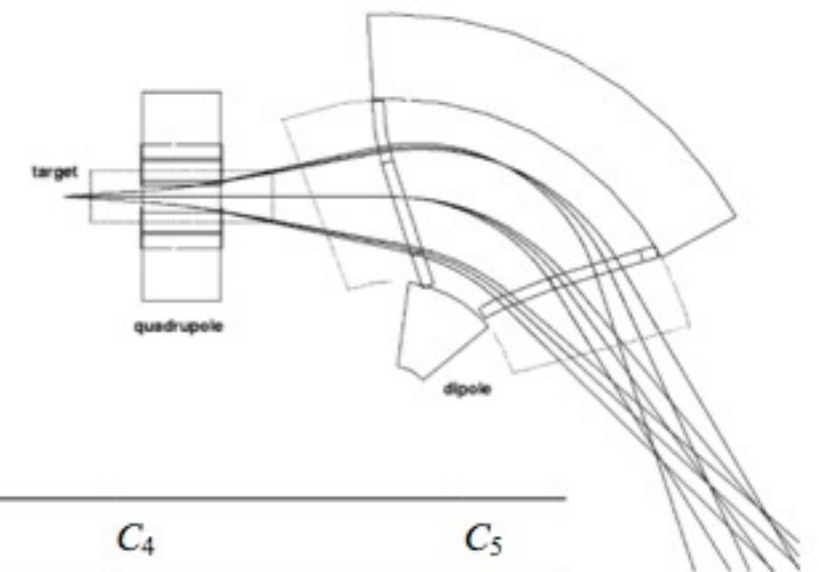
w/ fringe



SUMMARY & FUTURE PLANS

- ⊕ **Need to check the current QD system more**
 - : calculate resolving power
 - : other study for FPD simulation

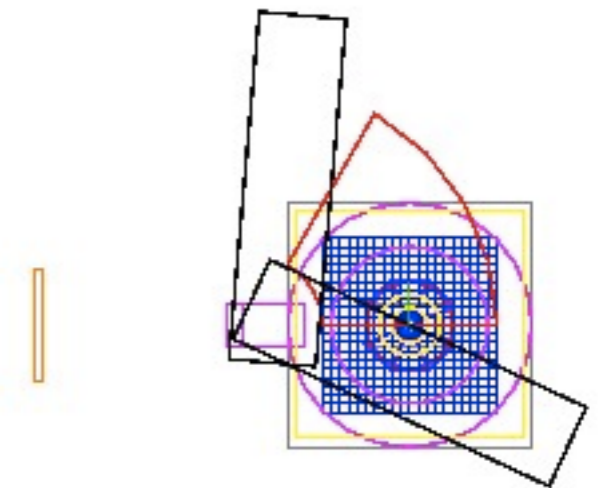
- ⊕ **From Dr.Yun (Last discussion at HIM meeting)**
 - : focal plane width **1m** & momentum acceptance **$\pm 20\%$ (not 30%)**
 - : To improve the focal points,
need higher order multipole element?
 - (In case of MAGNEX, surface coils on DP)
 - : change the Enge-function parameter?



Parameters of the fringe field Enge functions for the dipole and the quadrupole

	C_0	C_1	C_2	C_3	C_4	C_5
Dipole	0.503	4.43	-1.39	0.84	-0.1590	0.0575
Quadrupole	0.3795	4.0034	-2.1	1.1973	-0.3683	0.0478

BACK-UP

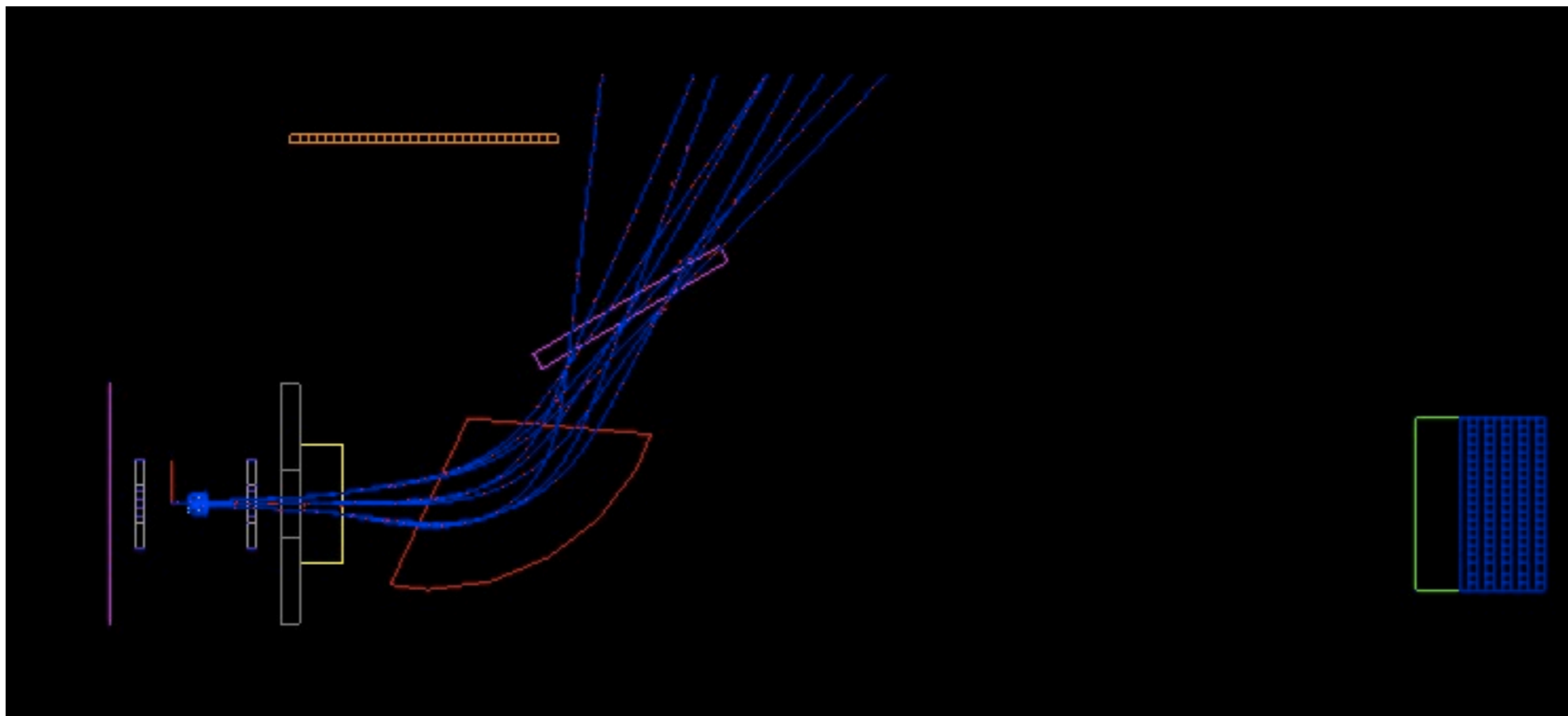


Matrix

[07_LAMPS_QD_130401_fringe]

- ① HeGas for ExpHall & DP (for track visualization)

KE=14.5MeV KE=20MeV KE=26.3MeV
(165.5MeV/c) (194.7MeV/c) (224MeV/c)



NOTICE!

- ① rndmKE ← not random at the moment!
(for useRandom 2)

[07_LAMPS_QD_130401_fringe]
[rigidity_numbers]

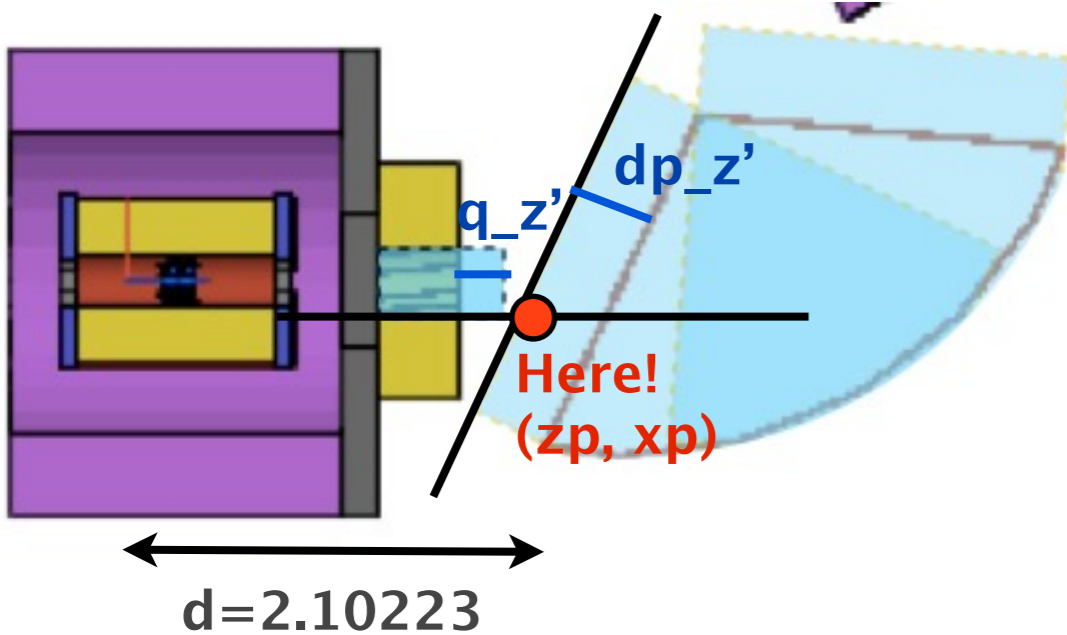
$\delta(\%)$	rigidity(Tm)	p(MeV/c)	KE(MeV)
-20	0.51935605	155.806815	12.8484496
-15	0.5518158	165.54474	14.4920878
-10	0.58427554	175.282662	16.232247
-5	0.61673531	185.020593	18.0684027
0	0.64919506	194.758518	20.0000002
5	0.68165481	204.496443	22.0264646
10	0.71411457	214.234371	24.1471975
15	0.74657652	223.972956	26.3617289
20	0.77906407	233.719221	28.6711319

```
LAMPS (Idle) [/] [100]:cd lamps/
LAMPS (Idle) [/lamps/] [101]:useRandom 2
LAMPS (Idle) [/lamps/] [102]:particle proton
LAMPS (Idle) [/lamps/] [103]:rndmKE 20

Screenshot_2
012-...1.png
Range of the Initial Kinetic Energy: 0 - 20 MeV
Range of the Inition Kinetic Energy Per Nucleon: 0 - 20 MeV
Range of the Initial Momentum: 0 - 194.759 MeV/c
Range of the Initial Momentum Per Nucleon: 0 - 194.759 MeV/c

LAMPS (Idle) [/lamps/] [104]:rndm_p_direction 5 5 100
LAMPS (Idle) [/lamps/] [105]:/run/beamOn 1000
```

distance $\sim 1\text{cm}$



$$x = -0.2\text{m}$$

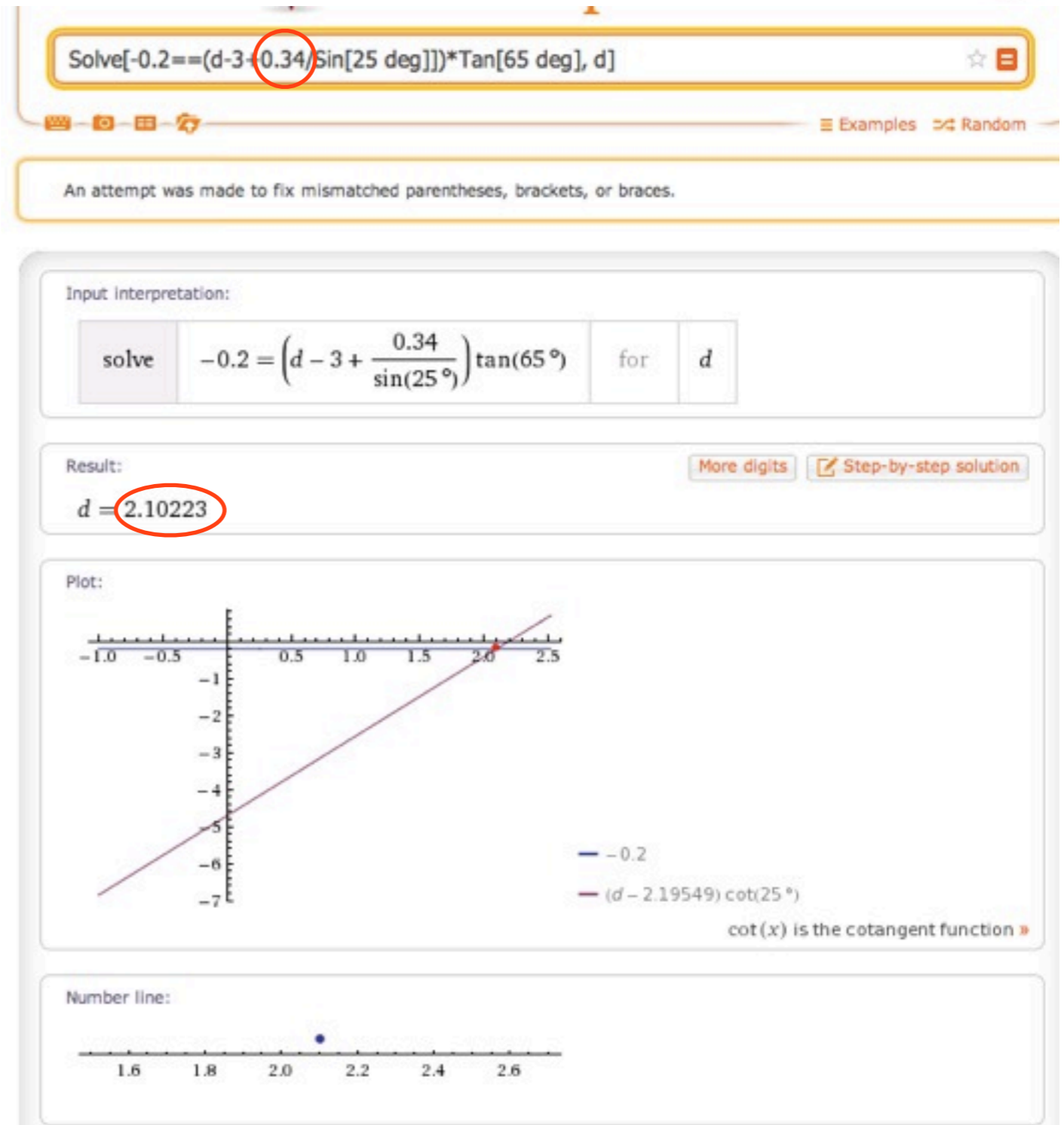
$$x = \tan 65(x - 3 + dp_{z'} / \sin 25)$$

두개의 접점이 (z_p, x_p)

$$q_{z'} = 0.1\text{m} \quad (F=0.87, 0.18)$$

$$dp_{z'} = 0.34\text{m} \quad (F=0.85, 0.14)$$

(파란 영역 간 거리 중 가장 짧은곳이
0.10223m임)

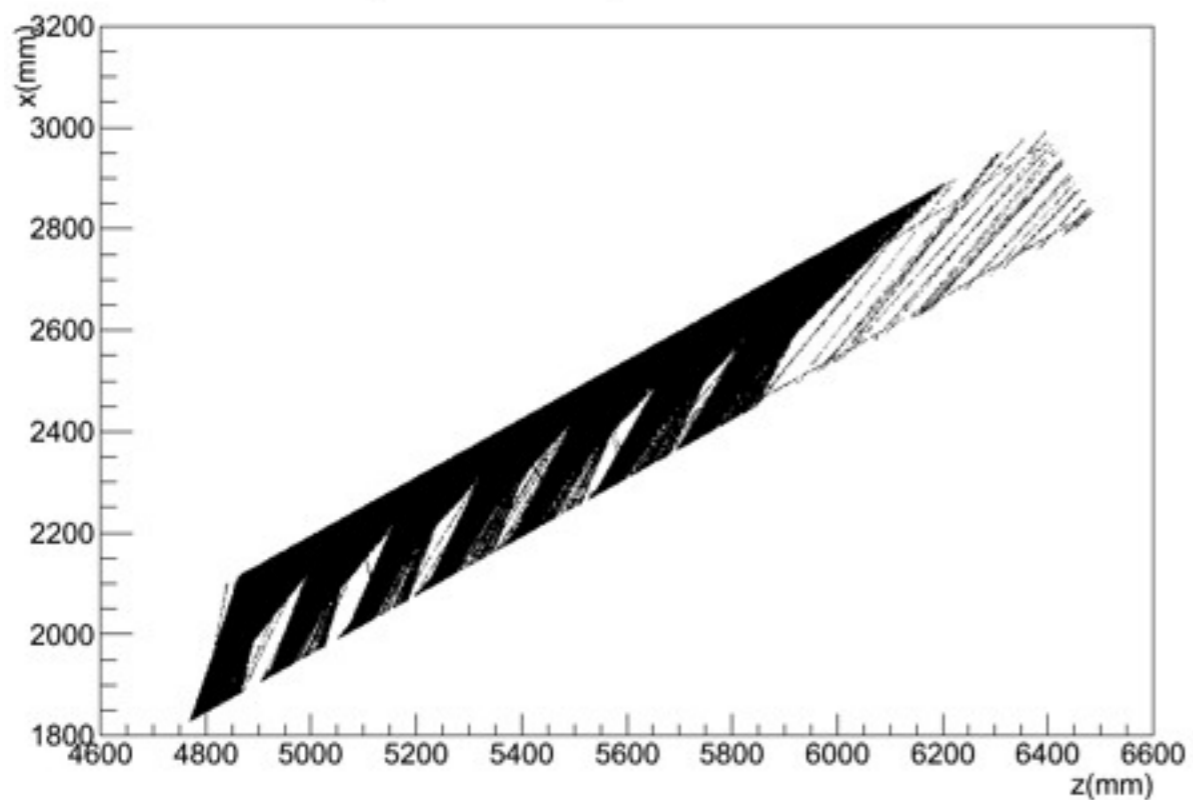


X VS Z

[07_LAMPS_QD_130401_fringe]
[draw_xPos_zPos.cc]

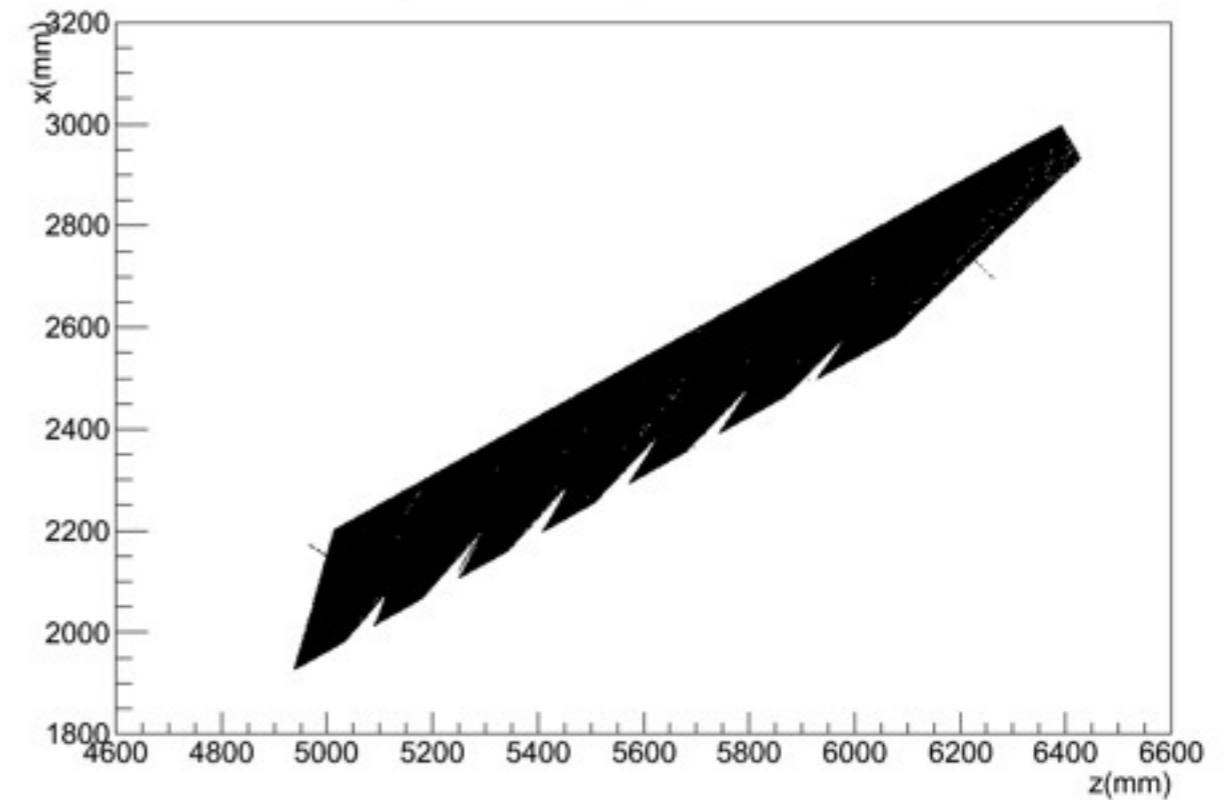
⊗ FPD (05_LAMPS)

x position vs z position on FPD



⊗ FPD (07_LAMPS):
same position w /05_LAMPS

x position vs z position on FPD



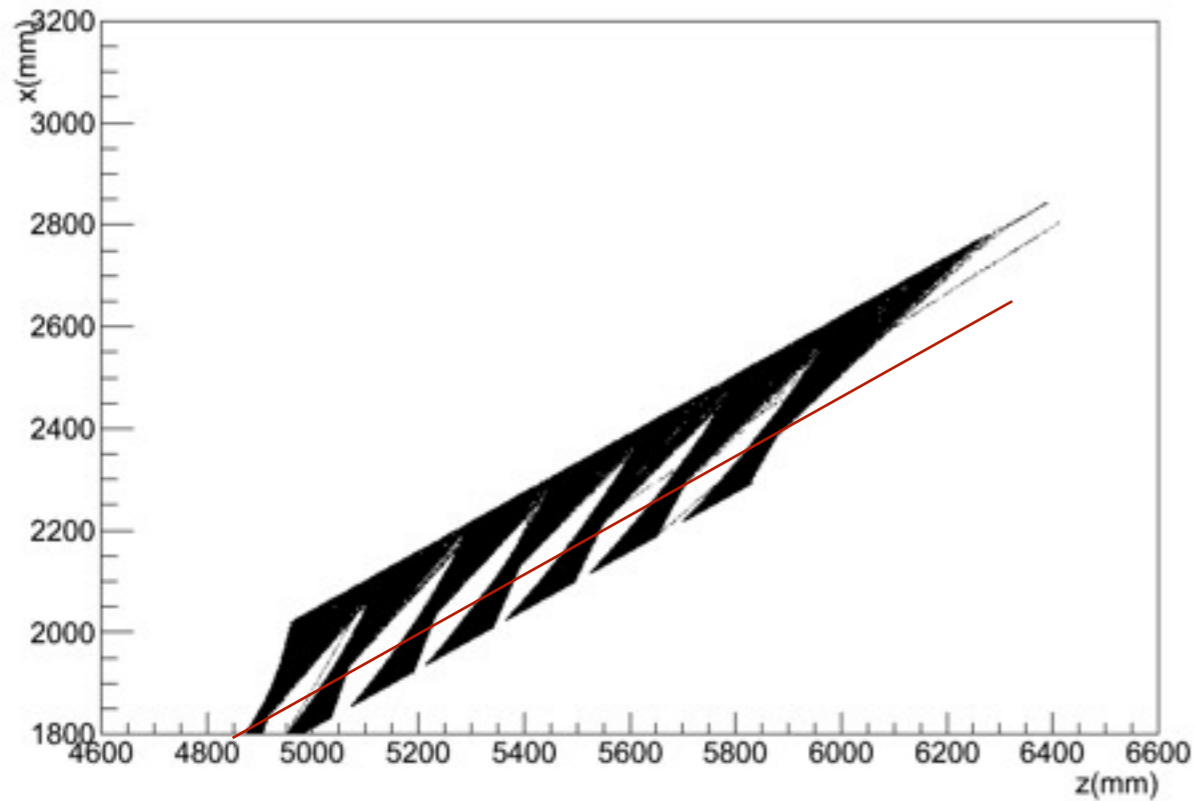
X VS Z

[07_LAMPS_QD_130401_fringe]
[draw_xPos_zPos.cc]

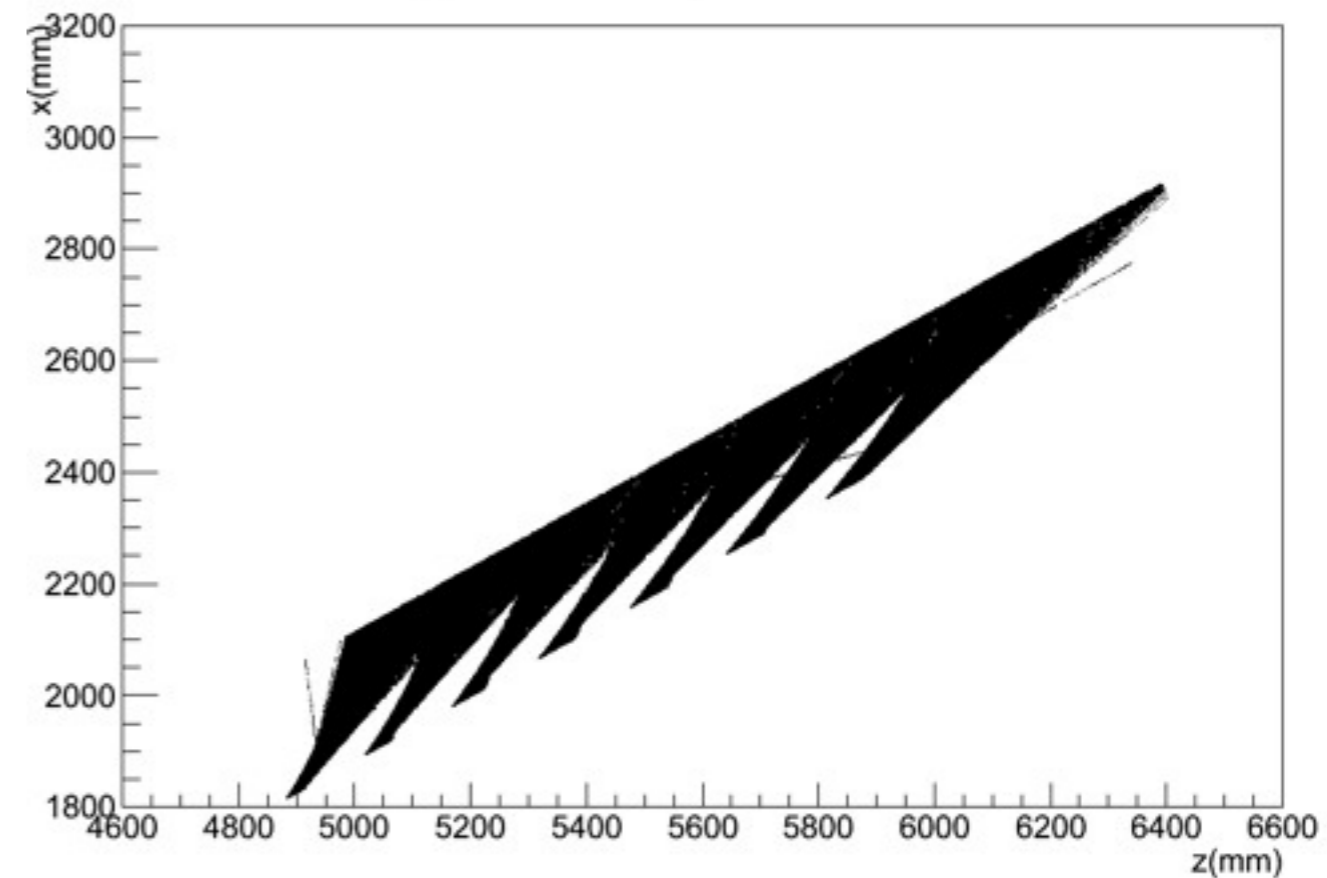
⊕ FPD : x-15cm

⊕ FPD : x-8cm : detemined!

x position vs z position on FPD



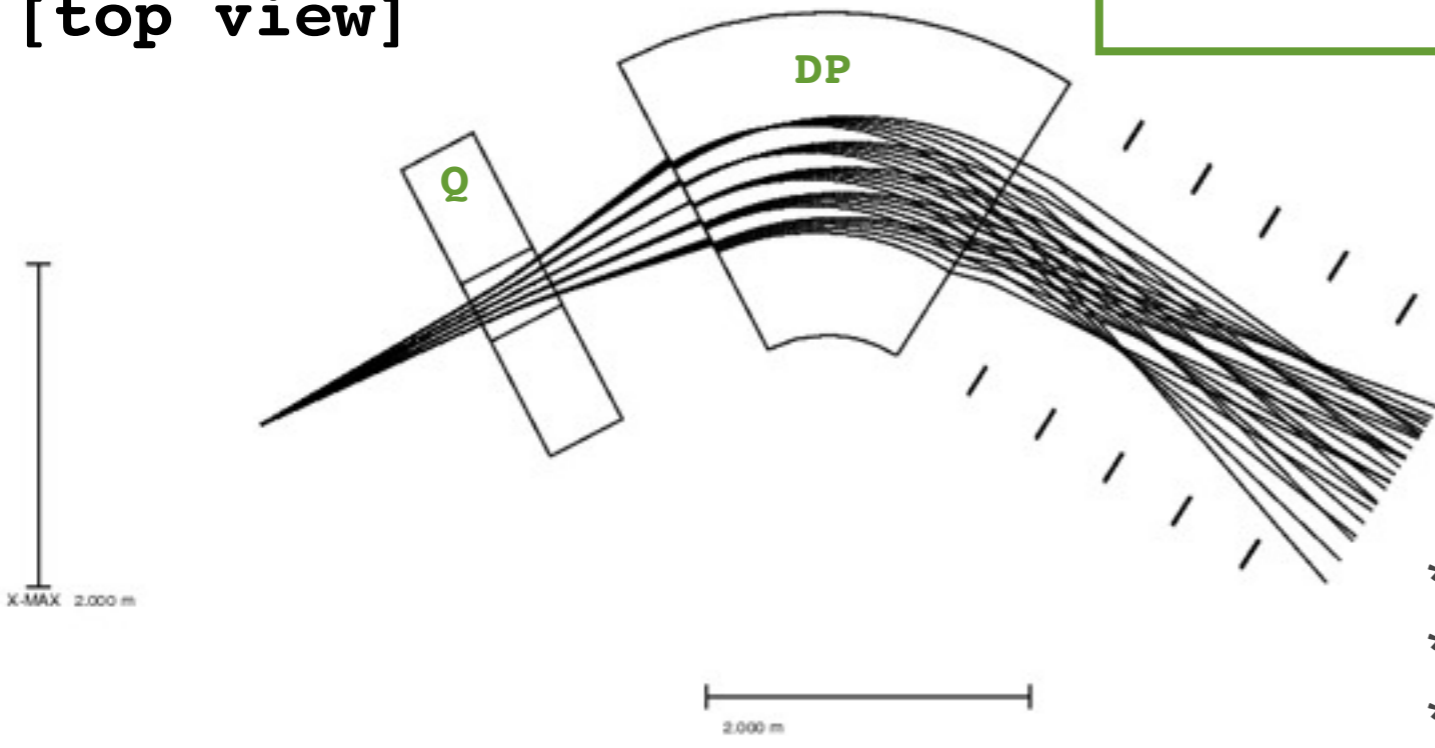
x position vs z position on FPD



QD system (GICOSY)

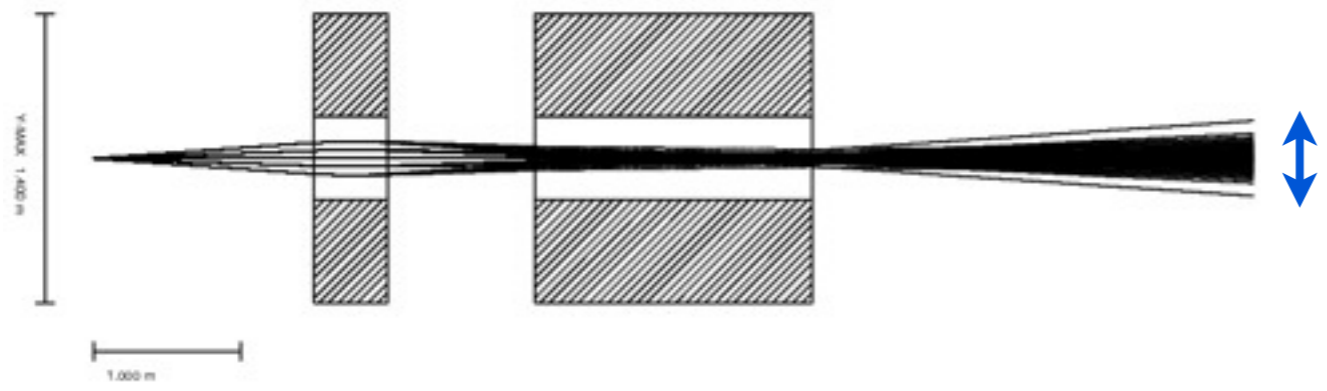
1.5m ->Q-> 1.0m ->DP-> 0.5m*6 -> C
 *Q : L=50cm, full_a=40m, B=-1.42T/m (y-focusing)
 *DP : $\theta=60^\circ$, half_gap=20cm, w1=2m?, w2=2m?,
 R=1.8m, B =-0.36T, $\beta_1=-25^\circ$, $\beta_2=-25^\circ$

[top view]



- * 2nd order calculation
- * angular acceptance = 50mr, 50mr
- * momentum Range = **±15%**
(corresponding KE Range ~ ±30%)

[side view]

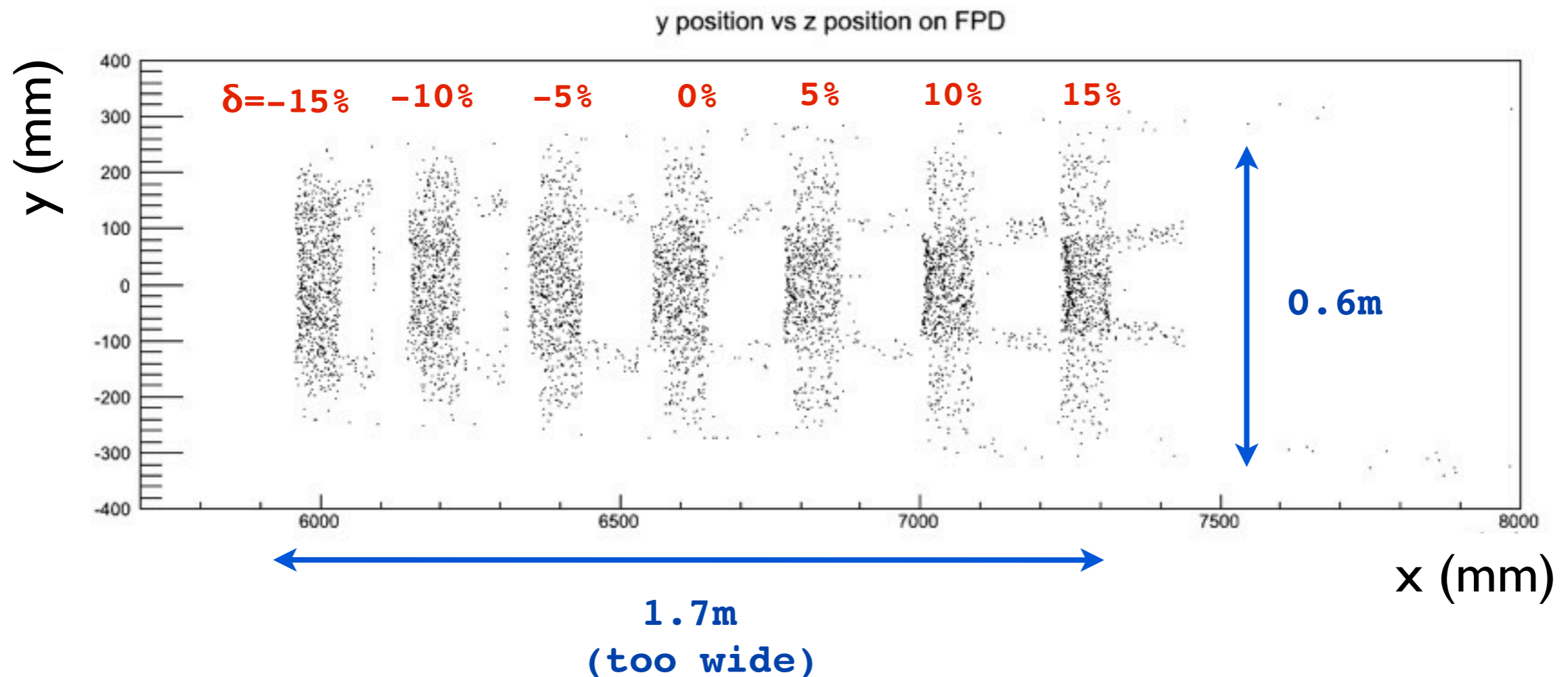


KE=14.5MeV (165.5MeV/c) KE=20MeV (194.7MeV/c) KE=26.3MeV (224MeV/c)

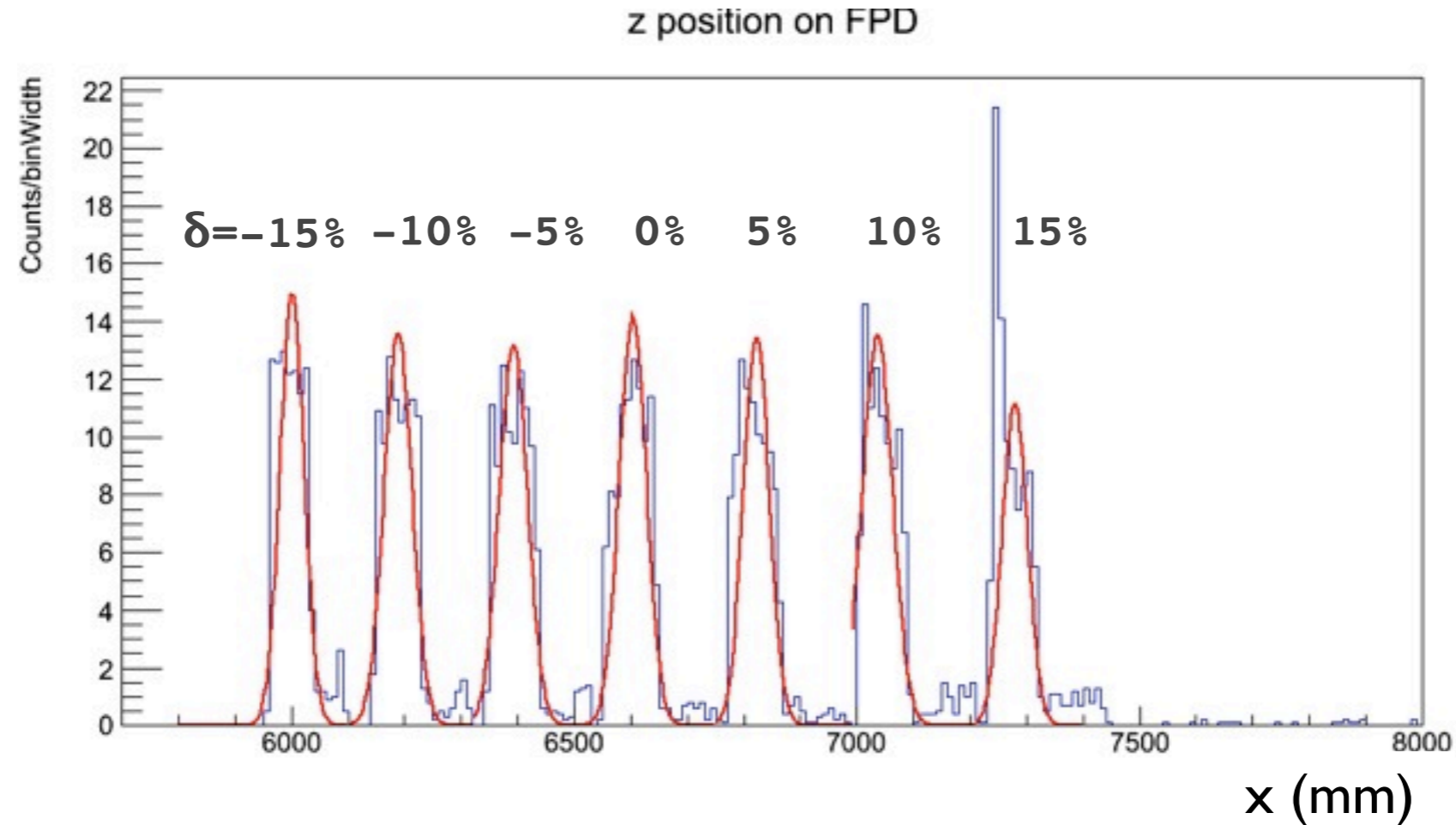
FPD Simulation

* for constant B field

- central trajectory : proton with $KE = 20\text{MeV}$ ($p=194.7\text{MeV}/c$)
- 7000 protons (1000 protons for each δ)
- fastest hit on FPD only



* for constant B field



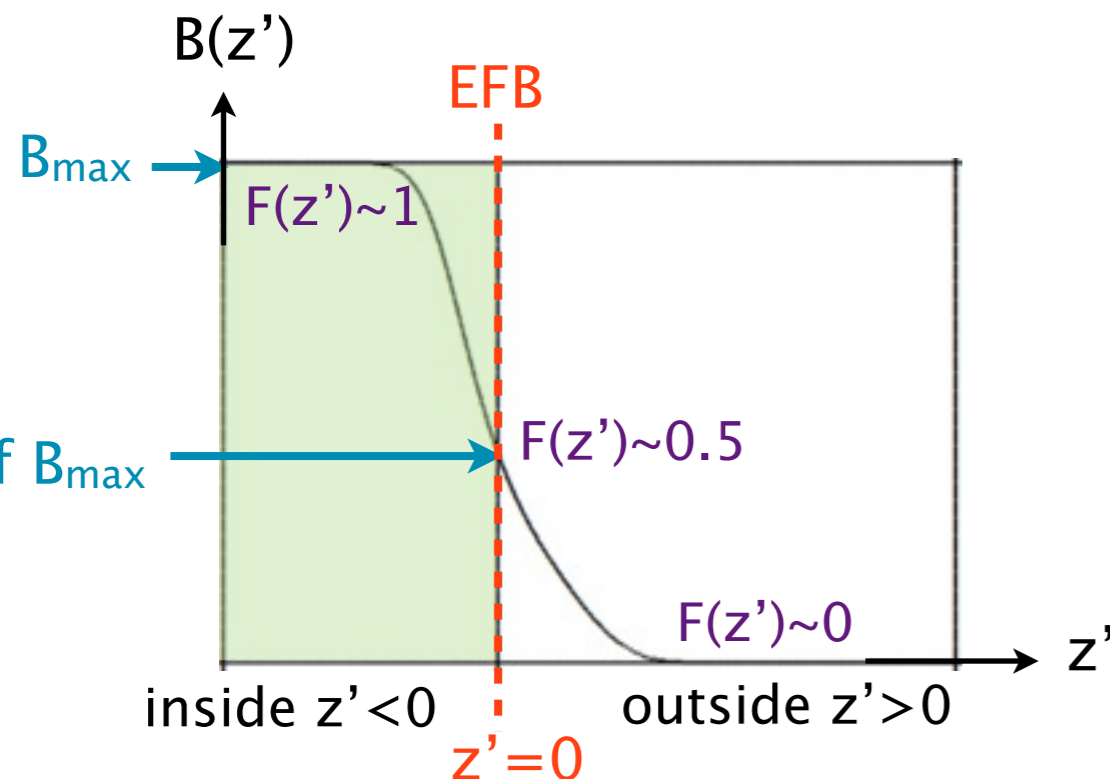
- Gaussian fitting
 $\sigma \approx 2.4 \text{ cm} \leftarrow \text{too large!}$
- Dispersion $D = 4.26[\text{cm}/\%]$
- Resolving power $R \sim 180 \leftarrow \text{too bad!}$

Fringe function

⊕ **Enge Function :**
$$F(z) = \frac{1}{1 + \exp(a_1 + a_2 \cdot (z/D) + \dots + a_6 \cdot (z/D)^5)}$$

where D = gap parameter (=half-aperture)
 z' = distance from the effective field boundary
 a_n = parameter for the n_{th} order polynomial

⊕ B-field is defined by $B(z') = B_{max} \times F(z')$



1. $D = 200\text{mm}$ for Q and DP both
2. a_n = extracted from the GICOSY (This is default value)

For dipole magnet
 $a_1=0.205133$
 $a_2=0.840972$
 $a_3=-0.141308$
 $a_4=0.050050$
 $a_5=0.000076$
 $a_6=0.005197$

For Q-magnet
 $a_2=3.59463$

3. z' = give a cut (see next slides)

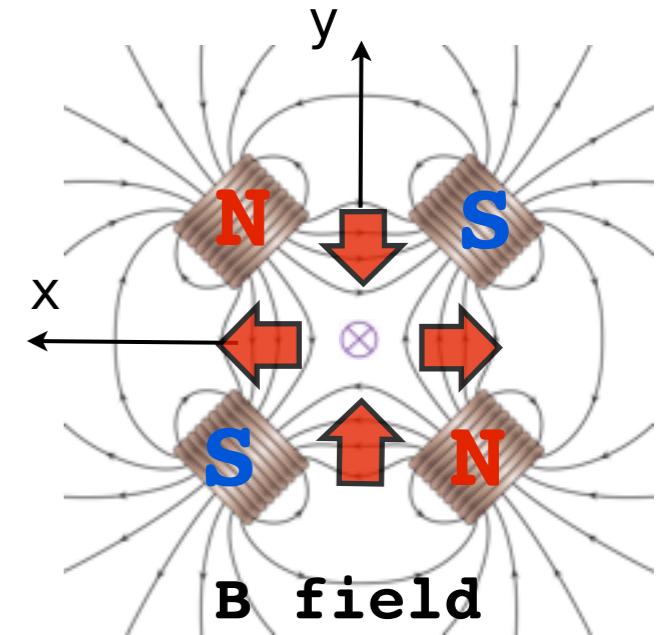
Quadrupole

⊕ **B-field w/o fringe**

$$B_x = \frac{\partial B}{\partial y} \cdot y \quad B_y = \frac{\partial B}{\partial x} \cdot x$$

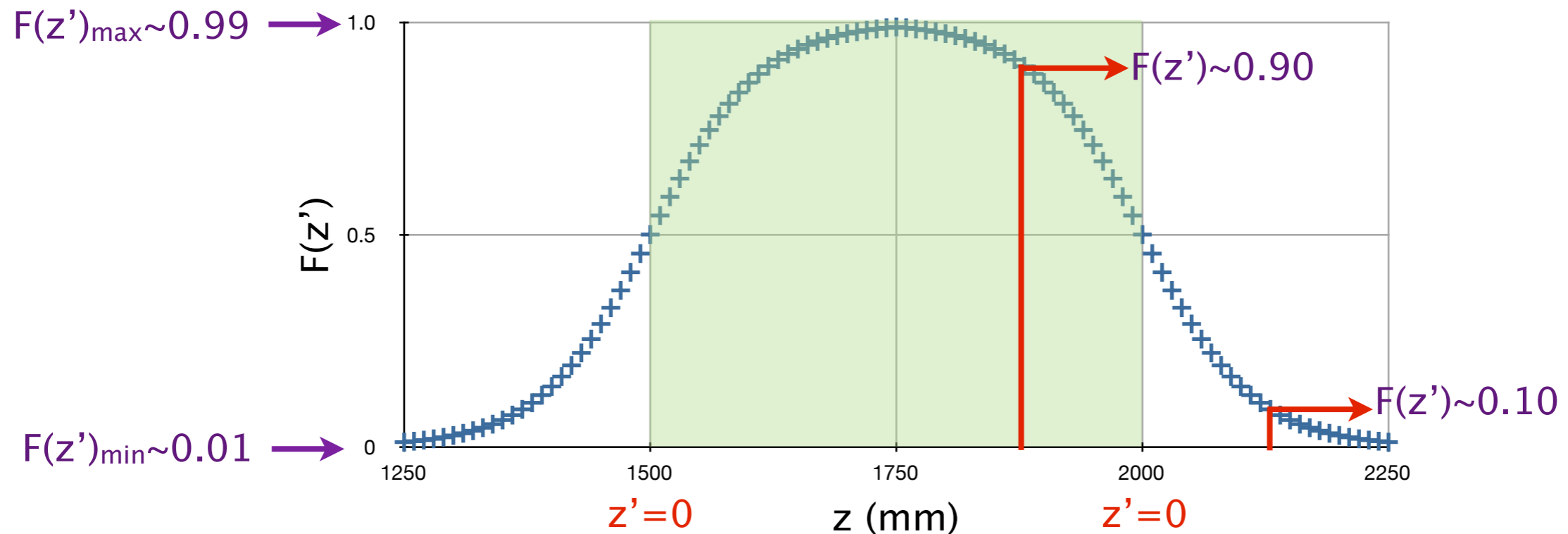
Field gradient

$$K = \frac{\partial B}{\partial y} = \frac{\partial B}{\partial x}$$



⊕ **B-field w fringe** $B_f = B \cdot F = \sqrt{(FB_x)^2 + (FB_y)^2}$

Quadrupole Magnet

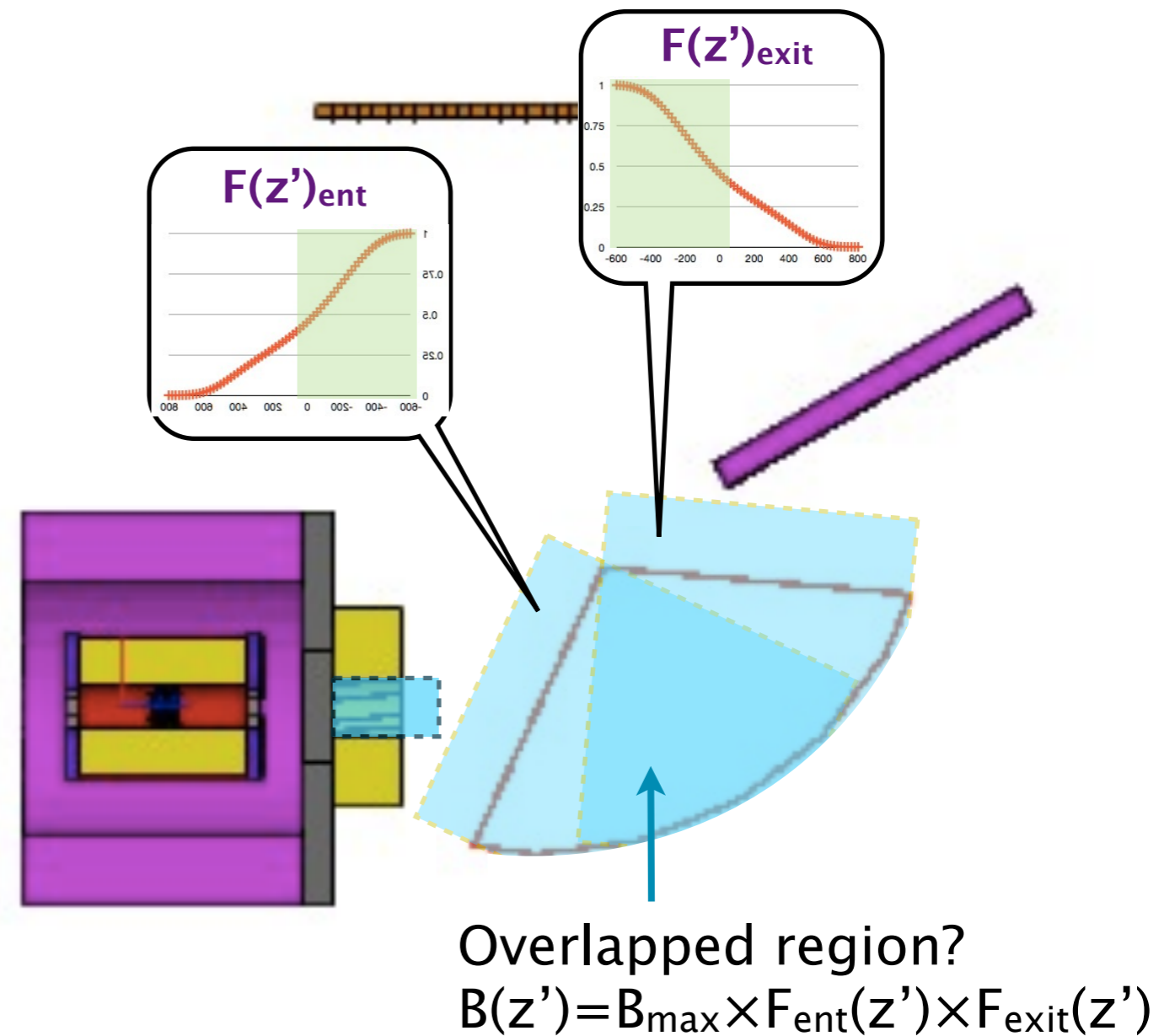
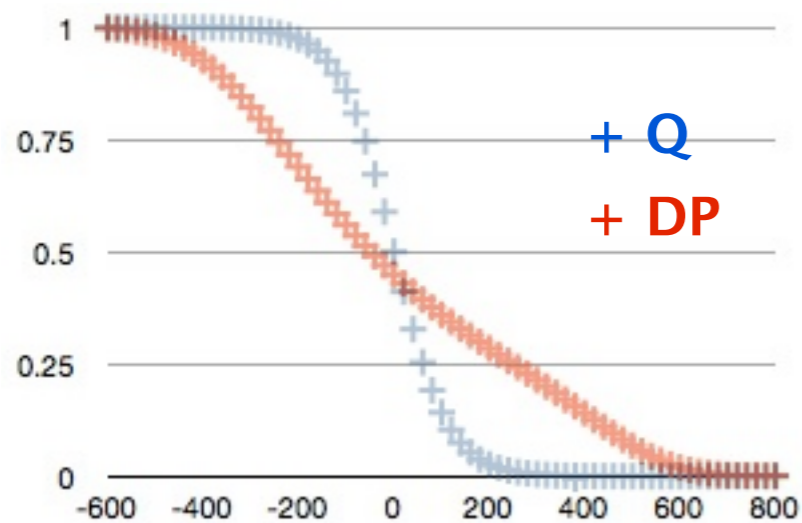


⊗ **B-field w/o fringe**

$$B_y = -0.36 \text{ T (constant)}$$

⊗ **B-field w fringe**

: different Enge function for Q and DP

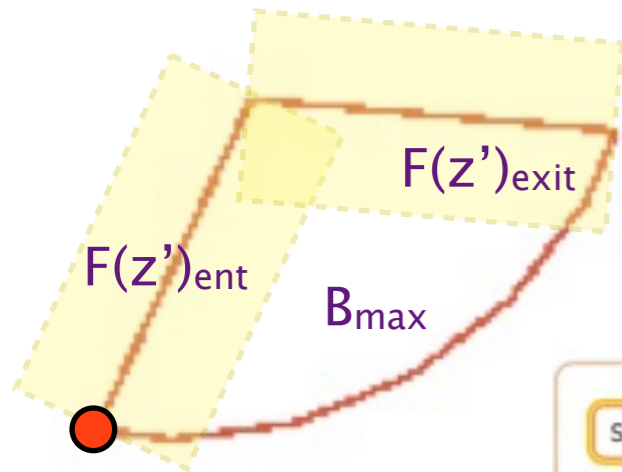


Matrix

$$(x-1.8)^2 = (z-3)^2 = 2.8^2$$

$$x = (z-3)\tan 65^\circ$$

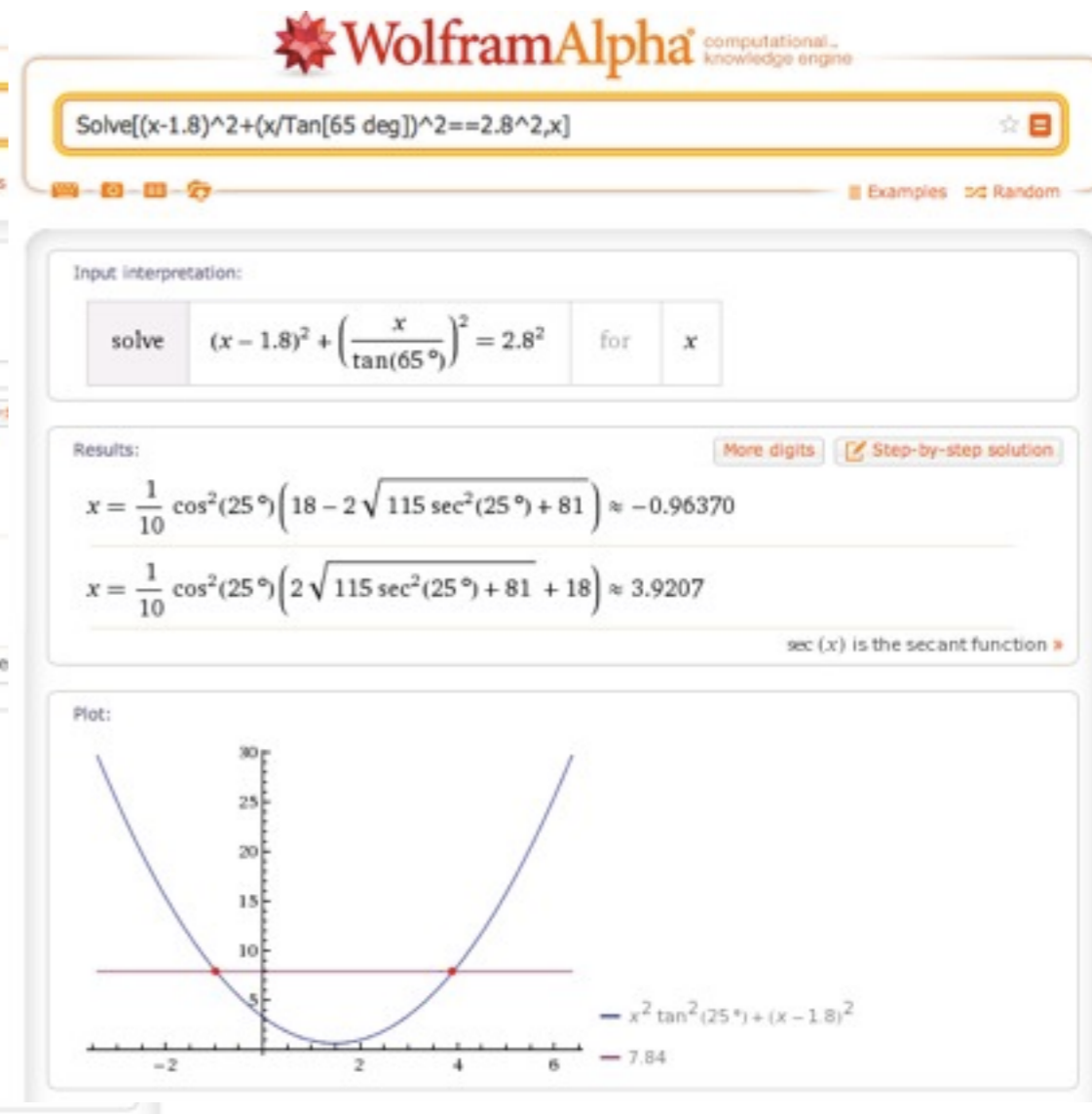
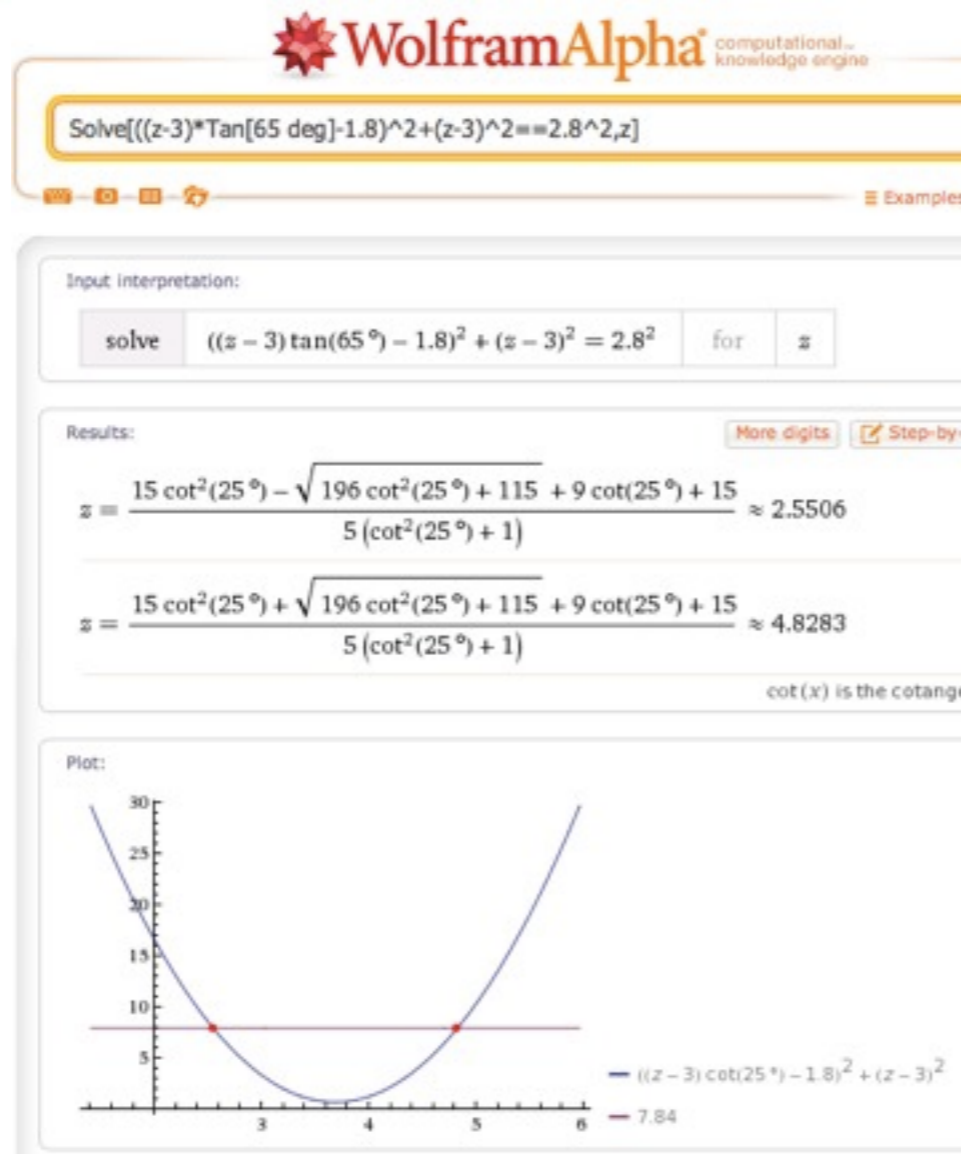
원식과 직선식 바로 연립한 결과들 ○○



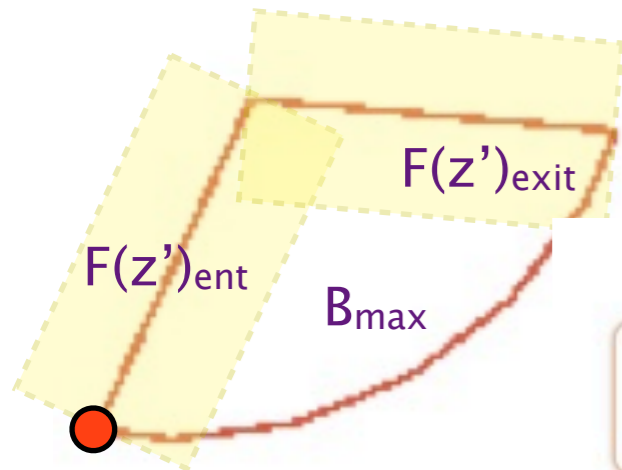
Here!

$$z = 2.5506$$

$$x = -0.96370$$



Matrix



반원식 이용

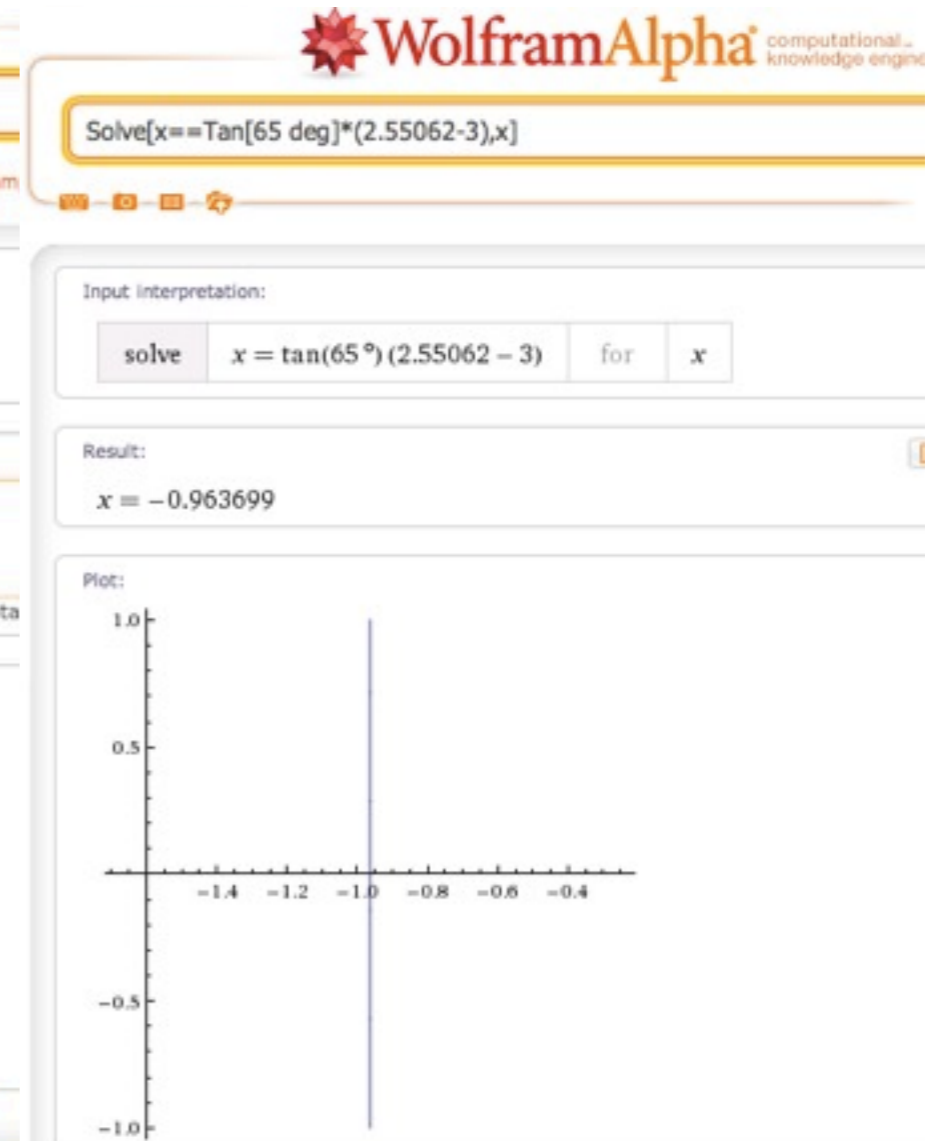
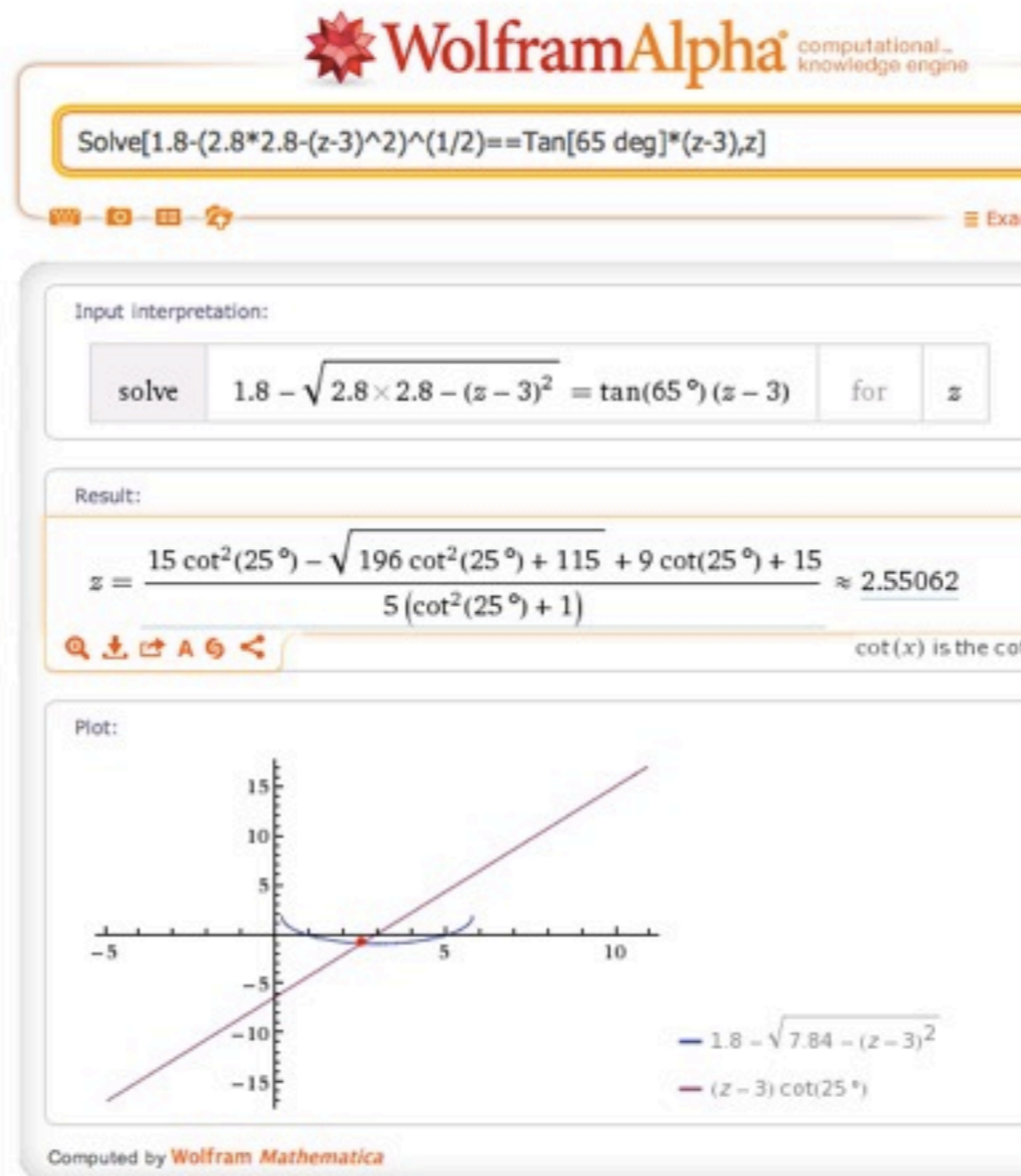
$$x = 1.8 - (2.8^2 - (z-3)^2)^{1/2}$$

그 z값을 직선식에 넣음

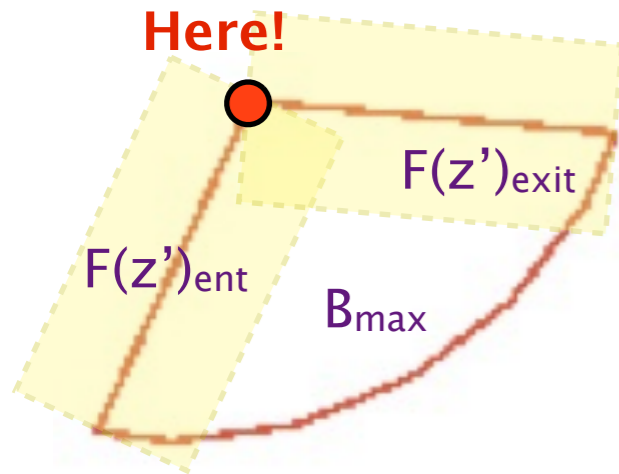
Here!

$$z = 2.55062$$

$$x = -0.963699$$

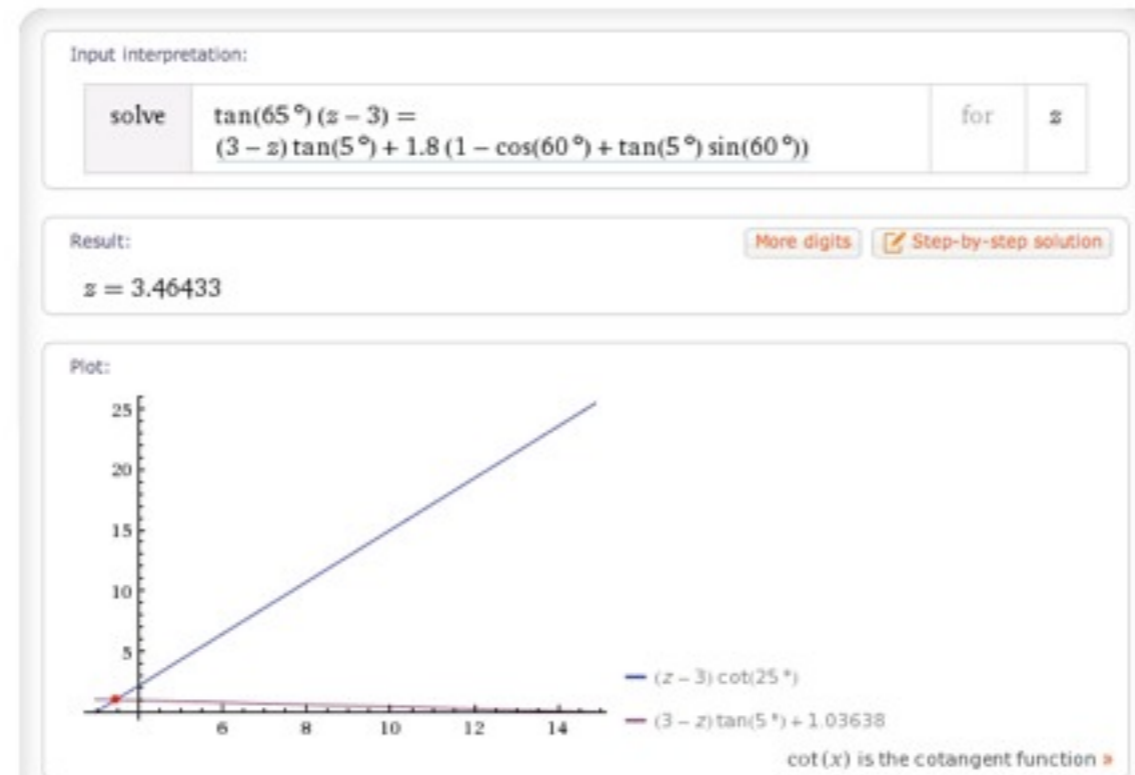


Matrix



두 직선의 접점

$$\text{Solve}[\text{Tan}[65 \text{ deg}](z-3) == (3-z) \cdot \text{Tan}[5 \text{ deg}] + 1.8 \cdot (1 - \text{Cos}[60 \text{ deg}] + \text{Tan}[5 \text{ deg}] \cdot \text{Sin}[60 \text{ deg}]), z]$$

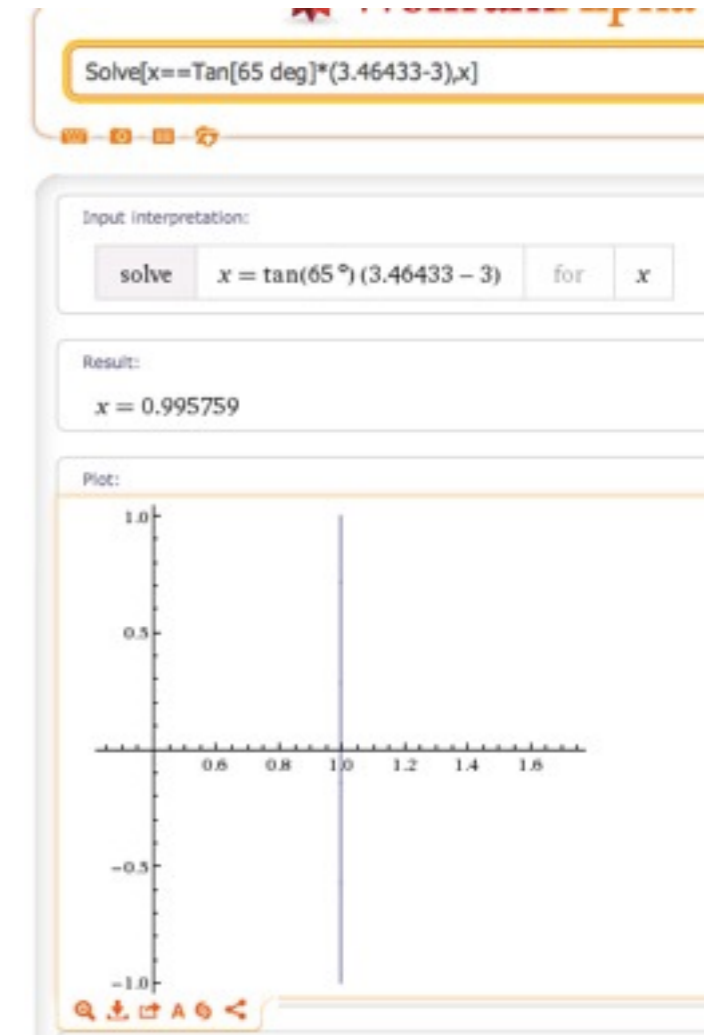
Input interpretation:
solve $\tan(65^\circ)(z-3) = (3-z)\tan(5^\circ) + 1.8(1 - \cos(60^\circ) + \tan(5^\circ)\sin(60^\circ))$ for z

Result:
 $z = 3.46433$

Plot:
 $(z-3)\cot(25^\circ)$
 $(3-z)\tan(5^\circ) + 1.03638$
 cot(x) is the cotangent function

$z = 3.46433$
 $x = 0.995759$

그 z값을 ent 직선식에 넣음

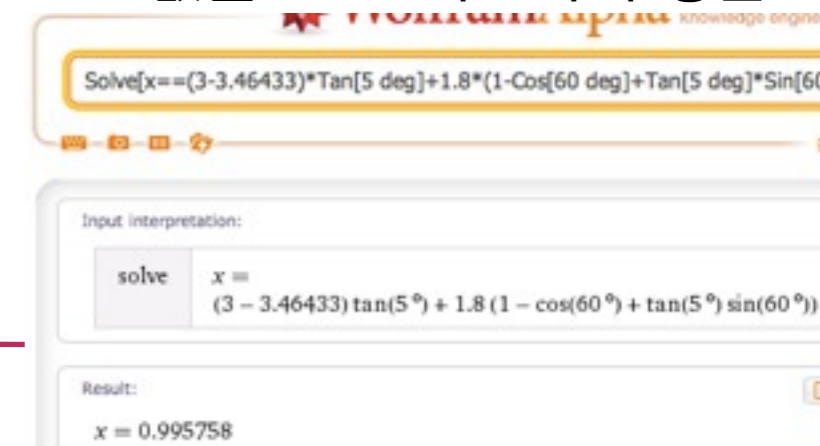


Input interpretation:
solve $x = \tan(65^\circ)(3.46433 - 3)$ for x

Result:
 $x = 0.995759$

Plot:
A plot showing a vertical line at $x = 0.995759$ on a coordinate system with x-axis from 0.6 to 1.6 and y-axis from -1.0 to 1.0.

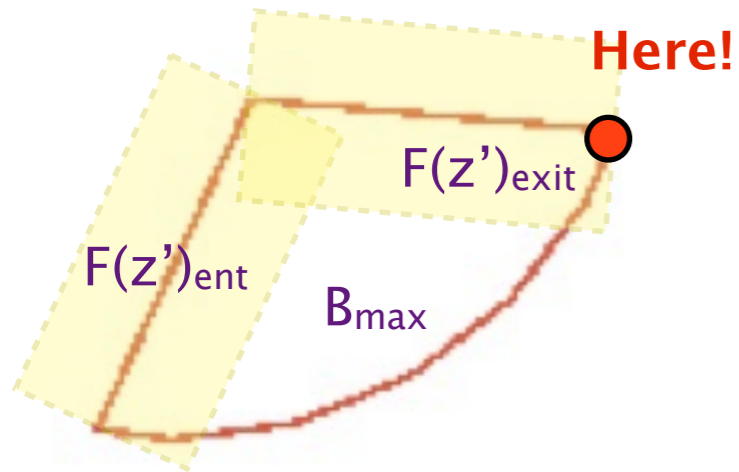
그 z값을 exit 직선식에 넣음



Input interpretation:
solve $x = (3 - 3.46433)\tan(5^\circ) + 1.8(1 - \cos(60^\circ) + \tan(5^\circ)\sin(60^\circ))$

Result:
 $x = 0.995758$

Matrix



반원과 직선 접점

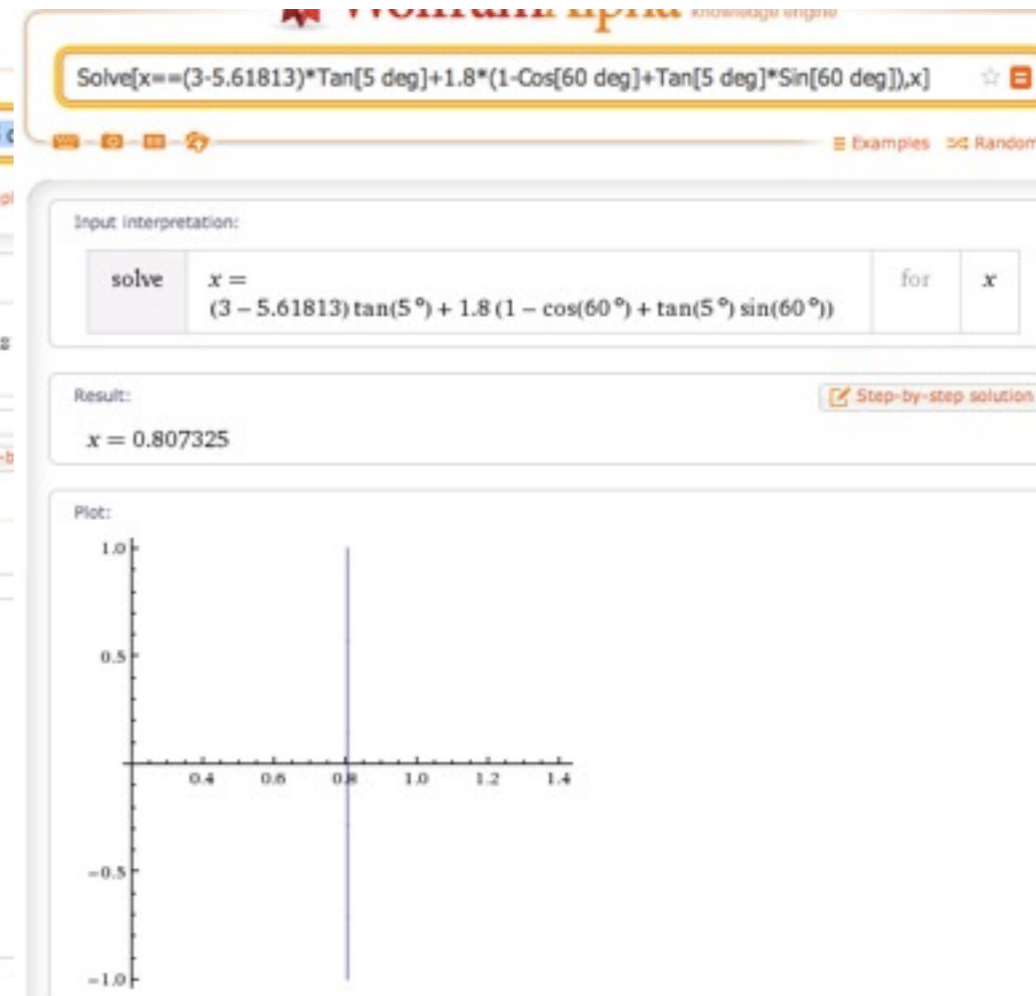
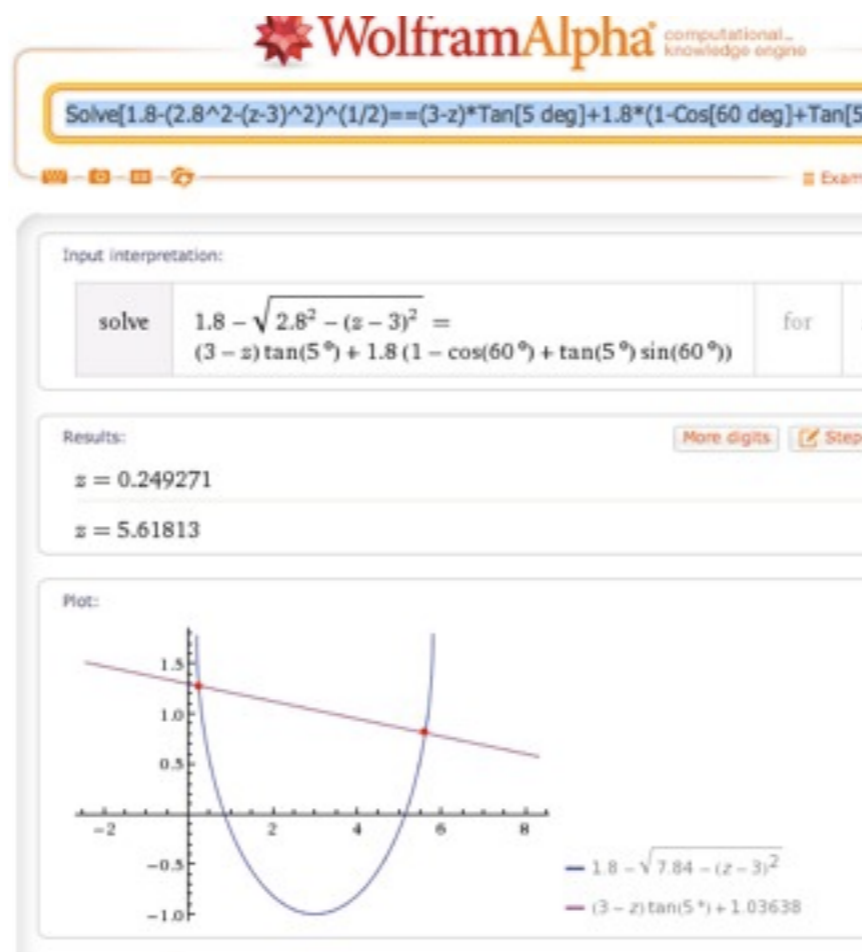
$$\text{Solve}[1.8 - (2.8^2 - (z-3)^2)^{1/2} = (3-z) \cdot \tan[5 \text{ deg}] + 1.8 \cdot (1 - \cos[60 \text{ deg}] + \tan[5 \text{ deg}] \cdot \sin[60 \text{ deg}]), z]$$

그 z값을 직선식에 넣음

$$\text{Solve}[x = (3 - 5.61813) \cdot \tan[5 \text{ deg}] + 1.8 \cdot (1 - \cos[60 \text{ deg}] + \tan[5 \text{ deg}] \cdot \sin[60 \text{ deg}]), x]$$

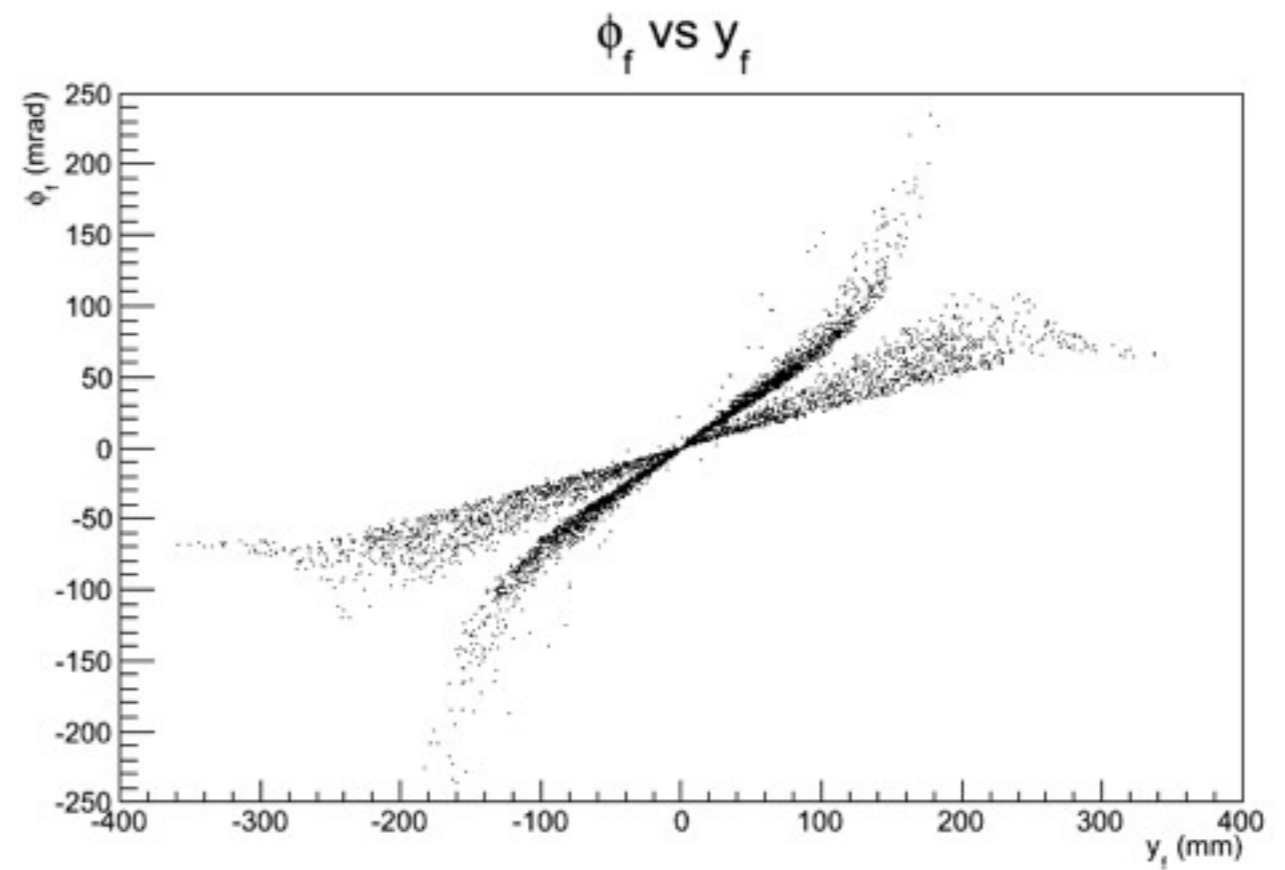
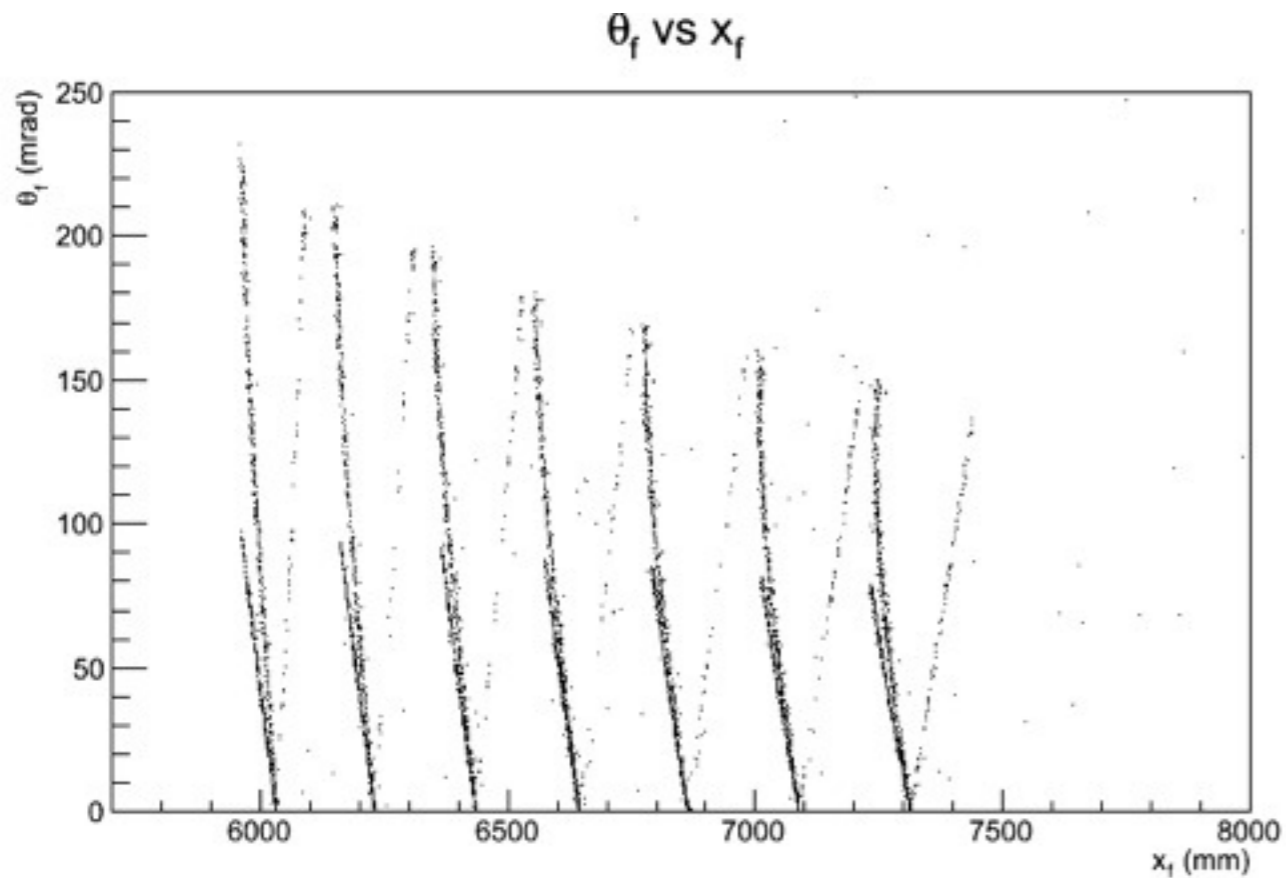
$$z = 5.61813$$

$$x = 0.807325$$



FPD Simulation

- for constant B field



- ideal θ_f vs x_f should show vertical lines
- need some correction (hardware & software)

Matrix elements

```

NON SYMPL. SYSTEM TRANSFER MATRIX AT PATH-LENGTH L= 6.484955592E+00 M
*****
      X          A          Y          B          L
-----
0      -1.920690E-12  1.795882E-12  0.000000E+00  0.000000E+00  6.484956E+00
-----
1 X    -3.228867E-01 -1.504057E+00  0.000000E+00  0.000000E+00  2.607833E+00
2 A    -4.814135E-02 -3.321310E+00  0.000000E+00  0.000000E+00  6.163611E+00
3 Y     0.000000E+00  0.000000E+00 -5.210447E+00 -1.865086E+00  0.000000E+00
4 B     0.000000E+00  0.000000E+00 -5.956890E-01 -4.051498E-01  0.000000E+00
5 G     1.452690E-10  4.744609E-11  0.000000E+00  0.000000E+00  2.831984E-11
6 P     1.864604E+00  6.089987E-01  0.000000E+00  0.000000E+00  3.634962E-01
7 XX    1.394942E+00  7.260802E-01  0.000000E+00  0.000000E+00  3.011746E+00
8 XA    6.768649E+00  3.048345E+00  0.000000E+00  0.000000E+00  1.443217E+01
9 XY     0.000000E+00  0.000000E+00  3.184842E+00  2.733940E+00  0.000000E+00
10 XB   0.000000E+00  0.000000E+00 -4.819811E+00 -1.660342E+00  0.000000E+00
11 XG   3.759681E-10  5.452944E-11  0.000000E+00  0.000000E+00 -1.980798E-10
12 XP   4.825723E+00  2.203998E+00  0.000000E+00  0.000000E+00 -2.542550E+00
13 AA   8.092666E+00  3.111975E+00  0.000000E+00  0.000000E+00  1.826328E+01
14 AY   0.000000E+00  0.000000E+00  6.811118E+00  5.933088E+00  0.000000E+00
15 AB   0.000000E+00  0.000000E+00 -1.247842E+01 -4.317974E+00  0.000000E+00
16 AG   9.028511E-10  3.464278E-10  0.000000E+00  0.000000E+00 -8.027996E-10
17 AP   1.154035E+01  4.446505E+00  0.000000E+00  0.000000E+00 -4.140684E+00
18 YY   -2.740048E+00  9.684104E-02  0.000000E+00  0.000000E+00  3.946395E+00
19 YB   -2.339261E-01 -4.188925E-02  0.000000E+00  0.000000E+00  2.673577E+00
20 YG   0.000000E+00  0.000000E+00  5.734884E-10  3.196443E-11  0.000000E+00
21 YP   0.000000E+00  0.000000E+00  7.361062E+00  2.275357E+00  0.000000E+00
22 BB   -3.777320E-01 -2.672593E-01  0.000000E+00  0.000000E+00  1.561350E+00
23 BG   0.000000E+00  0.000000E+00  9.227170E-10  2.893497E-10  0.000000E+00
24 BP   0.000000E+00  0.000000E+00  1.124814E+01  3.714041E+00  0.000000E+00
25 GG   -2.118185E-10 -6.918158E-11  0.000000E+00  0.000000E+00 -4.129153E-11
26 GP   2.111316E-10  1.086773E-10  0.000000E+00  0.000000E+00  1.224395E-10
27 PP   -1.363878E+00 -4.950346E-01  0.000000E+00  0.000000E+00  2.557992E-01
    
```

R22

R16

T126

$$T_{126}^{\psi} = \frac{T_{126} + R_{22}R_{16}\tan(\psi)}{\cos(\psi)}$$

$$\tan(\psi) = -\frac{T_{126}}{R_{22}R_{16}}$$